

The scientific legacy of Nicola Cabibbo



DIPARTIMENTO DI FISICA



SAPIENZA
UNIVERSITÀ DI ROMA

CKM 2010 Warwick September 6-10 2010

Guido Martinelli





Nicola Cabibbo



- 1) Let me thank the organizers for the great honour - and responsibility - of commemorating our dear colleague and friend Nicola Cabibbo at CKM 2010
- 2) I apologize in advance for possible mistakes, typos and inaccuracy due to the lack of time (this is indeed a very busy period for me and I was travelling all the time during the preparation of this talk)

Nicola Cabibbo

He was the "father of flavor physics" and will be missed. Of course like all great physicists he will live on through the important contributions he has made to our understanding of nature



M. Wise on behalf of the Caltech High Energy Physics

Fermi Constant

Dirac Equation

Goldstone boson

Cabibbo Angle

Cabibbo-Kobayashi-
Maskawa mixing matrix

CKM 2006 Nagoya

Nicola Cabibbo, Makoto Kobayashi and (but for one) young
italian physicists



Cecilia Tarantino, Nicola Cabibbo, G. M., Vittorio Lubicz



A few biographical notes on the beginning of an extraordinary mind (many info taken from Nicola facebook)

The son of a sicilian lawyer, Nicola Cabibbo, born in Roma, Italy, on April 10 1935, lived his childhood during the second world war. During these difficult years, Nicola discovered astronomy and developed a strong interest in the construction of radio devices. This was the starting point of a life-long interest and an extraordinary skillness in the realization of hardware, including the mirror of a telescope and a home made personal computer - the first of a series - at the beginning of the `80.

These passions and a book entitled ``Che cos'e` la matematica'' pushed him to follow scientific studies. After the war, he also developed a passion for american literature, passion shared by his wife who is presently professor of american literature at the University La Sapienza.

Another great passion was the sea and sailing: at the end of the `70 (beginning of the `80 !?) he constructed a sailing boat by himself (indeed he bought the boat ``shell'' and made the rest).

A few biographical notes on the beginning of an extraordinary mind (many info taken from Nicola facebook)

He graduated in theoretical physics at Università di Roma “La Sapienza”, with a thesis on weak interactions and muon decays, under the supervision of Bruno Touschek, whom he always considered his mentor. He was immediately tenured and in 1960 moved to Frascati, where at the beginning of the sixties, Touschek and collaborators were building the first electron-positron collider.

With Raoul Gatto, the young Cabibbo wrote an exploratory paper on the physics that could be studied with $e^+ e^-$ interactions, a paper that soon became a standard reference in the field. His colleagues were used to call this paper “the Bible” since it contained the calculation of all the cross sections for processes then envisageable.

A few relevant steps of Nicola Biography and Scientific Career

1. 1960-1962 LNF of INFN Frascati
2. 1962-1965 CERN, Lawrence Radiation Laboratory Berkeley and Harvard
3. 1965 Full Professor at L'Aquila, 1966 in Rome La Sapienza (from 84 for about 10 ys at Tor Vergata)
4. In the `70s & `80s Institute for Advanced Study Princeton, Paris, New York, Syracuse, CERN
5. 1985-1993 INFN President
6. 1993-1998 ENEA President
7. Member of the Accademia Nazionale dei Lincei, National Academy of Science of United States of America
8. President of the Pontifical Academy of Sciences

Most important awards, prizes and academies Awards: Premio Alcide De Gasperi per le Scienze (1968); J.J. Sakurai Prize for Theoretical Particle Physics of the American Physical Society (1989); High Energy and Particle Physics Prize of the European Physical Society (1991). **Academies:** Socio Nazionale dell'Accademia Nazionale dei Lincei, Rome; Socio Nazionale dell'Accademia delle Scienze, Turin; Foreign Member of the National Academy of Sciences, USA; Foreign Member of the American Academy of Arts and Sciences; Member of the Pontifical Academy of Sciences. Loeb Lecturer, Harvard University (1965).

Dirac Medal of the ICTP, 2010

Aggiungere i un piccolo dettaglio personale: quando decisi di fare fisica, mio padre me lo sconsigliò, mi disse: «Ma se fai fisica cosa potrai fare nella vita? forse potresti insegnare a scuola, ma ti piace l'idea?», ed effettivamente quando cominciai le prospettive non erano brillanti, ma poi si aprirono, negli anni Sessanta ci fu un'enorme apertura verso la scienza, e in particolare verso la fisica, che poi si spensero col '68; il '68, stato un po' un tornante negativo, che andrebbe analizzato meglio.

**N. Cabibbo, public debate with Odifreddi
Science Festival 2009**

Ouverture

Venti Anni (*2) Dopo

Nicola Cabibbo

Overture

Twenty Years (* 2) After

Nicola Cabibbo

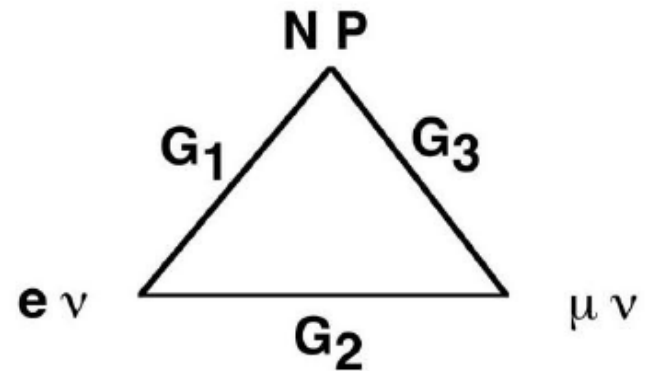
*Original trasparencies by Cabibbo (2003)
translated by G.M.*

Universality of Weak Interactions

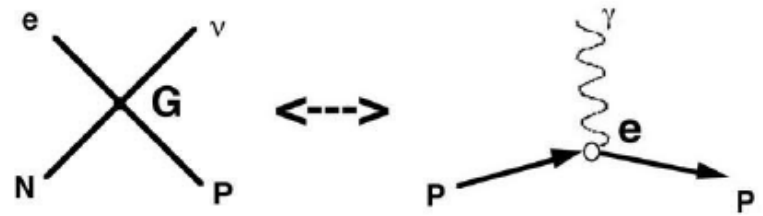
- 1 - $N \rightarrow P + e + \bar{\nu}$ G_1
- 2 - $\mu \rightarrow e + \nu + \bar{\nu}$ G_2
- 3 - $\mu^- + P \rightarrow N + \nu$ G_3

In ~ 1950 $G_1 \approx G_2 \approx G_3$

The Puppi Triangle



Suggestive in view of Fermi's idea:



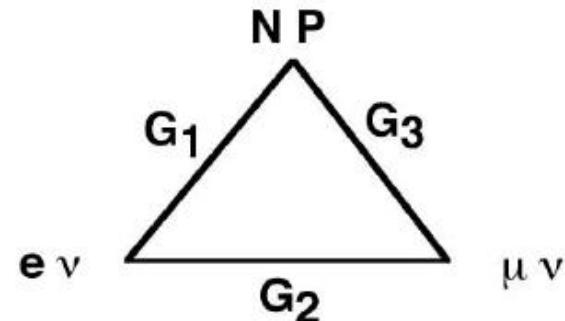
Universality of Weak Interactions 1962-63

$$G_1 \approx G_2 \approx G_3$$

Suggestive, but true?

$$G_{\text{beta decay}} \approx 0.96 G_{\mu \text{ decay}}$$

(Significant Difference)



$$4 - \Lambda \rightarrow P + e + \bar{\nu} \quad G_4$$

And for strange particle decays....

$$G_4 \approx 0.2 G_{\text{m decay}}$$

Universality of Weak Interactions 1962-63

Towards a solution:

- 1) Gell-Mann's SU(3) symmetry
and its application to weak
transitions.
(N.C. + R. Gatto 1962)

	N	P
Σ^-	Σ^0, Λ	Σ^+

- 2) High statistics (for that time)
bubble chamber experiments.
(V. Soergel, Filthut, P. Franzini,
G. Snow, etc.)

Ξ^-	Ξ^0
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Universality and weak mixing

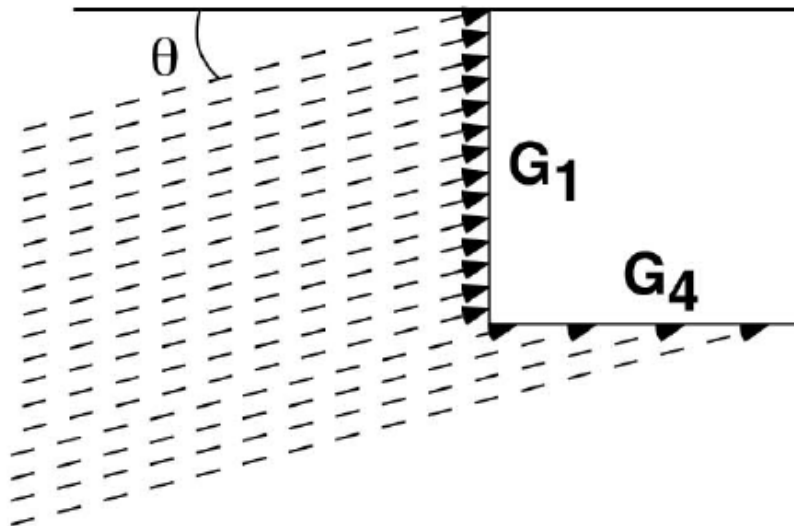
$$N \rightarrow P + e^- + \nu \quad G_1 \approx 0.96 G_{\mu\text{-decay}}$$

$$\Lambda \rightarrow P + e^- + \nu \quad G_4 \approx 0.2 G_{\mu\text{-decay}}$$

Broken Universality?
no, shared intensity

$$G_1 = \cos\theta G_{\mu\text{-decay}}$$

$$G_4 = \sin\theta G_{\mu\text{-decay}}$$



$$\theta \approx 0.2 \text{ (today 0.221)}$$

The Weak Current

According to the proposal of the 1963 (by Cabibbo) the weak current belongs to an octet of currents, J_α^i

$$J_\alpha = \cos\theta_c(J_\alpha^1 + iJ_\alpha^2) = \sin\theta_c(J_\alpha^4 + iJ_\alpha^5)$$

which in terms of the quarks, proposed in 1964 by Gell-Mann and Zweig, are written as

$$J_\alpha = \cos\theta_c(\bar{u}\gamma_\alpha(1 - \gamma_5)d) = \sin\theta_c(\bar{u}\gamma_\alpha(1 - \gamma_5)s)$$

It is then possible to obtain relations between strangeness conserving and strangeness violating processes.

The vectorial part of the weak current belongs to the same octet of the electromagnetic current. Its matrix elements between mesons and baryons are uniquely determined. This, obviously, if we neglect the mass difference between the strange and down quark, in the limit of exact $SU(3)$.

Nicola found the solution to the puzzle of strange particle weak decays while in CERN, Geneva. He formulated what came to be known as “Cabibbo universality”, in terms of the partially conserved currents associated to the Unitary Symmetry, SU3, recently discovered by Gell-Mann and by Yuval Ne’eman, and of the axial currents associated with the chiral extension, SU3xSU3. He assumed that strangeness changing and non-changing beta decays had to be described by a single hadron weak current, the orthogonal combination of the corresponding SU3xSU3 currents, determined by a single unknown parameter, the Cabibbo angle. With a value of $\sin\theta\approx 0.22$ and the use of unitary symmetry, Cabibbo could describe the beta decays of strange mesons and baryons as well as explain the small discrepancy of the neutron and muon Fermi constants, the former being about 2.5% smaller than the latter. The discrepancy had been noticed already by Feynman and was being just confirmed by an accurate experiment performed by Valentino Telegdi in Chicago. Cabibbo’s universality consists in the fact that the weak hadron current he assumed obeys the same commutation relations as the electron or muon weak currents, which is the appropriate way to say that they have “equal strength”. Later, Cabibbo reformulated the same concept in the quark model, as the fact that the weak interaction couples the “up” quark to an orthogonal combination of the “down” and “strange” quarks determined by the angle θ previously introduced

L. Maiani Nature 2010

The Particle Theory Group in the '70s

R. GATTO

+ Gallavotti + ...

G. ALTARELLI
L. MAIANI
G. PREPARATA

NICOLA
CABIBBO

*Cabibbo Alumni: It was for me
a great privilege to study
physics in Phys. Dept. of Rome
at the beginning of the '70*

(the Nicola tobacco box)

+ Zirilli + Benzi+ Allega+

....

M. TESTA

G. PARISI

R. PETRONZIO

G. MARTINELLI

F. RAPUANO

....

Nicola Cabibbo

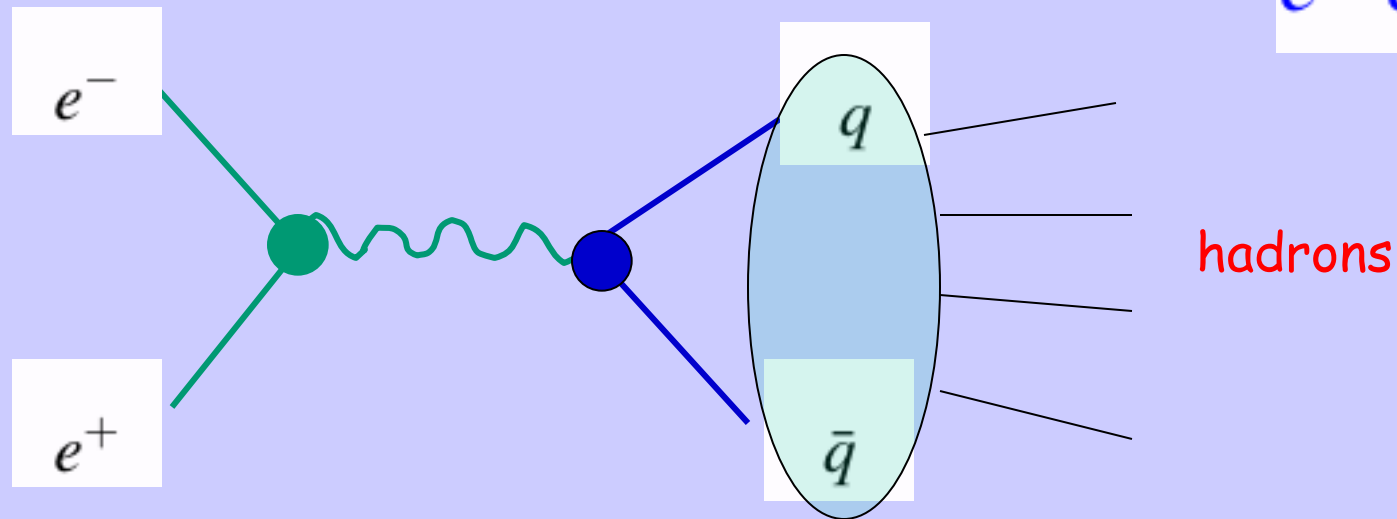


Main publications Cabibbo, N., Gatto, R., 'Electron-Positron Colliding Beam Experiments', *Physical Review*, 124, p. 1577 (1961); Cabibbo, N., 'Measurement of the Linear Polarization of γ Rays by the Elastic Photoproduction of p^0 on He 4', *Physical Review*, 124, p. 1577 (1961); Cabibbo, N. and Gatto, R., 'Proton-Antiproton Annihilation into Electrons, Muons and Vector Bosons', *Il Nuovo Cimento*, 24, pp. 170-180 (1962); Cabibbo, N., 'Unitary Symmetry and Leptonic Decays', *Phys. Rev. Lett.*, 10, pp. 531-533 (1963); Cabibbo, N. and Maksymowicz, A., 'Determination of the Form Factors in $K\mu_3$ Decays', *Phys. Lett.*, 9, pp. 352-353 (1964); Cabibbo, N., 'Unitary Symmetry and Nonleptonic Decays', *Phys. Rev. Lett.*, 12, pp. 62-63 (1964); Cabibbo, N. and Radicati, L.A., 'Sum Rule for the Isovector Magnetic Moment of the Nucleon', *Phys. Lett.*, 19, pp. 697-699 (1966); Cabibbo, N., Parisi, G. and Testa, M., 'Hadron Production in e^+e^- Collisions', *Lettere al Nuovo Cimento*, 4, pp. 35-39 (1970); Altarelli, G., Cabibbo, N. and Maiani, L., 'The Drell-Hearn Sum Rule and the lepton Magnetic Moment in the Weinberg Model of Weak and Electromagnetic Interactions', *Phys. Lett.*, 40B, pp. 415-419 (1972); Bahcall, J.N., Cabibbo, N. and Yahil, A., 'Are Neutrinos Stable Particles?', *Phys. Rev. Lett.*, 28, pp. 316-318 (1972); Cabibbo, N. and Parisi, G., 'Exponential Hadronic Spectrum and Quark Liberation', *Phys. Lett.*, 59B, pp. 67-69 (1975); Cabibbo, N., 'Bag Models', *Proceedings of the International Neutrino Conference, Aachen* (1976); Cabibbo, N., 'Time Reversal Violation in Neutrino Oscillation', *Phys. Lett.*, 72B, pp. 333-335 (1978); Cabibbo, N., 'The Impact of Gauge Theory on Elementary Particle Physics', *Proceedings of the Thirteenth 'Gauge Theories Leptons' Rencontre de Moriond*, Vol. II, (J. Tran Thanh Van, ed.) (1978); Cabibbo, N., 'Parton Distributions and their Q² Dependence', *The Whys of Subnuclear Physics*, Plenum Publishing

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$$R_{e^+e^-}(S)$$



$$e^+ e^- \rightarrow \bar{q} q$$

$$R_{e^+e^-}(S) = \frac{\sigma(e^+ e^- \rightarrow \text{hadrons})}{\sigma(e^+ e^- \rightarrow \mu^+ \mu^-)}$$

At the dawn of the
Parton Model
Well before QCD

Hadron Production in e^+e^- Collisions (*).

N. CABIBBO

Istituto di Fisica dell'Università - Roma
Istituto Nazionale di Fisica Nucleare - Sezione di Roma

G. PARISI and M. TESTA

Istituto di Fisica dell'Università - Roma

(ricevuto il 30 Maggio 1970)

1. - The simple properties of deep inelastic electron-proton scattering has suggested models where these processes arise as interactions of virtual photons with an « elementary » component of the proton. These as yet unspecified elementary components of the proton have been given the name of « partons » by FEYNMAN (1). The model has been studied by BJORKEN and PASCHOS (2) and successively by DRELL, LEVY and TUNG MOW YAN (3) who gave a field-theoretical treatment of the parton model, and were able to recover some of the experimentally observed properties of this process. In this letter we wish to extend the method of ref. (2) to the study of the total cross-section of electron-positron annihilation into hadrons.

This treatment leads to an asymptotic (very high cross-section c.m. energy, $2E$) of the form

$$(1) \quad \sigma \rightarrow \frac{\pi\alpha^2}{12E^2} \left[\sum_{\text{spin } 0} (Q_i)^2 + 4 \sum_{\text{spin } \frac{1}{2}} (Q_i)^2 \right],$$

where Q_i is the charge of the i -th parton in units of e . This is simply the sum of the contributions of the single partons considered as pointlike (4). Each parton contributes a different kind of events to the total cross-section. The typical high-energy event should consist in the production of a pair of virtual partons, each of which develops into a jet of physical hadrons.

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At the dawn of the
Parton Model
Well before QCD

2. - The total cross-section for hadron production is proportional ⁽⁸⁾ to the absorptive part of the two-point correlation function of the e.m. current

$$(2) \quad \sigma = \frac{\alpha^2 4\pi^3}{E^2} \text{Im} \Pi(4E^2),$$

where

$$(3) \quad \text{Im} \Pi(q^2)(q_\mu q_\nu - q^2 \delta_{\mu\nu}) = (2\pi)^3 \sum_n \delta^4(p_n - q) \langle 0 | I_\mu(0) | n \rangle \langle n | I_\nu(0) | 0 \rangle.$$

Following the method of ref. ⁽⁹⁾ we employ the noncovariant perturbation expansion in the $P \rightarrow \infty$ frame. This limit is obtained by sending features of this limit, originated by FUBINI and FURLA by WEINBERG ⁽⁹⁾.

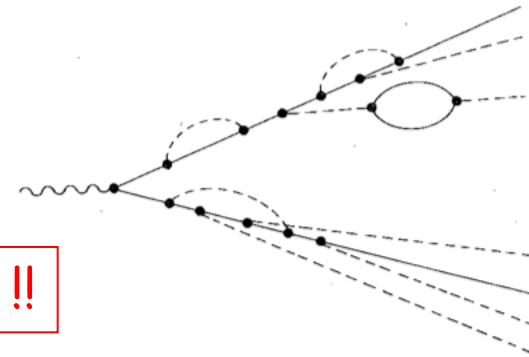


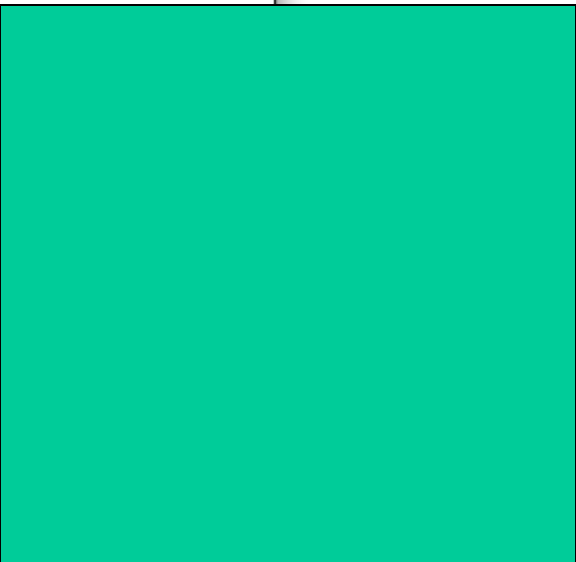
Fig. 1.

JET PHYSICS !!

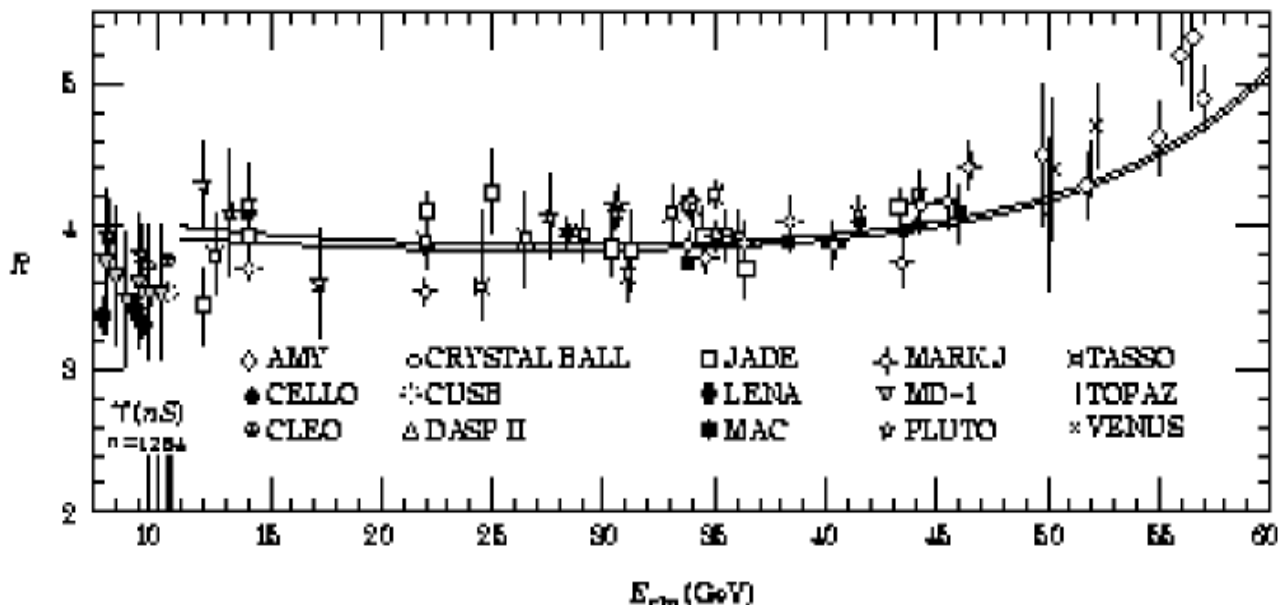
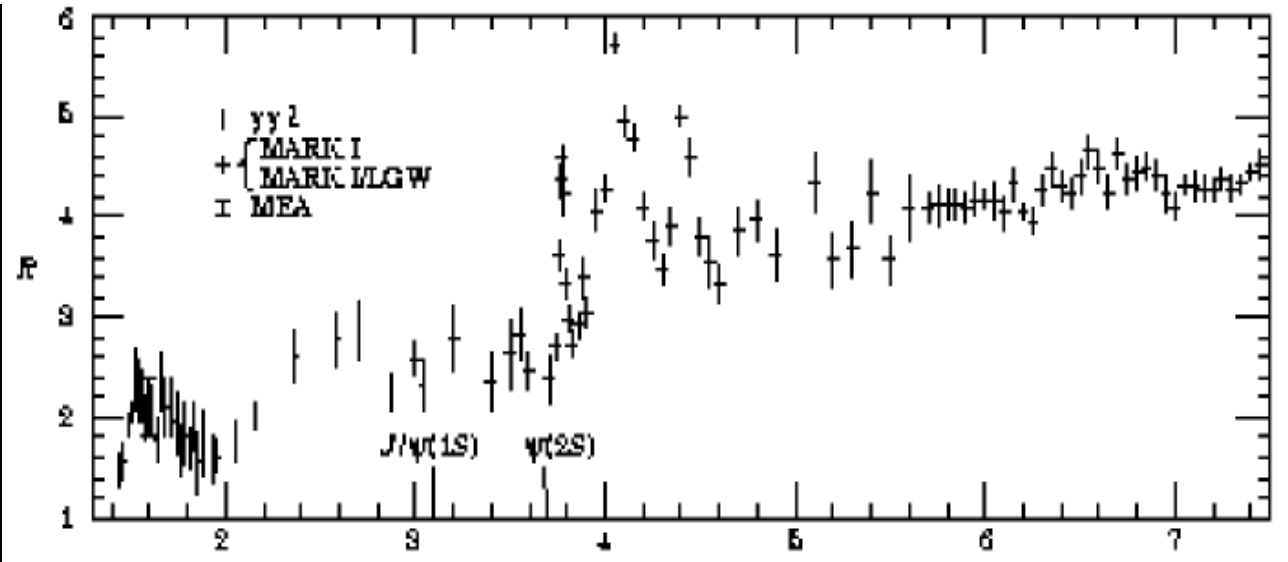
$$(5) \quad \frac{1}{(2\pi)^4} \int d^4x \exp [iqx] \langle 0 | j_3(x) j_3(0) | 0 \rangle.$$

Since j_μ is now the free current of the partons, this leads directly to eq. (1).

$R_{e^+e^-}(S)$



The data clearly support the existence of colour



EXPONENTIAL HADRONIC SPECTRUM AND QUARK LIBERATION

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Received 9 June 1975

The exponentially increasing spectrum proposed by Hagedorn is not necessarily connected with a limiting temperature, but it is present in any system which undergoes a second order phase transition. We suggest that the "observed" exponential spectrum is connected to the existence of a different phase of the vacuum in which quarks are not confined.



Following Hagedorn [1] we will impose the bootstrap condition:

$$\lim_{E \rightarrow \infty} \frac{\ln w(E)}{\ln \rho(E)} = 1. \quad (8)$$

This relation can be satisfied if, for large E , $w(E) \rightarrow E^{\alpha-3} \exp(E/\beta_c)$ with $\alpha < 2$ [1,8]. Under these hypothesis $F(\beta)$ will behave, for $\beta \sim \beta_c$, like

$$F(\beta) = A(\beta - \beta_c)^{2-\alpha} + \text{less singular terms}. \quad (9)$$

Only if $\alpha \geq 1$ the internal energy density

$$U(\beta) = \frac{d}{d\beta} F(\beta)$$

becomes divergent at $\beta = \beta_c$ and $T_c = 1/k\beta_c$ is a limiting temperature.

For $\alpha < 1$ $U(\beta)$ reaches a finite limit at $\beta = \beta_c$. At greater temperature all thermodynamical quantities remain finite, but the integral representations, eqs. (2) and (5) are not any more valid.

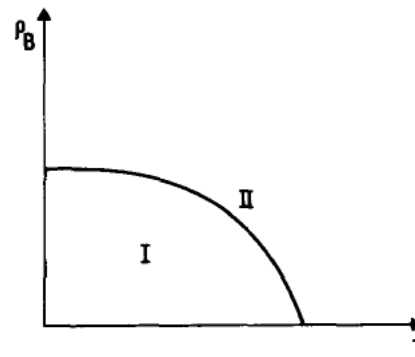


Fig. 1. Schematic phase diagram of hadronic matter. ρ_B is the density of baryonic number. Quarks are confined in phase I and unconfined in phase II.



Upper limits

Ref. TH. 266

$$8\pi^2 \frac{dh^2}{dt} = \left(\frac{g}{4} h^2 - 16\pi\alpha_s\right) h^2 \quad (3.2)$$

The quark mass is :

$$M_f = h(\eta^2) \cdot \eta \quad (3.3)$$

In writing Eq. (3.2), terms of order α_w and α have been neglected.

BOUNDS ON THE FERMIONS AND HIGGS BOSON MASSES IN GRAND UNIFIED THEORIES

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INFN - Sezione di Roma

L. Maiani
CERN - Geneva

G. Parisi
INFN - Laboratori Nazionali di Frascati

and

R. Petronzio
CERN - Geneva

stability condition



$$h^2(\eta^2) > \frac{64}{9} \pi \alpha_s \quad (4.1)$$

corresponding to $M_x > 250$ GeV. Clearly, in the vicinity of the singular point, Eq. (3.2) does not describe the correct behaviour of h^2 , in that higher order corrections become significant. The presence of a singularity in the solution of Eq. (3.2), for a certain value of q^2 , is simply a signal that, at that energy scale, the interaction becomes strong. This should not happen for q^2 smaller than M_U^2 , and this condition leads to an upper bound for the initial value, $h^2(\eta^2)$. We note that the stronger condition that $h^2(q^2)$ remains small for $q^2 < M_U^2$, leads essentially to the same bound. This is due to the fact that L_U is very large, and that the solution to Eq. (3.2) varies very rapidly near the singular point. We shall therefore adopt the weaker bound discussed above.

We have determined the upper bound of $h^2(\eta^2)$ by solving numerically Eq. (3.2). In the case $N=3$, Eq. (4.1) is sufficient to describe the variation of α_s with q^2 . For $N=8$, we have taken into account the two loop corrections to the evolution of α_s , computed in Ref. 11). Using $\alpha_s(\eta^2) \approx 0.1$, we find :

$$M_f < 200 \text{ GeV} \quad (N=3)$$

In the framework of GUT, the requirement that no interaction becomes strong and no vacuum instability develops up to the unification energy, is shown to imply upper bounds to the fermion masses as well as upper and lower bounds to the Higgs boson mass. These bounds are studied in detail for the case of the unifying groups SU(5) or O(10)

12 June 1979

Upper limits

$$32\pi^2 \frac{d\lambda}{dt} = 4\lambda^2 + 12\lambda h^2 - 3\lambda(3g^2 + g'^2) - 36h^4 + \frac{g}{4} [2g^4 + (g^2 + g'^2)^2]$$

(3.5)

$$M_H^2 = \frac{2}{3} \lambda (\eta^2) \cdot \eta^2$$

(4.3)

The resulting bound on M_H , as a function of the heavy quark mass, is shown in Fig. 1, for the case $N=3$, and i

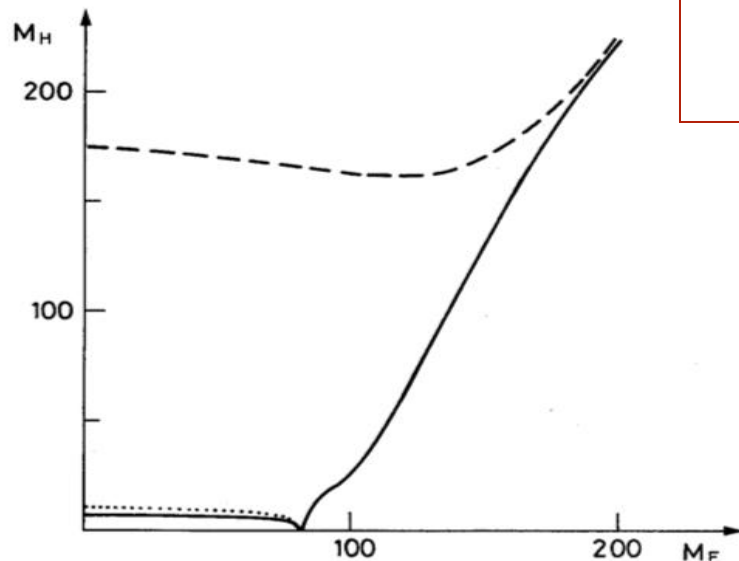


FIG. 1

$$\langle \phi \rangle \equiv \eta = \frac{1}{2^{3/4} G_F^{1/2}} \sim 176 \text{ GeV}$$



Lower limits given by the stability of the potential

Looking back at Eq. (3.5), we see that $\lambda(q^2)$ can be driven to negative values if the Yukawa coupling dominates the r.h.s. The situation is easy to analyze if we neglect the q^2 dependence of h , g and g^2 . If :

$$36h^4 - \frac{g}{4} [2g^4 + (g^2 + g'^2)^2] \propto \infty$$

$$\propto 12M_f^4 - 3(2M_w^4 + M_z^4) > 0 \quad (5.2)$$

the r.h.s. of Eq. (3.5) has one negative and one positive root : $\lambda_- < 0 < \lambda_+$. The negative root λ_- is an ultra-violet stable fixed point. Under these conditions, for any initial value in the region :

$$0 \leq \lambda(\eta^2) \leq \lambda_+ \quad (5.3)$$

λ becomes negative at some finite value of q^2 . A lower bound for $\lambda(\eta^2)$ can thus be obtained, by requiring that this does not happen for q^2 less than M_U^2 . In the more complicated case where h , g and g' evolve with q^2 according to Eqs. (2.1) and (3.2), the lower bound can be obtained numerically. The corresponding lower bound on M_H is displayed in Figs. 1 and 2, for $N=3$ and 8 respectively *, as a function of the fermion mass, i.e., $h(\eta^2)$.

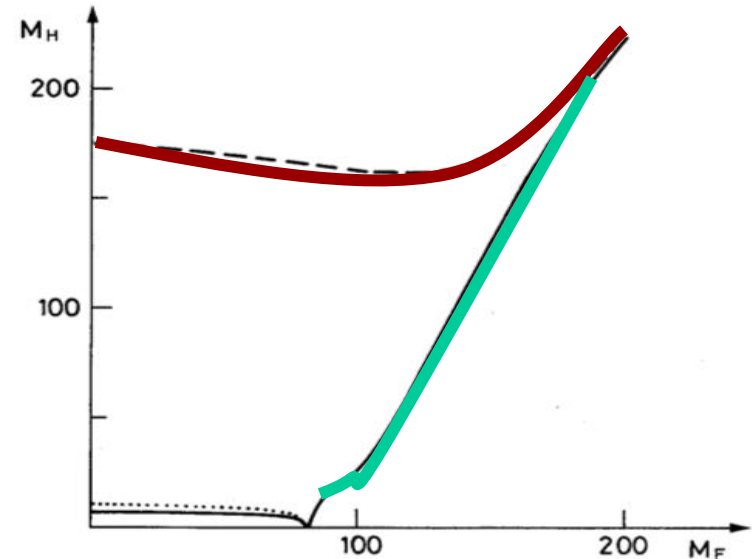


FIG. 1

$$V_0^{1-loop}[\phi] = -\frac{1}{2}m_0^2\phi^2 + \frac{1}{24}\lambda_0\phi^4 + \frac{1}{16\pi^2} \left[\frac{1}{4}H^2 \left(\ln \frac{H}{\mu_0^2} - \frac{3}{2} \right) + \frac{3}{4}G^2 \left(\ln \frac{G}{\mu_0^2} - \frac{3}{2} \right) + \frac{3}{2}W^2 \left(\ln \frac{W}{\mu_0^2} - \frac{5}{6} \right) + \frac{3}{4}Z^2 \left(\ln \frac{Z}{\mu_0^2} - \frac{5}{6} \right) - 3T^2 \left(\ln \frac{T}{\mu_0^2} - \frac{3}{2} \right) \right], \quad (1)$$

where

$$H = -m_0^2 + \lambda_0\phi^2/2, \quad G = -m_0^2 + \lambda_0\phi^2/6, \\ W = g_{10}^2\phi^2/4, \quad Z = (g_{10}^2 + g_{20}^2)\phi^2/4, \quad T = g_{t0}^2\phi^2/2, \quad (2)$$

requirement that the running coupling $\lambda(\Lambda)$ never becomes negative. Indeed for ϕ much larger than all mass scales in the theory the one-loop potential of eq.(1) can be written as:

$$V_0^{1-loop}[\phi] \simeq +\frac{1}{24}\phi^4 \left\{ \lambda_0 + [\beta_\lambda(\lambda_0, g_{i0}) - 4\lambda_0\gamma(\lambda_0, g_{i0})] \ln \left(\frac{\phi}{\mu_0} \right) + O(\lambda_0^2, g_{i0}^2) \right\}. \quad (3)$$

This is just the expansion of the quartic term in the RG improved potential:

$$V_{RG}^{1-loop}(\phi) \simeq +\frac{1}{24}\lambda(t)[\xi(t)\phi]^4 + O(\lambda(t)^2, g_i(t)^2), \quad (4)$$

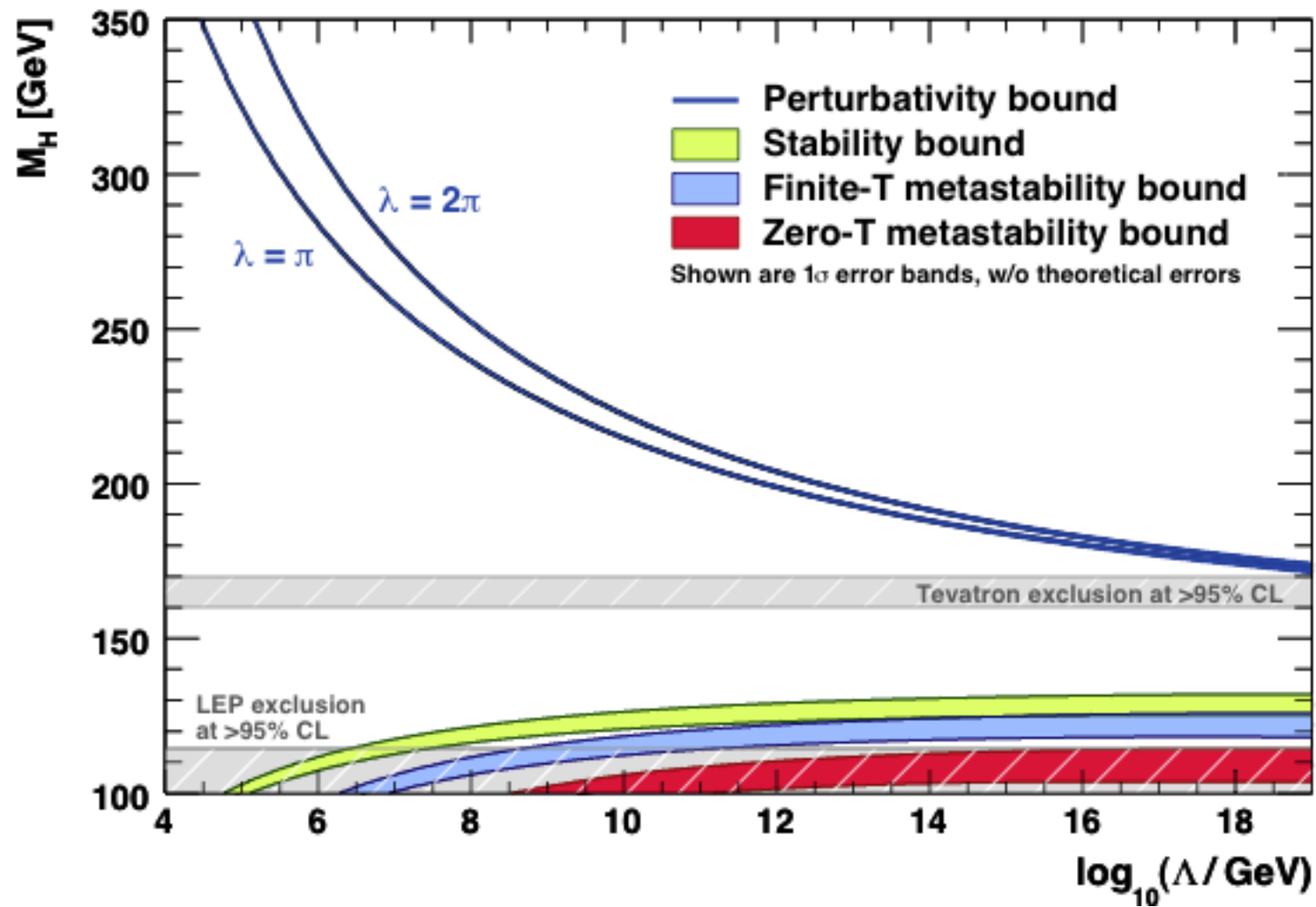
where

$$\xi(t) = \exp \left(- \int_0^t \gamma(\lambda(t'), g_i(t')) dt' \right), \quad t = \log(\Lambda/\mu_0), \quad (5)$$

$$\frac{d\lambda(t)}{dt} = \beta_\lambda(\lambda, g_i), \quad \frac{dg_i(t)}{dt} = \beta_i(\lambda, g_i), \quad (6)$$

$$\lambda(0) = \lambda_0, \quad g_i(0) = g_{i0}. \quad (7)$$

By J. Ellis and Collaborators (via A. Djouadi)



**LEPTONIC DECAY OF HEAVY FLAVORS:
A theoretical update**

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L. MAIANI

*Istituto di Fisica "G. Marconi", Università di Roma, and
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G. MARTINELLI

Istituto Nazionale di Fisica Nucleare, Laboratori Nazionali di Frascati, Italy

Received 29 June 1982

The spectrum of charged leptons in semileptonic B and D decays is reanalyzed. Special emphasis is given to the behaviour near the end point which is of importance for the determination of the $b \rightarrow u$ versus $b \rightarrow c$ couplings. In particular the effects of soft gluons are studied and their contribution is resummed in leading double logarithmic approximation. This effect determines the end-point behaviour for the decay of a heavy quark into massless quark and leptons, such as $b \rightarrow u e \bar{\nu}_e$. Bound-state corrections to the parton picture are treated in a model which satisfies all kinematical constraints. A comparison of predictions for charm decay with experimental data is also presented.

The "naive" ancestor of
of the HQET shape function
for semileptonic and radiative
decays

It contains, however, up to a
redefinition of the non
perturbative parameters, the
main features of the modern
theory

Fit of the parameters from The lepton spectrum of D decays

3:

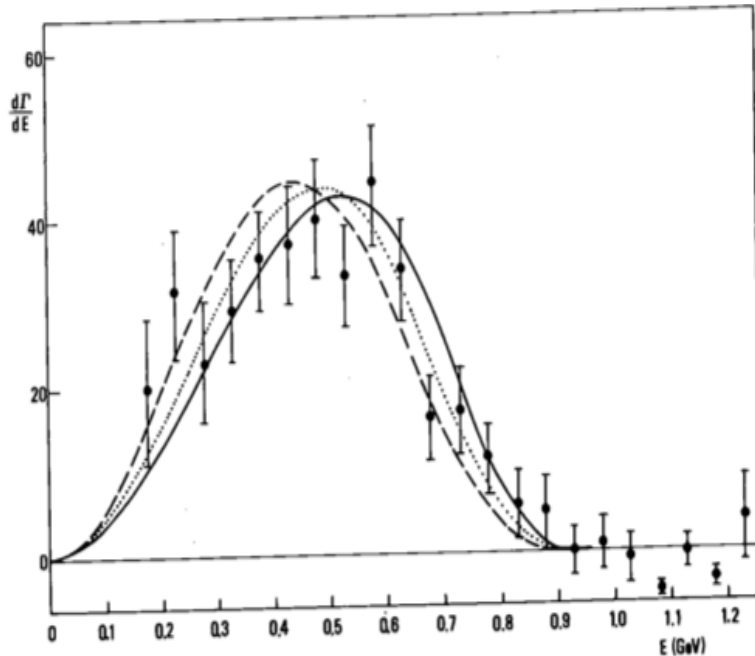
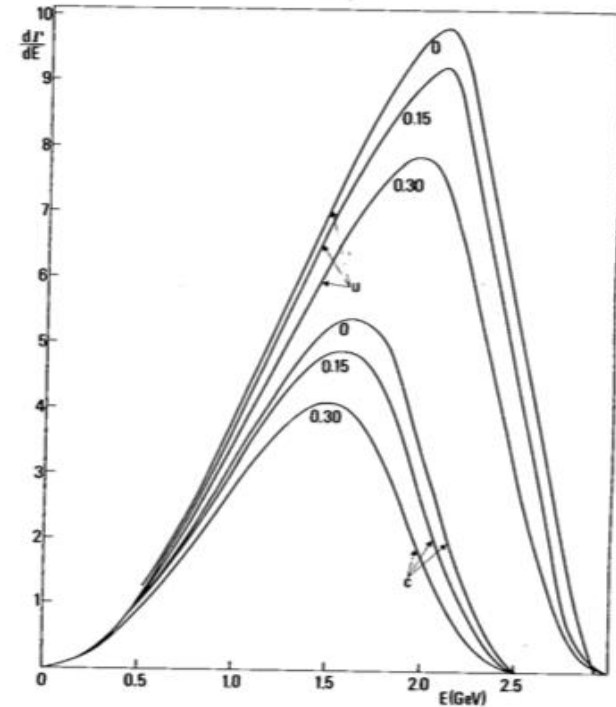


Fig. 3. Charged lepton spectrum in D decay for $M_D = 1.866$ GeV, $m = 0.3$ GeV, $m_{sp} = 0.15$ GeV, $\alpha_s = 0.38$, $P_B = 0.26$ GeV and $P_F = 0$ (solid), $P_F = 0.15$ GeV (dotted), $P_F = 0.3$ GeV (dashed). The normalization is fixed to the number of events.



6. $d\tilde{\Gamma}_{c,u}/dE$ for B meson decay for $M_B = 5.218$ GeV, $m_u = 0.15$ GeV, $m_c = 1.7$ GeV, $m_{sp} = 0.24$ GeV, various values of P_F as indicated (in GeV) and $P_B = 0.76$ GeV. The absolute scale is arbitrary, but the relative normalizations are correct.

comparing our predictions with the spectra obtained in $e^+e^- \rightarrow Y^m \rightarrow B\bar{B}$, the largest uncertainty, at present, seems to arise from the poor determination of the B mass, i.e. of the B momentum at a given value of the beam energy. The present bounds on the B-meson mass are [14]

$$5.162 \text{ GeV} \leq M_B \leq 5.275 \text{ GeV}, \quad (42)$$

Prediction of the spectrum in B decays for $b \rightarrow c$ and $b \rightarrow u$

$$5279.17 \pm 0.29 \text{ PDG FIT}$$

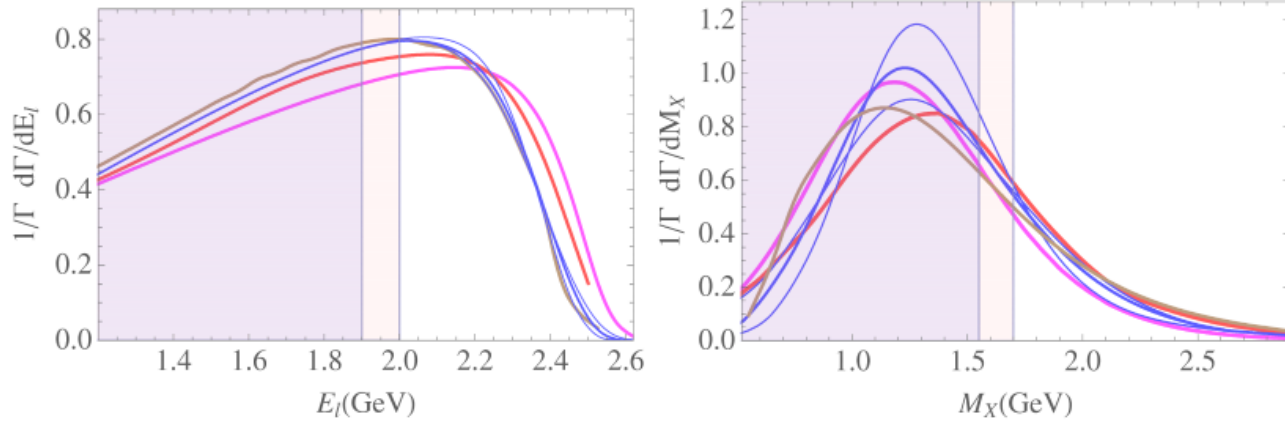


Fig. 38. Comparison of different theoretical treatments of inclusive $b \rightarrow u$ transitions: (a) E_l spectrum; (b) M_X spectrum. Red, magenta, brown and blue lines refer, respectively, to DGE, ADFR, BLNP, GGOU with a sample of three different functional forms. The actual experimental cuts at $E_l = 1.9, 2.0$ GeV and $M_X = 1.55, 1.7$ GeV are also indicated.

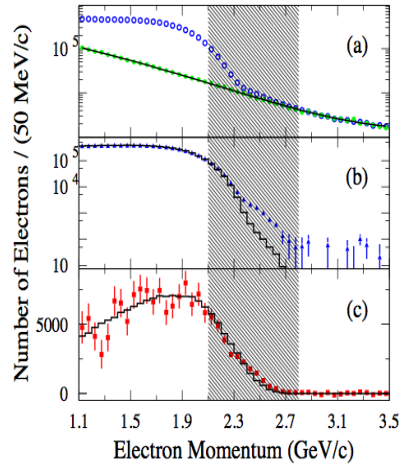


Fig. 40. The inclusive electron energy spectrum [594] from BaBar is shown for (a) on-peak data and q^2 continuum (histogram); (b) data subtracted for non- BB contributions (points) and the simulated contribution from B decays other than $b \rightarrow u\ell\nu$ (histogram); and (c) background-subtracted data (points) with a model of the $b \rightarrow u\ell\nu$ spectrum (histogram).

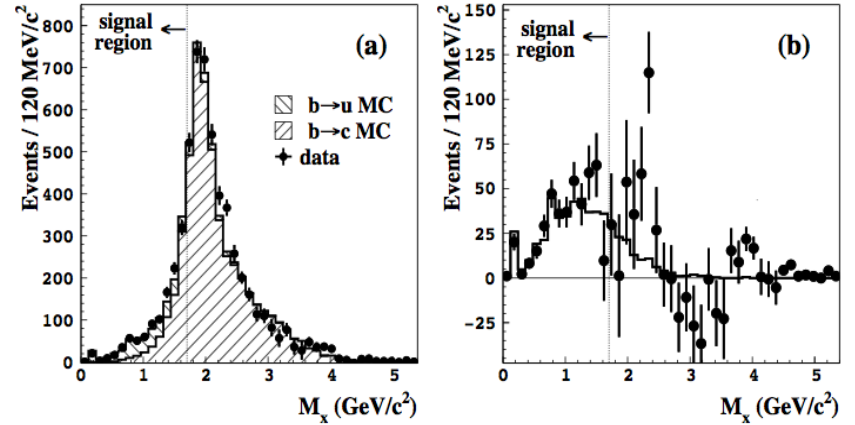


Fig. 41. The hadronic invariant mass spectrum [595] in Belle data (points) is shown in (a) with histograms corresponding to the fitted contributions from $b \rightarrow c\ell\nu$ and $b \rightarrow u\ell\nu$. After subtracting the expected contribution from $b \rightarrow c\ell\nu$, the data (points) are compared to a model $b \rightarrow u\ell\nu$ spectrum (histogram) in (b).

A NEW METHOD FOR UPDATING $SU(N)$ MATRICES IN COMPUTER SIMULATIONS OF GAUGE THEORIES

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Received 12 July 1982

We present a new method for updating $SU(N)$ matrices in lattice gauge theories simulations. The new method has been found for the case of $SU(3)$ to be about three times more efficient than the Metropolis method.

In this paper we propose a new method for updating $SU(N)$ matrices which is a natural extension of the Creutz method for $SU(2)$.

Tests executed on a 4^4 lattice in $SU(3)$ indicate that the method is more efficient than the Metropolis method: the new method led to a 40% saving in the computer time used for one iteration, and the thermalization is achieved faster, as indicated by a flatter hysteresis cycle during fast thermal excursions.

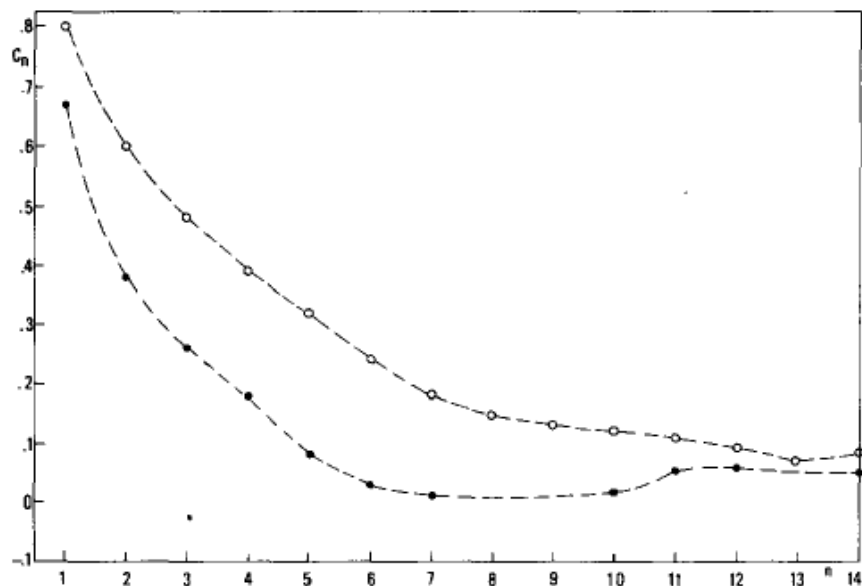
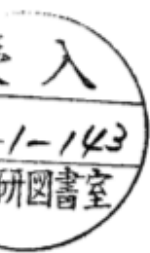


Fig. 3. Correlation function C_n [see eq. (17)]. Black dots: new method. Open circles: Metropolis.





Published in Nucl.Phys.B244:381-391,1984.

mid-August holiday paper !!

WEAK INTERACTIONS ON THE L

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G. Martinelli

INFN, Laboratori Nazionali di Frascati, Italy

and

R. Petronzio *)
CERN -- Geneva

ABSTRACT

We show that lattice QCD can be used to evaluate the matrix elements of four fermion operators which are relevant for weak decays. A first comparison between the results obtained on the lattice and other determinations is also presented.

Calculation Of Weak Transitions In Lattice Qcd.

Richard C. Brower, Guillermo Maturana, (UC, Santa Cruz) , M. Belen Gavela, (Brandeis U.) , Rajan Gupta, (Harvard U.) Phys.Rev.Lett.53:1318,1984.

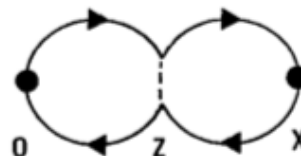


fig.1a

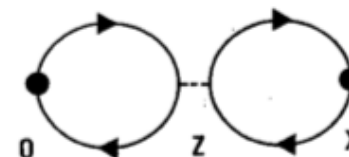


fig.1b

As a second test we have evaluated the $K_0 - \bar{K}_0$ matrix element:

$$\langle K^0 | (\bar{s} \gamma^\mu (1 - \gamma_5) d) (\bar{s} \gamma_\mu (1 - \gamma_5) d) | \bar{K}^0 \rangle = (4a^2) (10 \pm 1) 10^{-2}$$

$$B_K \sim 0.9 (1 \pm 0.3)$$

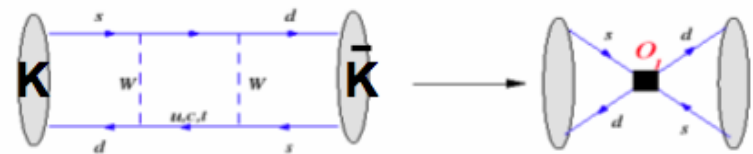
$$[\sim 7.7 \cdot 10^{-2}]$$

This result is in good agreement in sign and magnitude with the vacuum insertion value of Ref. /10/, but about 3 times larger than the estimate of Ref. /11/.

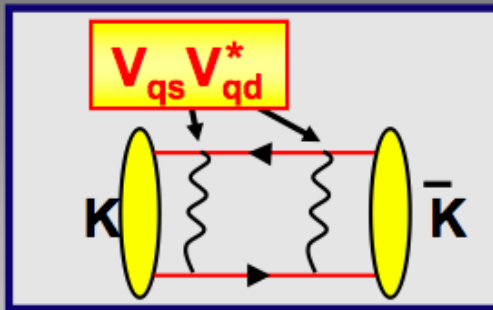
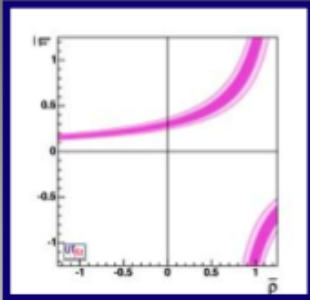
J Donoghue Phys. Lett. 119B (1982) 412

We were opening the Pandora box of Weak Interactions on the lattice (chiral symmetry, power diver. and renormalization, FSI etc.)

$K^0 - \bar{K}^0$ mixing: B_K



$$\langle \bar{K}^0 | Q(\mu) | K^0 \rangle = \frac{8}{3} f_K^2 m_K^2 B_K(\mu)$$



$$\hat{B}_K = 0.90 \pm 0.03 \pm 0.15$$

S. Sharpe @ Latt'96 17%

$$\hat{B}_K = 0.86 \pm 0.05 \pm 0.14$$

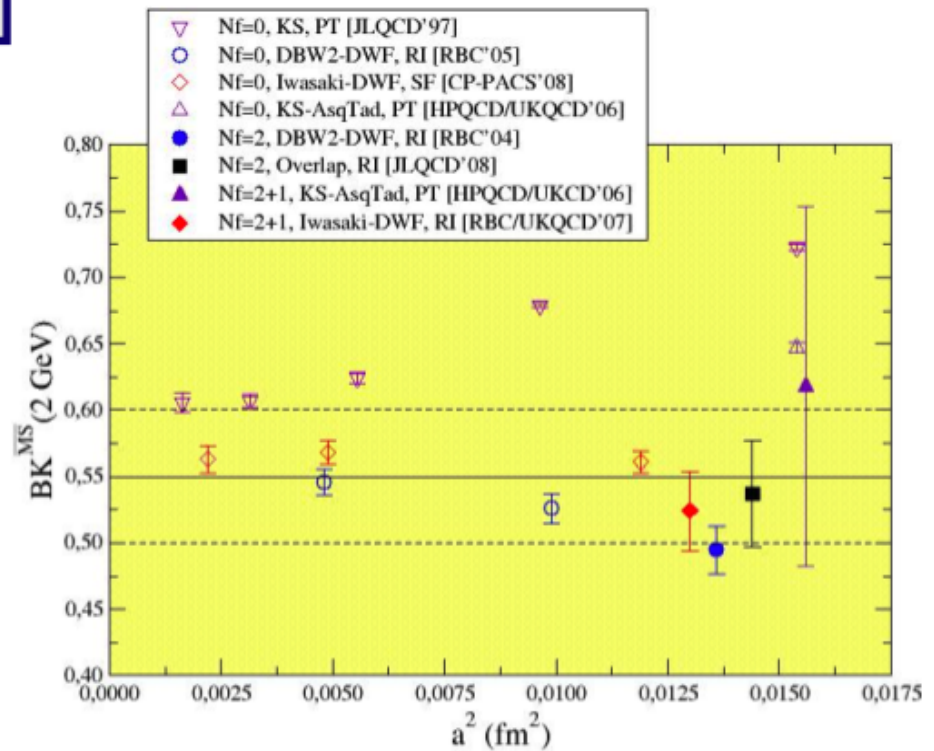
L. Lellouch @ Latt'00 17%

$$\hat{B}_K = 0.79 \pm 0.04 \pm 0.08$$

C. Dawson @ Latt'05 11%

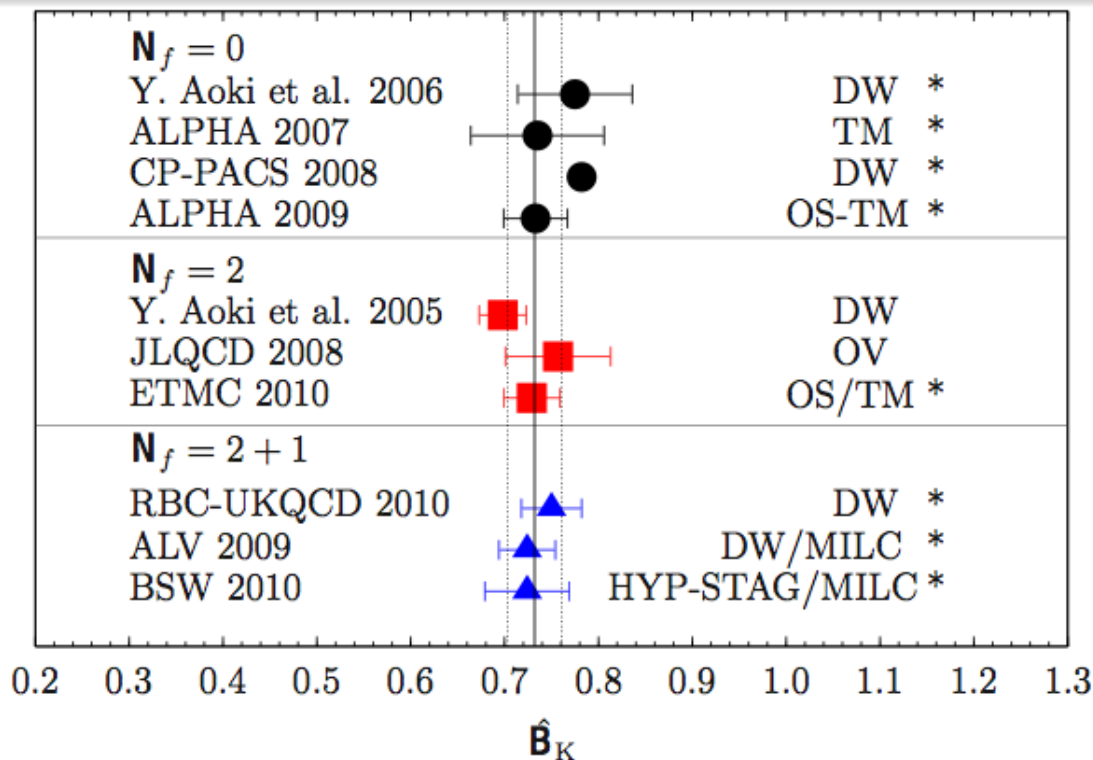
$$\hat{B}_K = 0.723 \pm 0.037$$

L. Lellouch @ Latt'08 5%

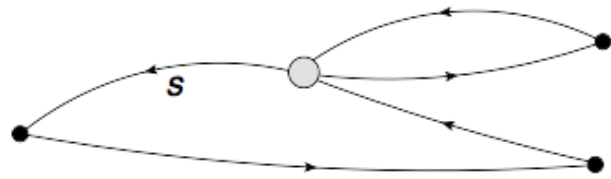


[VL, C. Tarantino 0807.4605]

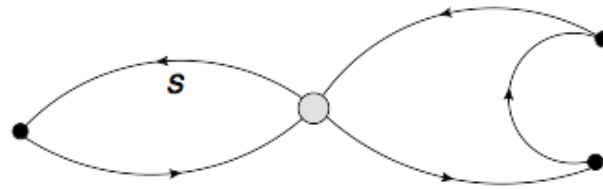
All unquenched calculations until last year at fixed (and rather large) lattice spacing



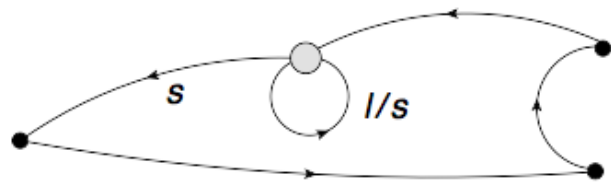
- * \rightarrow result already in the **CL**.
- Average: $\hat{B}_K^{(N_f=2)}(\text{ETMC}) = 0.729(30)$; $\hat{B}_K^{(N_f=2+1)} = 0.732(06)(28)$
- No dependence on the strange quark (with the present precision)!
- Difference of less than $\sim 2\sigma$ with the most precise quenched result.

$K^0 \rightarrow \pi\pi(l=0)$ contractions

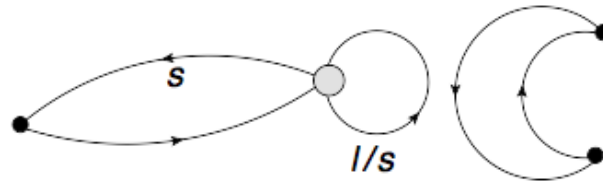
type1



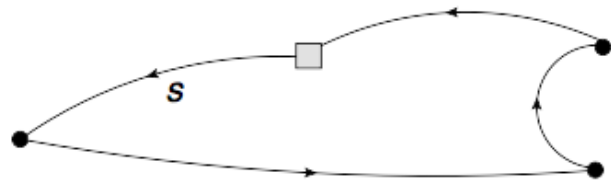
type2



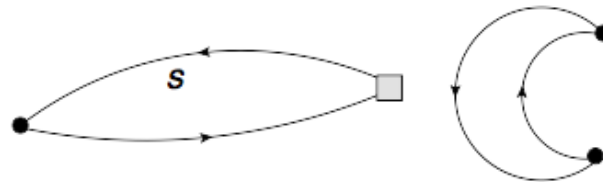
type3



type4



mix3



mix4

Nicola attention for new projects

February 2006 Inauguration of the APENEXT LAB (INFN-La Sapienza)



Breve Storia del progetto APE

Nicola Cabibbo

Dipartimento di Fisica
Università di Roma "La Sapienza"

8 Febbraio 2006

This is not translated because it is rather simple to
understand - >

I Progetti APE

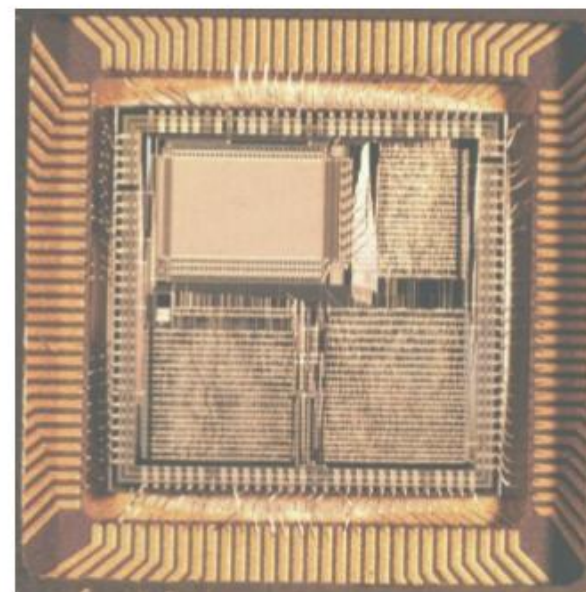
1984-1989: APE1

- 16 nodi di calcolo, 1 Gflops
- Software "primitivo"
- Prodotti alcuni prototipi

Gaetano sono finiti
i registri !!

1990-1995: APE100

- Modulare, 2048 nodi "custom", 100 GFlops
- Sviluppo di un linguaggio dedicato (TAO)
- Ambiente software "user friendly"
- Affidabilita' alta, 300 GFlops installati



I Progetti APE — Il team del primo APE

P. Bacilieri

[INEN-CNAE](#), Bologna, Italy

S. Cabasino, A. Frighi, F. Marzano, N. Matone, P. S. Paolucci, S. Petrarca, G. Salina

[INEN, Sezione di Roma](#), Italy

N. Cabibbo, E. Marinari, G. Parisi

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F. Costantini, G. Fiorentini, S. Galeotti, D. Passuello, R. Tripiccion

[Dipartimento di Fisica, Univerita' di Pisa](#); [INFN, Sezione di Pisa](#), Italy

A. Fucci, R. Petronzio, F. Rapuano

[CERN](#), Geneva, Switzerland

D. Pascoli, P. Rossi

Dipartimento di Fisica, [Univerita' di Padova](#); [INEN, Sezione di Padova](#), Italy

E. Remiddi

Dipartimento di Fisica, Univerita' di Bologna; [INEN-CNAE](#), Bologna, Italy; [INEN, Sezione di Bologna](#), Italy

R. Rusack

[Rockefeller University](#), New York, U.S.A.

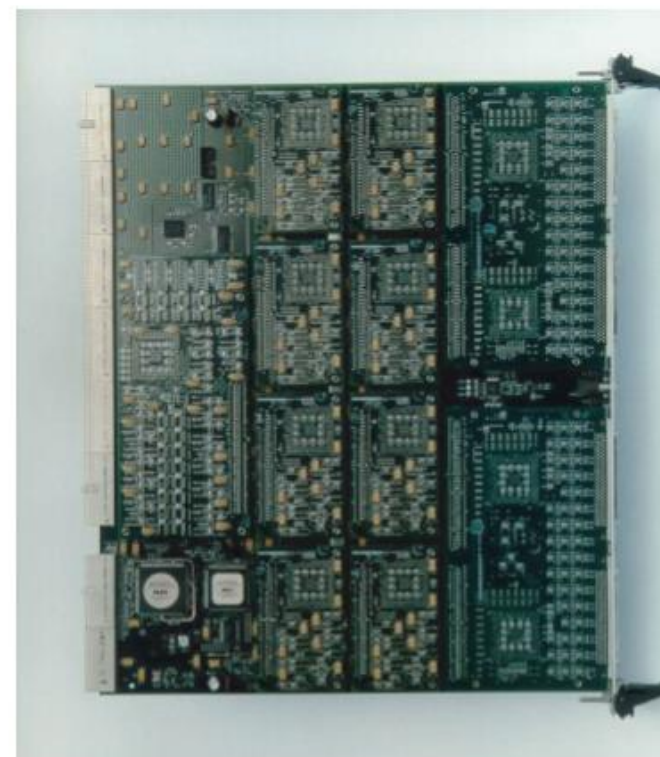
B. Tirozzi

Dipartimento di Matematica - [Univerita' "La Sapienza"](#) Roma, Italy

1984-1989

1995-2000: APEmille

- Progetto internazionale INFN-DESY “up and running!!”
- “processor array” tridimensionale scalabile da 8 a 2048 nodi con perf. da 4 GF ad 1.1TFlops
- Architettura SIMD, comunicazioni sincrone a primo vicino
- 32 MByte di memoria locale per nodo
- Singola e doppia precisione
- Rete di 64 PCs realizza “Host computer” completamente integrato (bus cPCI)

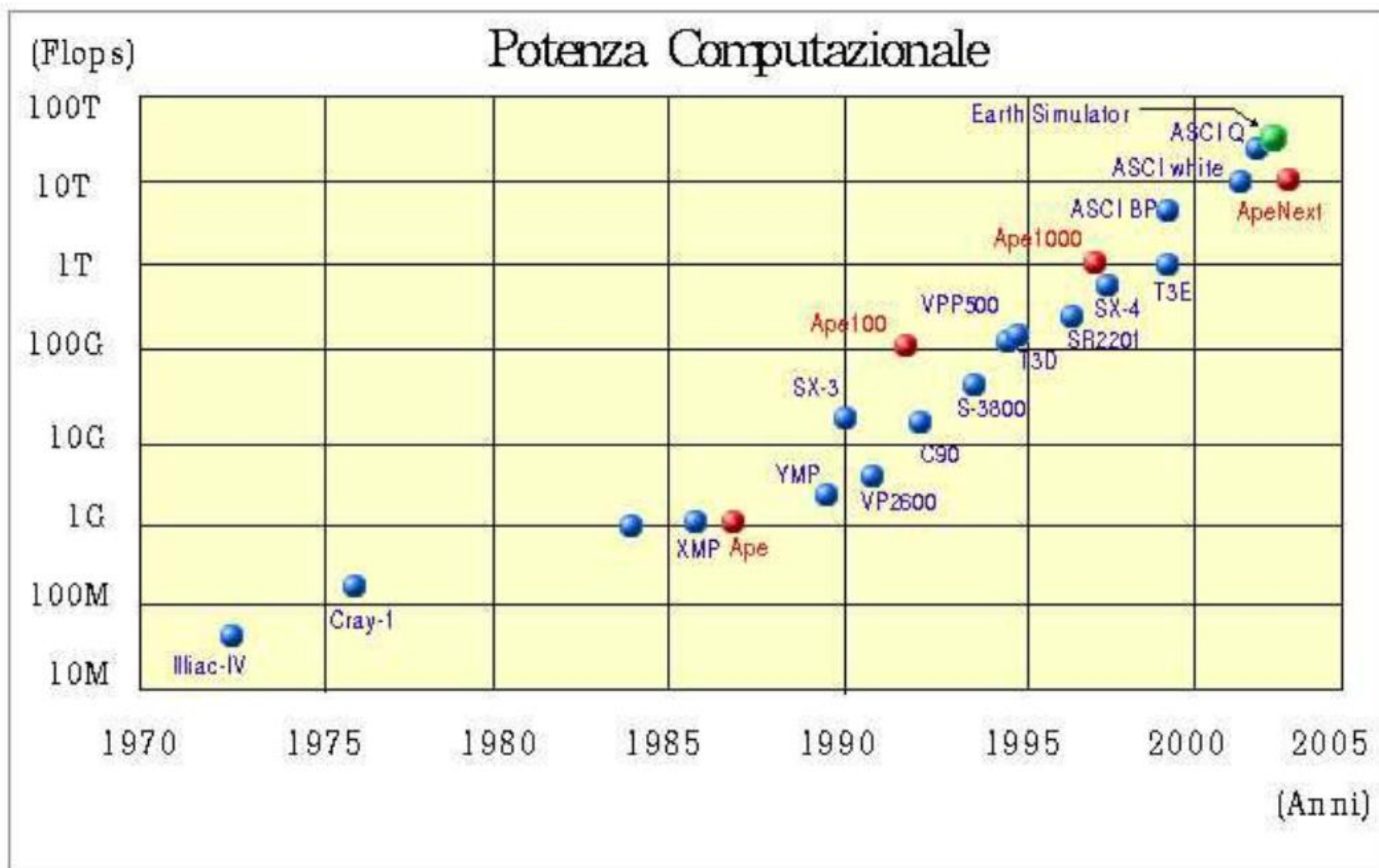


APEMille



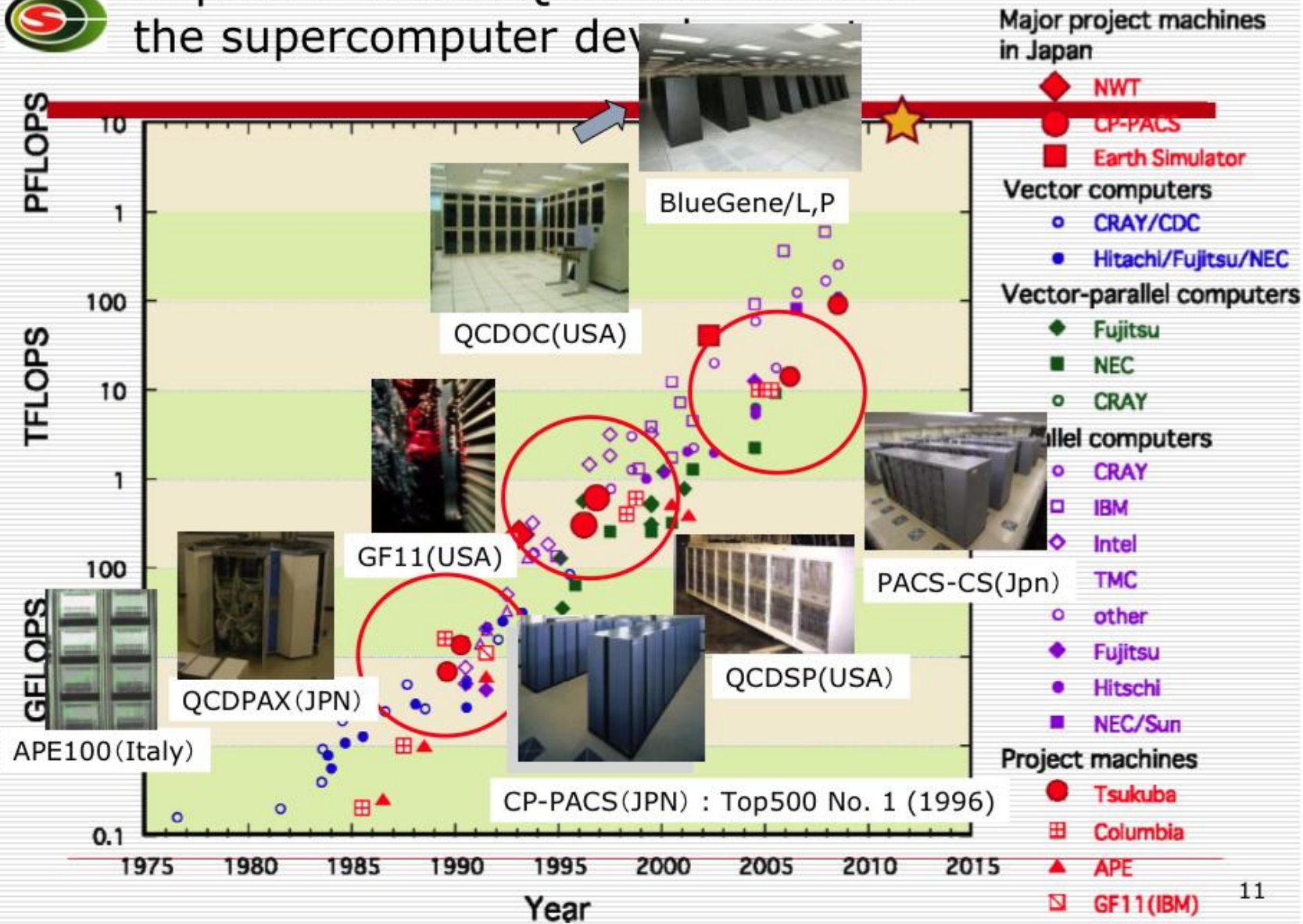
Site	Peak Perf. GFlops
Roma 1	640
Desy	576
Pisa	256
Roma 2	256
Bielefeld	128
Milano	128
Bari	64
Swansea	64
Orsay	16
Totale	2128 !

I Progetti APE nel contesto mondiale





Impact of lattice QCD machines on the supercomputer development



L'impatto di APE

- Scientific, technological and social impacts:
 - APE is standard “de facto” in European LQCD computing area
 - Huge number of scientific and technological (HW, SW, Architecture) papers
 - Establishment of an international computing facility fully dedicated to scientific numerical computing
 - Laboratorio di Calcolo apeNEXT: 12 TFs installed, opening on February, 8th
 - Strategic opportunities to increase national(European) industry capability
 - Eurotech
 - INFN collaboration -> HPC division, market expansion, international visibility
 - Finmeccanica/QSW
 - Training, dissemination and establishment of spin-off companies
 - Atmel/Ipitec
 - Nergal
 - Digital Video
 - Venere

SPIN OFF OF THE APE PROJECT

***Cabibbo as smart manager
as INFN and ENEA President***

Other papers that I do not have time to discuss

Volume 40B, number 3

PHYSICS LETTERS

10 July 1972

THE DRELL-HEARN SUM RULE AND THE LEPTON MAGNETIC MOMENT IN THE WEINBERG MODEL OF WEAK AND ELECTROMAGNETIC INTERACTIONS

G. ALTARELLI

Istituto di Fisica dell'Università, Roma, Italy

N. CABIBBO

*Istituto di Fisica dell'Università, Roma, Italy
and Istituto Nazionale di Fisica Nucleare, Sezione di Roma, Italy*

and

L. MAIANI

*Istituto Superiore di Sanità, Roma, Italy
Istituto Nazionale di Fisica Nucleare, Sottosezione Sanità, Roma, Italy*

1) DETERMINATION OF THE $A_0 - A_2$ PION SCATTERING LENGTH FROM
 $K^+ \rightarrow \pi^+ \pi^0 \pi^0$ DECAY.

By [Nicola Cabibbo \(CERN\)](#), CERN-PH-TH-2004-073, May 2004. 8pp.

e-Print Archive: [hep-ph/0405001](#)

Nicola was keen to teach and continued to do it until very recently.

He was able to find simple arguments, and arrive to classical results with original and intuitive demonstrations, to explain difficult concepts.

His students were fascinated by his simplicity, gentle modes and sense of humour. So we did, all of us we who had the privilege to be his collaborators and friends. (L. Maiani)



VIETATO FUMARE

$$\begin{aligned} \pi_{(k)} &= \dots & \lambda_{(k)} &= \dots & \mu_{(k)} &= \dots & \nu_{(k)} &= \dots \\ (k) &= k & B(k) &= \dots & K(k) &= \dots & \Pi(k) &= \dots \\ \dots & & \dots & & \dots & & \dots & \dots \end{aligned}$$

Nicola was a superb physicist who made huge contributions to our field, and at the same time he was a kind and gentle man.

With our sympathy and best wishes,

Mike Chanowitz

Mary K. Gaillard

Bruno Zumino

Dear Luciano, Guido, Massimo,

It was with profound sorrow that I heard of Nicola's death.

On behalf of the Fermilab theory group I would like to express our condolences at the passing of a great man.

I would also like to extend my deepest sympathy to you

at the loss of a good friend. Although I did not know him well

Nicola displayed great kindness and openness towards me

whilst I was in Rome as a student and took great care to advise

me about my future career. I clearly remember him inviting me

to his home and opening my eyes to the big world of opportunities

which I could have as a post-doc. For that I will always be grateful.

I would be grateful if you would communicate my sympathy

and the condolences from our theory group also to Nicola's family.

Sincerely,

Keith (Ellis)

Before the end....

In all circumstances, Nicola has shown an extreme courtesy and kindness to anybody, refusing, for example, any controversy for the missing/missed Nobel prize.

With the same precious style, he has accomplished his obligations as President of INFN, first, President of ENEA and President of the Pontifical Academy of Sciences.

Nicola was able to combine an extraordinary physics insight, vision with management skill and integrity.

He will remain a reference for those who had the privilege to interact with him, and for the future generations of young researchers who will share with him the passion for physics and in general the love for the investigation of the misteries of Nature.

We are all grateful to him and we shall sorely miss him.