

Z' measurements in Higgsless models at the LHC

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Motivation

Higgs boson has not been discovered.

In the Standard model without Higgs boson,
 $W_L W_L$ scattering violates tree-level unitarity @ $\sqrt{s} \sim 1\text{TeV}$.



There are Two possibility at $\sqrt{s} \sim 1\text{ TeV}$

- Non-perturbative
- Perturbative

Motivation

Two possibility at $\sqrt{s} \sim 1 \text{ TeV}$

- **Non-perturbative**

There is no resonance $< 1 \text{ TeV}$

- **Technicolor ...**

- **Perturbative**

New resonance should appear $< 1 \text{ TeV}$ to unitarize $W_L W_L$ scattering.

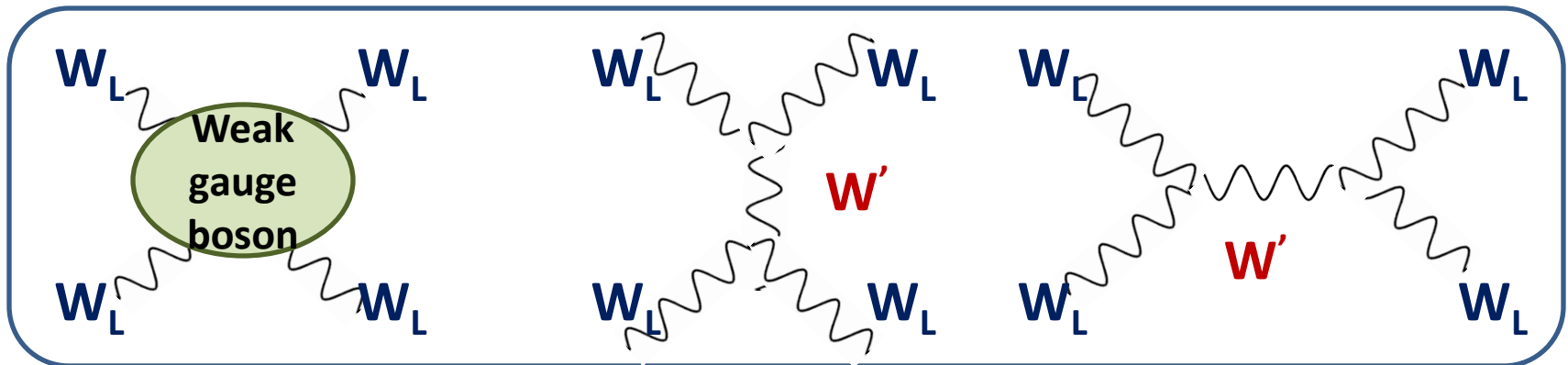
We focus on this possibility in this study.

■ **Perturbative:** New resonance should appear ($< 1\text{TeV}$) to unitarize $W_L W_L$ scattering.

■ **SPIN 0** --- Higgs (SM, SUSY, ...) (H)

■ **SPIN 1** --- Higgsless model (W', Z', \dots)

Spin 1 resonances will be responsible to restore the unitarity of $W_L W_L$ scattering.



(Similar to Unitarity of $\pi \pi$ scattering is restored by ρ meson)

■ **Perturbative:** New resonance should appear ($< 1\text{TeV}$) to unitarize $W_L W_L$ scattering.

■ SPIN 0 --- Higgs (SM, SUSY, ...) (H)

■ SPIN 1 --- Higgsless model (W', Z', \dots)



(H) or (W' & Z') should appear ($< 1\text{TeV}$) in perturbative TeV new theory.

Discovery & measurements of the spin 1 resonances are very important to interpret TeV new physics at LHC.

Our study Measurements of spin 1 resonance (Z') mass using MAOS momentum

Feature of spin 1 resonances

Features of spin 1 resonance

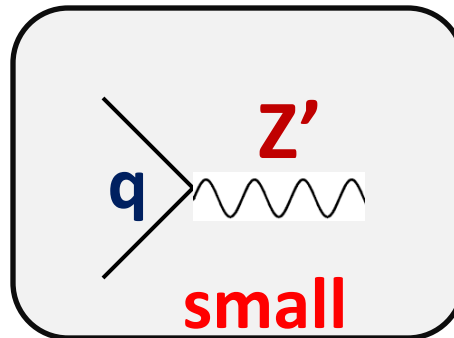
in this study

- Couple to weak gauge bosons
- Massive $\lesssim 1$ TeV
in order to avoid the unitarity violation.
- Coupling with fermions should be small
in order to avoid the constrains from EWPM.

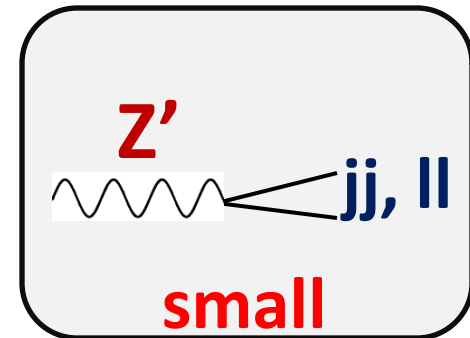
Following couplings
should be **small**



production



decay



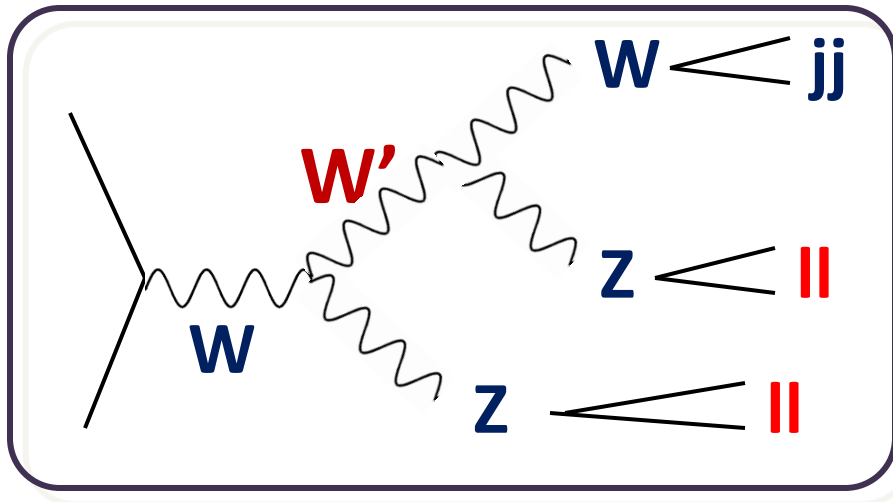
The example of this type scenario:

3-site Higgsless model, ...

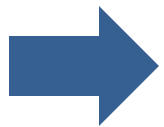
measurements of spin 1 resonances

W' mass measurement

The final state is $WZZ \rightarrow lljj$



For example, He, Kuang, Qi, Zhang, Belyaev, Chivukula, Christensen, Pukhov and Simmons, arXiv.0708.2588 [hep-ph], Belyaev, arXiv.0711.1919 [hep-ph]

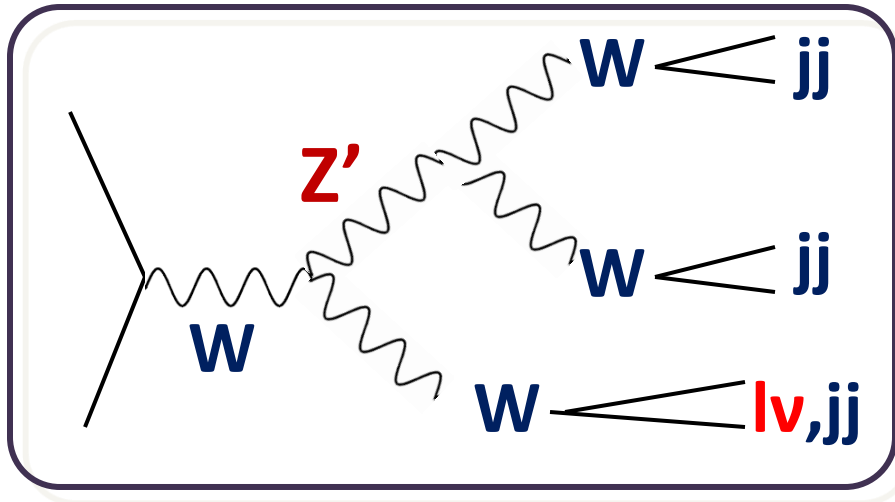


W' mass can be reconstructed well.

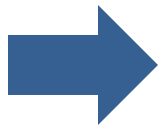
On the other hand, ...

Z' mass measurement

The final state is WWW



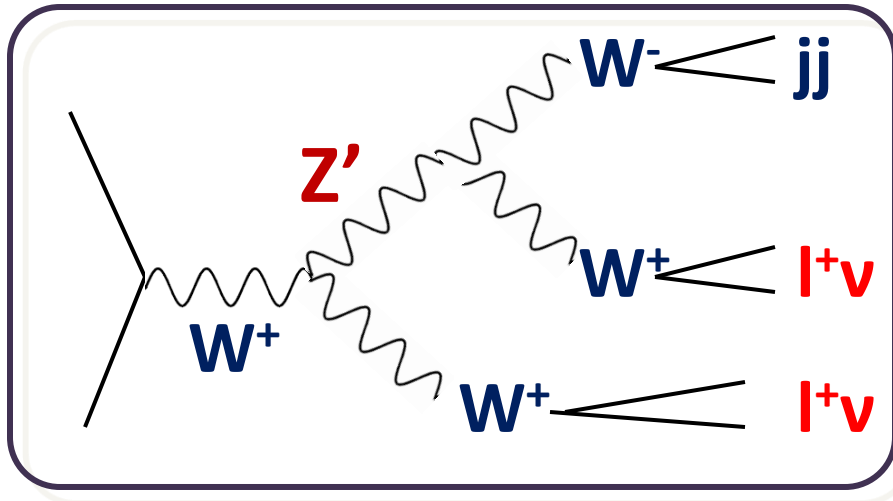
In events in which many hadronic decay W, W reconstruction is difficult due to contamination.



Z' mass measurement is very difficult.

Z' mass measurement

The final state is WWW



Using same sign lepton + jj ($\sim m_W$) mode, SM BG is small.

However, Z' mass can be only determined by endpoint of $M(llj)$ due to final 2ν .

Tao Han et.al. (PRD80,095010)

We study to measure Z' features using **MAOS** momentum.

(In this conference, **MAOS** has already introduced by Prof. K. Choi.)

From **MAOS** momentum, we can reconstruct 2 neutrino 4-momentum. Thus, the measurement of the Z' peak is also possible!

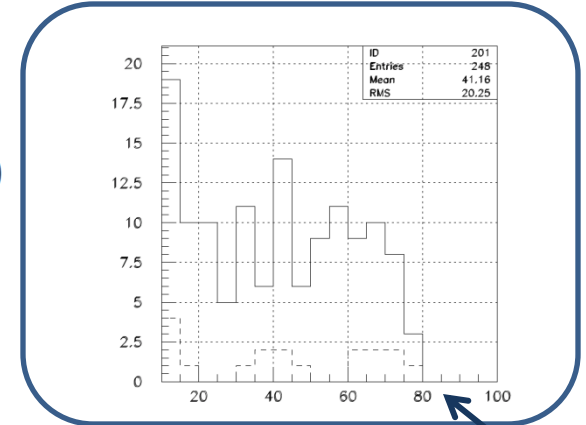
Short review of **MAOS** momentum

M_{T2} Assisted On-Shell (MAOS) momentum

$$WW \rightarrow l(p)\nu(k)l'(q)\nu'(l)$$

W. S. Cho, et. al. PRD79,031701
K. Choi, et. al. PRD80, 073010

$$M_{T2} \equiv \min_{\mathbf{k}_T + \mathbf{l}_T = \mathbf{p}_T} \left[\max \left\{ M_T^{(1)}, M_T^{(2)} \right\} \right] \leq M_W$$



$$\left(M_T^{(1)} \right)^2 = 2 \left(|\mathbf{p}_T| |\mathbf{k}_T| - \mathbf{p}_T \cdot \mathbf{k}_T \right) \quad \left(M_T^{(2)} \right)^2 = 2 \left(|\mathbf{q}_T| |\mathbf{l}_T| - \mathbf{q}_T \cdot \mathbf{l}_T \right)$$

$$\begin{aligned} M_{T2}(\mathbf{p}_T, \mathbf{q}_T, \mathbf{p}'_T) &= \sqrt{2 \left(|\mathbf{p}_T| |\mathbf{k}_T^{\text{maos}}| - \mathbf{p}_T \cdot \mathbf{k}_T^{\text{maos}} \right)} \\ &= \sqrt{2 \left(|\mathbf{q}_T| |\mathbf{l}_T^{\text{maos}}| - \mathbf{q}_T \cdot \mathbf{l}_T^{\text{maos}} \right)}, \\ \mathbf{p}'_T &= \mathbf{k}_T^{\text{maos}} + \mathbf{l}_T^{\text{maos}}. \end{aligned}$$

MAOS momentums should satisfy following relations:

$$\mathbf{1.} \quad (k_{\text{maos}})^2 = (l_{\text{maos}})^2 = 0 \quad \mathbf{2.} \quad (p + k_{\text{maos}})^2 = (q + l_{\text{maos}})^2 = M_W^2$$

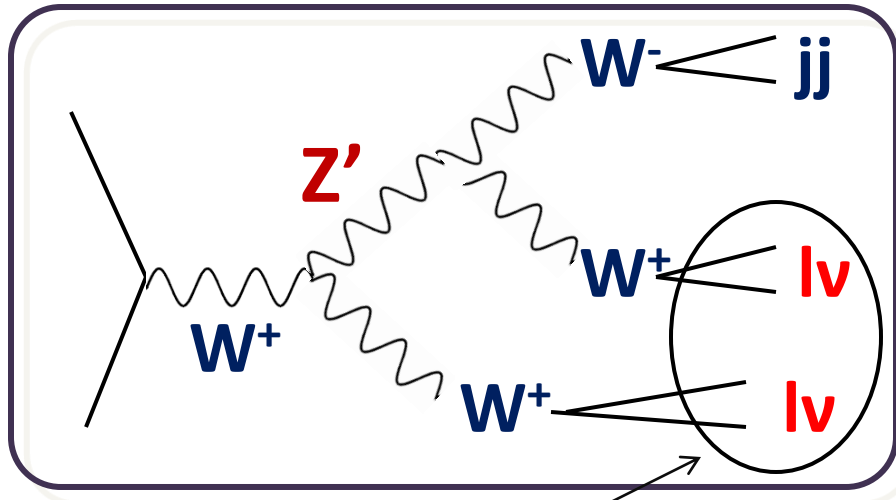
$$\begin{aligned} \mathbf{k}_T^{\text{maos}} &= -\mathbf{q}_T & k_L^{\text{maos}}(\pm) &= \frac{1}{|\mathbf{p}_T|^2} \left[p_L A \pm \sqrt{|\mathbf{p}_T|^2 + p_L^2} \sqrt{A^2 - |\mathbf{p}_T|^2 |\mathbf{k}_T^{\text{maos}}|^2} \right] \\ \mathbf{l}_T^{\text{maos}} &= -\mathbf{p}_T & l_L^{\text{maos}}(\pm) &= \dots & A &\equiv M_W^2 / 2 + \mathbf{p}_T \cdot \mathbf{k}_T^{\text{maos}} \end{aligned}$$

At the M_{T2} endpoint,

$$\mathbf{k}_{\text{maos}} = \mathbf{k}_{\text{true}}, \quad \mathbf{l}_{\text{maos}} = \mathbf{l}_{\text{true}}$$

**measurements of spin 1 resonances
using MAOS momentum**

Results Example: Z' (350GeV) in 3-site Higgsless model



Cross section ~ 850 fb

BG: $WWW \sim 30$ fb,
 $WWZ \sim 8$ fb,...

We use M_{T2} for this part.

From this M_{T2} endpoint, we reconstruct 4-momenta of 2ν .



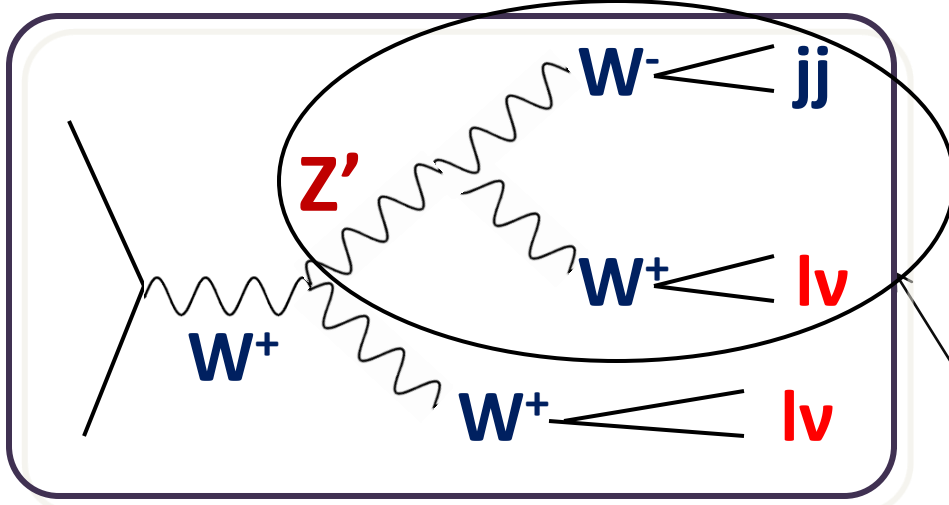
W boson can be reconstructed by lepton and reconstructed neutrino from MAOS momentum.

Main CUT:

$P_{T1} > 125$ GeV

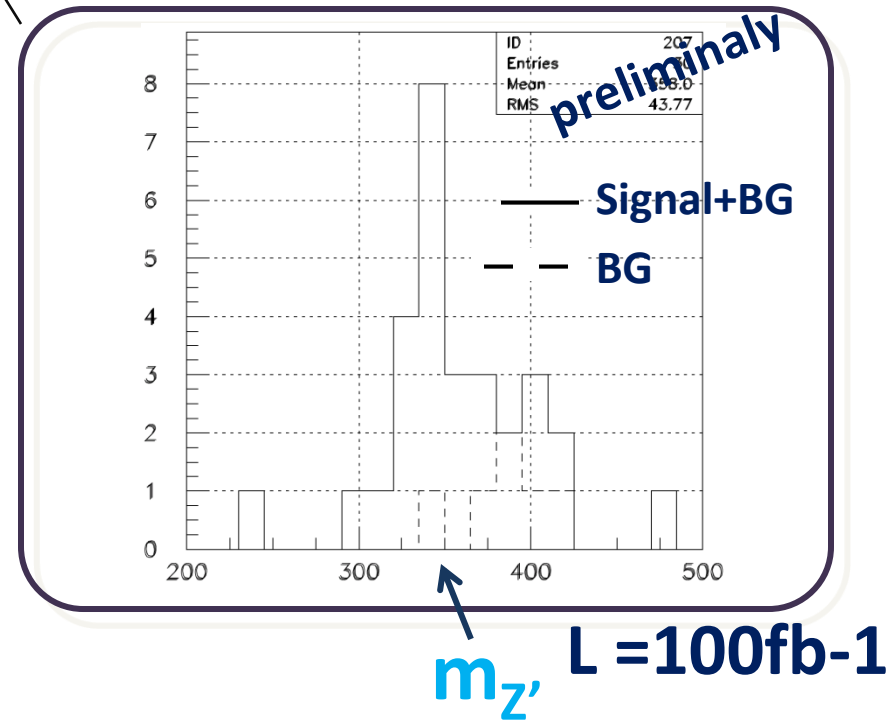
$65\text{GeV} < m_W < 95\text{GeV}$

Results Example: Z' (350GeV) in 3-site Higgsless model



Finally, we reconstructed 4-momentum of Z' from WW .

We use $2W$ which the invariant mass is smaller.



Reconstructed 2 W (from jj & lv) shows Z' mass peak!

Summary

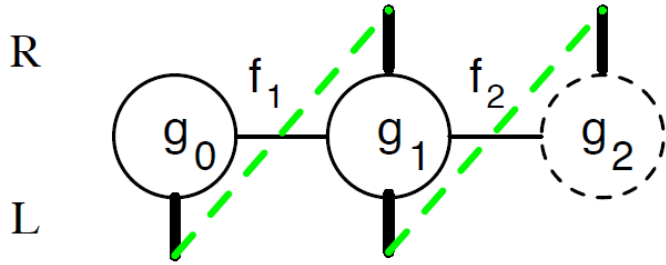
- Appearance of W' , Z' (decay to W boson) is one of the possibility in the LHC experiments.
 - Z' (decay to W boson) measurements are difficult because the final state is WW .
 - Z' (decay to W boson) peak can be measured using MAOS momentum.
- ➔
- Mass measurement become easier
 - Coupling measurement become easier

backup

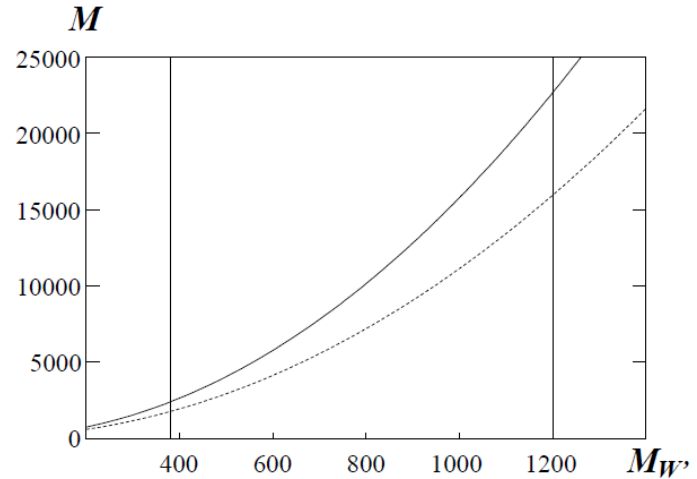
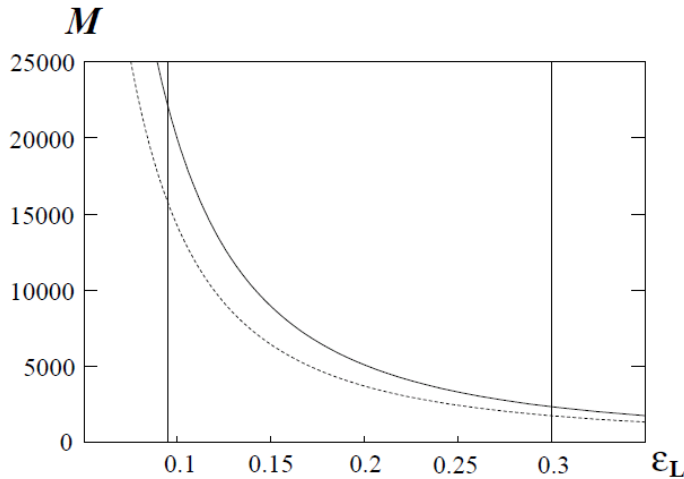
Three Site Model

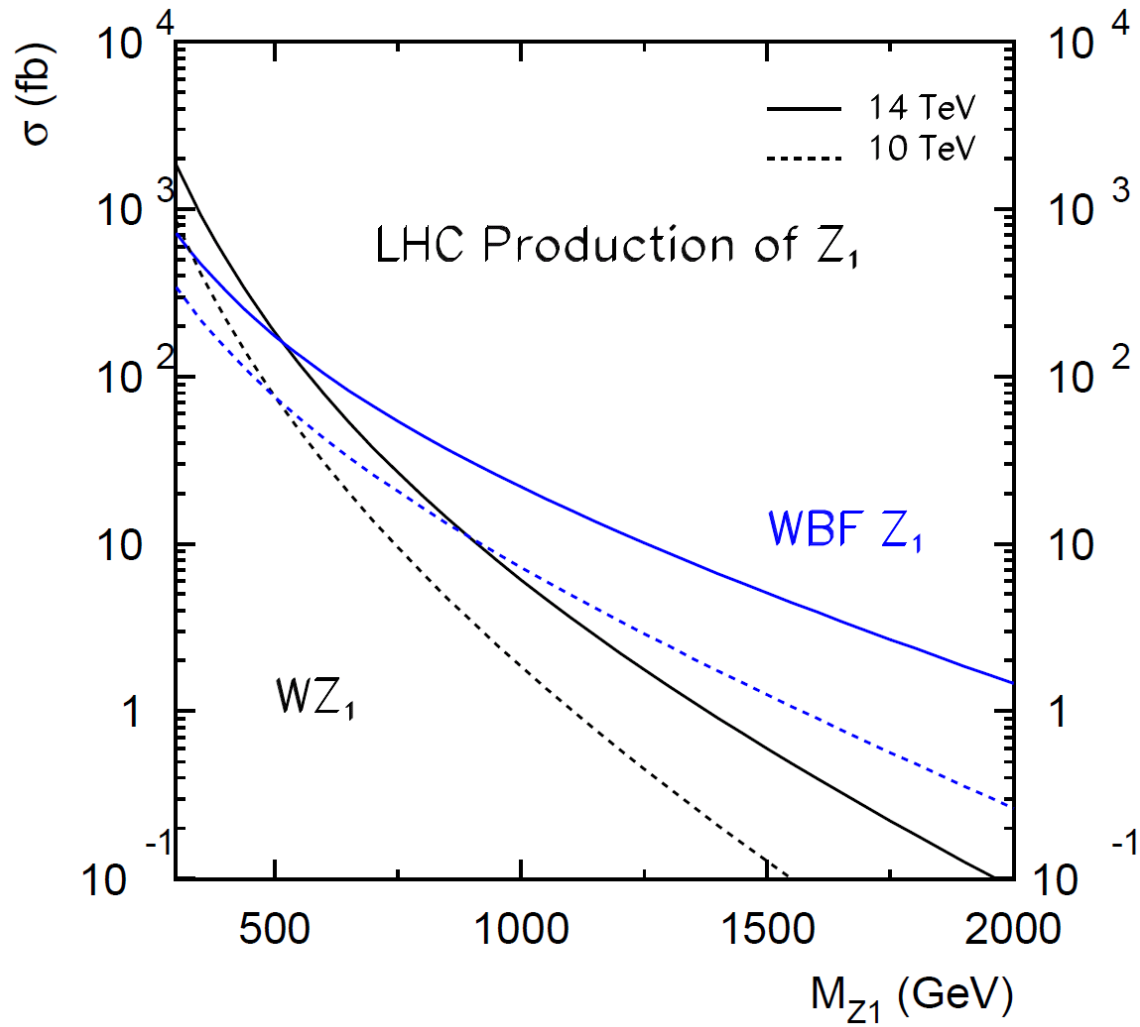
R.S. Chivukula et. al. PRD80,073010

The model incorporates an $SU(2) \times SU(2) \times U(1)$ gauge group, and 2 nonlinear $(SU(2) \times SU(2))/SU(2)$ sigma models in which the global symmetry groups in adjacent sigma models are identified with the corresponding factors of the gauge group.

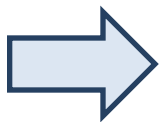
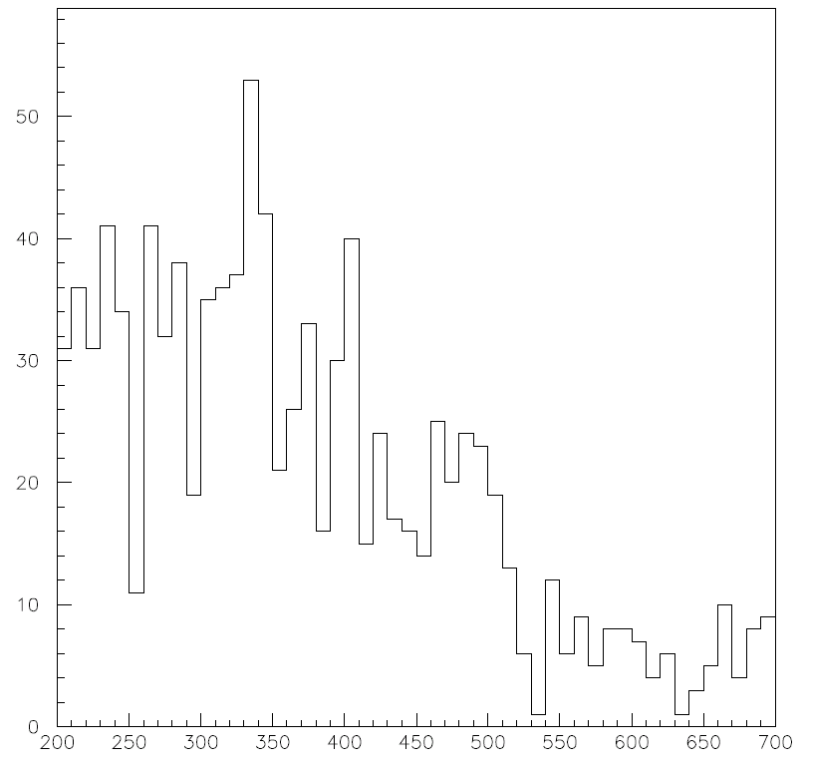
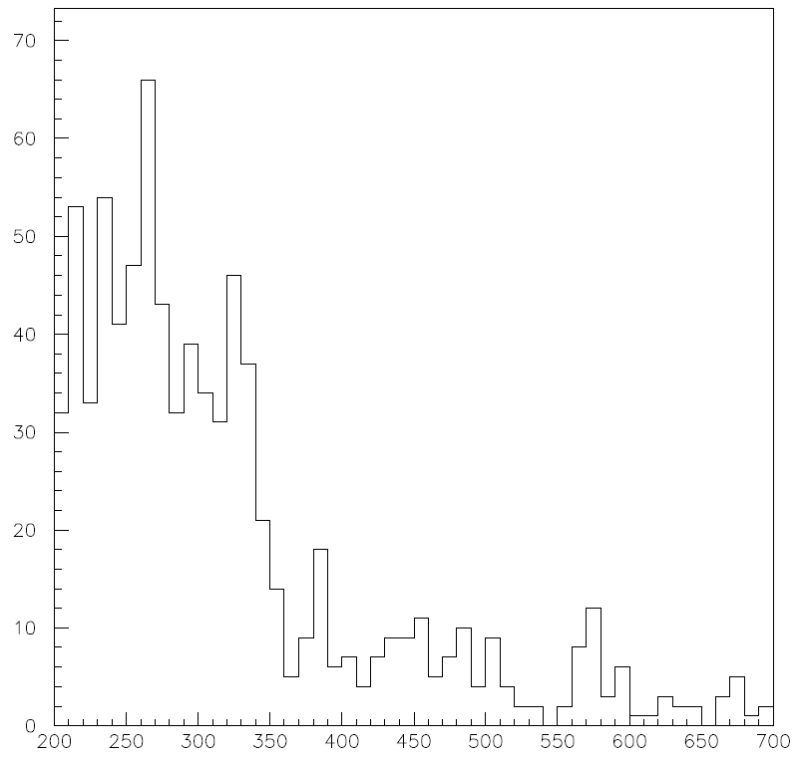


$$\mathcal{L}_f = \sqrt{2}\tilde{\lambda}v \left[\varepsilon_L \bar{\psi}_{L0} \Sigma_1 \psi_{R1} + \bar{\psi}_{R1} \psi_{L1} + \bar{\psi}_{L1} \Sigma_2 \begin{pmatrix} \varepsilon_{uR} \\ \varepsilon_{dR} \end{pmatrix} \begin{pmatrix} u_{R2} \\ d_{R2} \end{pmatrix} + h.c. \right]$$





Tao Han et.al. (PRD80,095010)



He, Kuang, Qi, Zhang, Belyaev, Chivukula,
Christensen, Pukhov and Simmons
arXiv.0708.2588 [hep-ph]
Belyaev, arXiv.0711.1919 [hep-ph]

