

Discovering Asymmetric Dark Matter with Anti-Neutrinos

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Where did the DM relic density come from?

- Standard **WIMP paradigm** is compelling, but it is **not the only option**.
- Baryonic density arises from an **asymmetry** between particles and anti-particles.
 - Why not the same for DM?
- The asymmetries could even arise from the **same source**.

→ The DM must then carry **baryon** or **lepton** number, and have a mass **$O(5 \text{ GeV})$** .

-Kaplan, Luty, Zurek

- We assume operators which transfer the asymmetry freeze out at temperatures above m_{DM} .

- The fundamental tests of this scenario:

-measure the DM mass

-discover that DM carries baryon or lepton number.

→ This is difficult due to the freezeout requirement!

A possible signature

Since DM is **electrically neutral**..

→ Excess B or L number in DM decays must show up either in **neutrinos** or in **electrons + protons**

- For many quantum number assignments the DM carries (anti)-lepton number, and the excess is in **(anti)-neutrinos**.

→ Would be a striking signal!

(DM annihilations would be too suppressed)

-Unfortunately, no such signal has been seen yet..

→ Leads to **constraints on potential decay operators.**

-Main limit comes from Super Kamiokande.

→ Note that a dedicated analysis is currently underway by SuperK!

The Neutrino Portal

-Falkowski, Juknevich, Shelton

Consider interactions of the form

$$\Delta\mathcal{L} = \frac{\mathcal{O}_{\text{DS}}\mathcal{O}_{\text{SM}}}{\Lambda^{d-4}}$$

Lowest dimension possibilities:

$$d = 4 : \quad \mathcal{O}_1 = \psi H L$$

$$d = 5 : \quad \mathcal{O}_2 = X \psi L H$$

$$d = 6 : \quad \mathcal{O}_3 = \psi L L E^c$$

$$\mathcal{O}_4 = \psi L Q D^c$$

$$\mathcal{O}_5 = \psi U^c D^c D^c$$

$$\mathcal{O}_6 = X_1 X_2 \psi L H$$

$$\mathcal{O}_{2\nu} = \frac{1}{2} X (L H)^2$$

→ many involve the “neutrino portal” operator LH, and have a dominant neutrino signature.

→ others (here with B-L = 1), do not..

Calculating the Constraint

$$\frac{d\Phi}{dE} = \frac{\Gamma_{DM}}{4\pi m_{DM}} \frac{dN}{dE} \int_{\Delta\Omega} \int_0^\infty \rho(x) dx$$

($\Delta\Omega \sim 30^\circ$)

- Background is from **atmospheric neutrinos**.

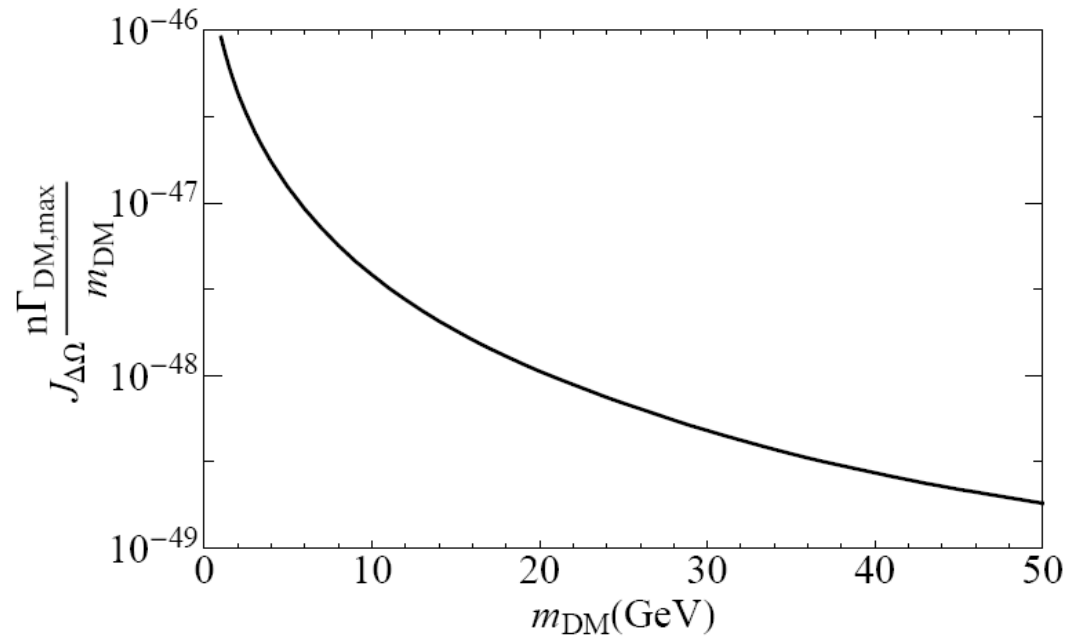
→ We take a conservative constraint: **signal < background**.

-Yuksel, Horiuchi, Beacom, Ando

(bin width $\Delta \log_{10} E = 0.3$)

-some minor dependence on the halo profile ($\sim 15\%$)

Results



($J_{\Delta\Omega} \sim 6$)

- Dimension 5 operator: $\Lambda_{\text{min}} \sim 10^{25}$ GeV
- Dimension 6 operator: $\Lambda_{\text{min}} \sim 10^{13}$ GeV

Distinguishing ν s from $\bar{\nu}$ s

- At water Cherenkov detectors, look for an **additional muon in the final state**... comes from **charged pion decay**.



- A π^- with \sim GeV energy tends to become **absorbed by a proton** before decaying. Gives **statistical ability** to distinguish neutrinos from anti-neutrinos.

→ Works for DM masses less than \sim 5-10 GeV.

- Future detectors might have other handles...

Summary

- **Asymmetric Dark Matter**, with an asymmetry shared between the DM and baryons/leptons, is a compelling framework for producing the DM relic density.
- In such scenarios with DM carrying lepton number, this could lead to **anti-neutrino** decay products as the dominant detection signature.
- The DM **mass must be $\sim 1-10\text{GeV}$** , and thus such a signature would provide **striking evidence for the ADM picture**.