$C P$ Violation in Charm Decays at Belle July 2010 ICHEP Byeong Rok Ko (Korea University) for the Belle Collaboration

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$-\Delta A_{C P}$ between $D^{+} \rightarrow \phi \pi^{+}$and $D_{s}^{+} \rightarrow \phi \pi^{+}$
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## Introduction

- CP Violation (CPV)
- Direct $C P V$ : $C P V$ in decay rate
-SM : $O(0.1 \%)$ of $C P V$ in Singly Cabibbo Suppresed (SCS) decays, but No direct CPV in Cabibbo Favored (CF) and Doubly Cabibbo Suppressed (DCS) decays


Singly Cabibbo Suppressed (SCS) diagram (tree)


SCS diagram (penguin)


Cabibbo Favored (CF) diagram


Doubly Cabibbo Suppressed (DCS) diagram.

- $A_{C P}$ in $D_{(s)}^{+} \rightarrow K_{s}^{0} h^{+}, h^{+} \in\left\{\pi^{+}, K^{+}\right\} \rightarrow(0.332 \pm 0.006) \% C P V$ due to $\varepsilon$ in $K^{0}$ mixing - $\Delta A_{C P}$ between $D^{+} \rightarrow \phi \pi^{+}$(SCS) and $D_{s}^{+} \rightarrow \phi \pi^{+}$(CF) $\circ A_{C P}$ and $\Delta A_{C P}$ deviations from expectations at $O(0.1 \%)$ would require more precise theory prediction to distinguish BSM from SM


## Introduction-cont.

$\bullet$ - Indirect $C P V$ : $C P V$ induced by $D^{0}$ mixing

- $D^{0} \rightarrow K_{s}^{0} P^{0}, P^{0} \in\left\{\pi^{0}, \eta, \eta^{\prime}\right\}$
$\rightarrow C P V$ in interference between decays with and without $D^{0}$ mixing (type III by PDG convention)
$\rightarrow 0.332 \% C P V$ due to $K^{0}$ mixing
$\circ$ Technical problems in measuring production and decay vertices
: Would be difficult to perform a time dependent analysis
$\rightarrow$ Can't extract CPV parameters
- Measure time integrated $A_{C P}$
$\circ A_{C P} \neq 0.332 \%$ would indicate the existence of BSM


## Method

- $A_{C P}^{D \rightarrow X^{0} h^{+}}=\frac{\Gamma\left(D \rightarrow X^{0} h^{+}\right)-\Gamma\left(\bar{D} \rightarrow X^{0} h^{-}\right)}{\Gamma\left(D \rightarrow X^{0} h^{+}\right)+\Gamma\left(\bar{D} \rightarrow X^{0} h^{-}\right)}, \quad \Gamma:$ partial decay width
- $A_{\text {rec }}^{D \rightarrow X^{0} h^{+}}=A_{C P}^{D \rightarrow X^{0} h^{+}}+A_{\text {other }}, A_{\text {other }} \in\left\{A_{F B}^{D}, A_{\varepsilon}^{h^{+}}\right\}$
- $A_{\text {other }}$ should be corrected to measure $A_{C P}^{D \rightarrow X^{0} h^{+}}$
- $A_{F B}^{D}\left(\cos \theta_{D}^{C M S}\right)$ : Production asymmetry $\rightarrow$ Independent of decay
- $A_{\varepsilon}^{h^{+}}\left(p_{h^{+}}^{l a b}, \cos \theta_{h^{+}}^{l a b}\right)$ : Asymmetry in $h^{+}$detection $\rightarrow$ Depends on decay
-To correct $A_{\text {other }}$, we assume :
the same $A_{F B}$ for all charmed mesons and no CPV in CF decay
- $A_{\text {other }} \leftarrow$ Determined using the data


## Method-cont. 1

$\begin{array}{llll}-A_{r e c}^{D \rightarrow K_{s}^{0} \pi^{+}}=A_{C P}^{D \rightarrow K_{s}^{0} \pi^{+}}+A_{F B}^{D}+A_{\varepsilon}^{\pi^{+}} & \Rightarrow \text { Eq.(1) } & \bullet A_{r e c}^{D_{s}^{+} \rightarrow \phi \pi^{+}} & =A_{F B}^{D_{s}^{+}}+A_{\varepsilon}^{\pi^{+}} \\ -A_{r e c}^{D \rightarrow K_{s}^{0} K^{+}}=A_{C P}^{D \rightarrow K_{s}^{0} K^{+}}+A_{F B}^{D}+A_{\varepsilon}^{K^{+}} & \Rightarrow \text { Eq.(2) } & \bullet A_{r e c}^{u n t a g e d ~} D^{0} \rightarrow K^{-} \pi^{+} & =A_{F B}^{D^{0}}+A_{\varepsilon}^{K^{-}}+A_{\varepsilon}^{\pi^{+}}\end{array} \quad \Rightarrow$ Eq.(4)
-For $K_{S}^{0} \pi^{+}$: Eq.(1)-Eq.(4) $=A_{C P}^{D \rightarrow K_{S}^{0} \pi^{+}}$
-For $K_{s}^{0} K^{+}$: Eq.(5) - Eq.(4) $=A_{\varepsilon}^{K^{-}}$
-Eq.(2) $-A_{\varepsilon}^{K^{+}}=A_{C P}^{D \rightarrow K_{s}^{0} K^{+}}+A_{F B}^{D} \equiv A_{\text {rec }}^{D \rightarrow K_{s}^{0} K_{\text {corr }}^{+}}$

- Using the antisymmetry of $A_{F B}\left(\cos \theta_{D}^{C M S}\right)$

$$
A_{C P}^{D \rightarrow K_{S}^{0} K^{+}}=\frac{A_{r e c}^{D \rightarrow K_{S}^{0} K_{\text {corr }}^{+}}\left(\cos \theta_{D}^{C M S}\right)+A_{r e c}^{D \rightarrow K_{S}^{0} K_{\text {corr }}^{+}}\left(-\cos \theta_{D}^{C M S}\right)}{2}
$$

$$
A_{F B}^{D}=\frac{A_{r e c}^{D \rightarrow K_{S}^{0} K_{\text {corr }}^{+}}\left(\cos \theta_{D}^{C M S}\right)-A_{\text {rec }}^{D \rightarrow K_{S}^{0} K_{\text {corr }}^{+}}\left(-\cos \theta_{D}^{C M S}\right)}{2}
$$

$\bullet$ For $K_{S}^{0} P^{0}$ : Eq.(6) - Eq.(5) $=A_{\varepsilon}^{\tau_{s}^{+}}$, then the same as the $K_{S}^{0} K^{+}$

## Method-cont. 2

- $\Delta A_{C P}$ between $D^{+} \rightarrow \phi \pi^{+}$and $D_{s}^{+} \rightarrow \phi \pi^{+}$
- $A_{\text {rec }}^{D \rightarrow \phi \pi^{+}}=A_{C P}^{D \rightarrow \phi \pi^{+}}+A_{F B}^{D}+A_{\varepsilon}^{\pi^{+}}+A_{\varepsilon}^{K^{+} K^{-}}$
- $A_{\varepsilon}^{K^{+} K^{-}}=0$ for $\phi$, but $K^{*}$ contribution exists under $\phi$

This effect was negligible in measurment of $A_{C P}$ in $K_{S}^{0} h^{+}$
$-\Delta A_{\text {rec }}=A_{\text {rec }}^{D^{+} \rightarrow \phi \pi^{+}}-A_{\text {rec }}^{D_{s}^{+} \rightarrow \phi \pi^{+}}=\Delta A_{C P}+\Delta A_{F B}$
-Then, the same as the $K_{S}^{0} K^{+}$

- $A_{\text {other }}$ corrections are done w.r.t.
the corresponding phase spaces for all channels
$A_{C P}$ in $D_{(s)}^{+} \rightarrow K_{S}^{0} h^{+}:$PRL 104, 181602 (2010) (with $673 \mathrm{fb}^{-1}$ )
$\bullet$ Measured $A_{C P}^{D^{+} \rightarrow K_{s}^{0} \pi^{+}}$in bins of $\left(p_{\pi}^{l a b}, \cos \theta_{\pi}^{l a b}, \cos \theta_{D}^{C M S}\right)$

- $A_{C P}^{D^{+} \rightarrow K_{S}^{0} \pi^{+}}=$
$(-0.71 \pm 0.19 \pm 0.20) \%$

$\rightarrow 2.6 \sigma$ away from 0 ,
consistent with $-0.33 \%$

- Measured $A_{C P}^{D_{s P}^{+} \rightarrow K_{S}^{0} K^{+}}$and $A_{F B}^{D}$ in $\cos \theta_{D}^{C M S}$ bins

$A_{C P}$ in $D^{0} \rightarrow K_{S}^{0} P^{0}$
- Measured $A_{C P}^{D^{0} \rightarrow K_{S}^{0} \pi^{0}}$ and $A_{F B}^{D}$ in $\cos \theta_{D}^{C M S}$ bins




## Preliminary result

 with $791 \mathrm{fb}^{-1}$- $A_{C P}^{D^{0} \rightarrow K_{s}^{0} \pi^{0}}=$
$(-0.28 \pm 0.19 \pm 0.10) \%$
-Line :
LO prediction for $A_{F B}^{c \bar{c}}$
$\bullet$ Measured $A_{C P}^{D^{0} \rightarrow K_{S}^{0} \eta}$ and $A_{F B}^{D}$ in $\cos \theta_{D}^{C M S}$ bins



Preliminary result with $791 \mathrm{fb}^{-1}$
-Use $\eta \rightarrow \gamma \gamma$

- $A_{C P}^{D^{0} \rightarrow K_{s}^{0} \eta}=$
$(+0.54 \pm 0.51 \pm 0.13) \%$
$\rightarrow$ World's first measurement
-Line :
LO prediction for $A_{F B}^{c \bar{c}}$
$\bullet$ Measured $A_{C P}^{D^{0} \rightarrow K_{S}^{0} \eta^{\prime}}$ and $A_{F B}^{D}$ in $\cos \theta_{D}^{C M S}$ bins



## $\Delta A_{C P}$ between $D^{+} \rightarrow \phi \pi^{+}$and $D_{s}^{+} \rightarrow \phi \pi^{+}$

 $\bullet \phi \rightarrow K^{+} K^{-}$and $m\left(K^{+} K^{-}\right)$within $m_{P D G}^{\phi} \pm 16 \mathrm{MeV} / c^{2}$- $A_{\varepsilon}^{K^{+} K^{-}}$would be negligible, but different sign of $A_{\varepsilon}^{K^{+} K^{-}}$ in $D^{+}$and $D_{s}^{+}$decays might

 produce a non-negligible


## $\Delta A_{\varepsilon}^{K^{+} K^{-}}$

## Preliminary result

 with $850 \mathrm{fb}^{-1}$

$-{ }_{\varepsilon}^{K^{K} K^{-}}=(+0.067 \pm 0.015) \%$ for $D^{+},(-0.053 \pm 0.014) \%$ for $D_{s}^{+}$

- $\Delta A_{\varepsilon}^{K^{\dagger} K^{-}}=(+0.120 \pm 0.028) \%$
$\rightarrow$ Non-neglgible and dominant systematics
- Measured $\Delta A_{C P}$ and $\Delta A_{F B}$ in $\cos \theta_{D}^{C M S}$ bins



## Preliminary result

 with $850 \mathrm{fb}^{-1}$- $\Delta A_{C P}=(+0.62 \pm 0.30 \pm 0.15) \%$

- $\chi^{2} /$ dof w.r.t. $\Delta A_{F B}=0$ is $3.68 / 5$ $\rightarrow$ No significant difference in production asymmetry of $D^{+}$and $D_{s}^{+}$


## Summary

- A wide program of $C P V$ searches in charm decays from Belle are shown
-So far no evidence for $C P V$ at sensitivities
$\geq 0.2 \%$ depending on decay mode
-Report the most sensitive measurements to date
- First $A_{C P}$ measurements
in $D^{0} \rightarrow K_{s}^{0} \eta$ and $D^{0} \rightarrow K_{s}^{0} \eta$,




$A_{\varepsilon}^{K^{+} K^{-}}=\int\left(P_{1}(x)-P_{2}(x)\right) A_{\varepsilon}^{K}(x) d x$
$P_{1}(x)\left(P_{2}(x)\right)$ : detected same (opposite) sign single kaon phase space distribution

$$
\varepsilon\left(x_{1}\right) \int d x_{2} P\left(x_{1}, x_{2}\right) \varepsilon\left(x_{2}\right)
$$

$P_{1}\left(x_{1}\right)=\frac{\varepsilon\left(x_{1}\right) d d x_{2} P\left(x_{1}, x_{2}\right) \varepsilon\left(x_{2}\right)}{\iint d x_{1} d x_{2} P\left(x_{1}, x_{2}\right) \varepsilon\left(x_{1}\right) \varepsilon\left(x_{2}\right)}$
$P_{2}\left(x_{2}\right)=\frac{\varepsilon\left(x_{2}\right) \int d x_{1} P\left(x_{1}, x_{2}\right) \varepsilon\left(x_{1}\right)}{\iint d x_{1} d x_{2} P\left(x_{1}, x_{2}\right) \varepsilon\left(x_{1}\right) \varepsilon\left(x_{2}\right)}$
$P\left(x_{1}, x_{2}\right)$ : Normalized phase space distribution of $K^{+} K^{-}$ $x_{1} \equiv\left(p_{1}, \cos \theta_{1}\right):$ phase space of the same-sign kaon $x_{2} \equiv\left(p_{2}, \cos \theta_{2}\right):$ phase space of the opposite-sign kaon

