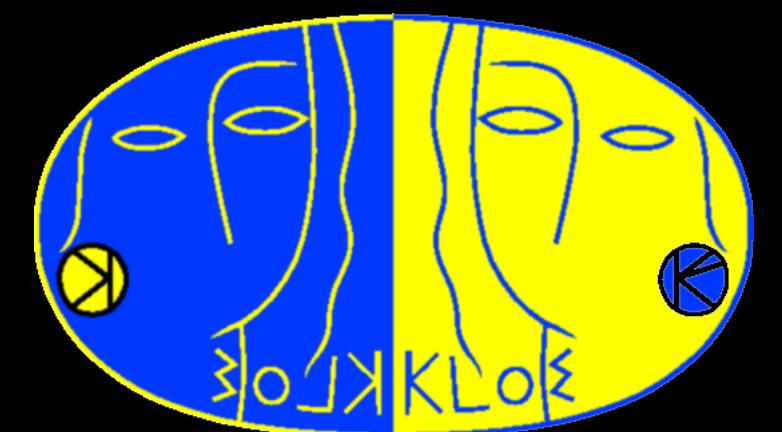


Precision Kaon Physics with KLOE

The KLOE collaboration



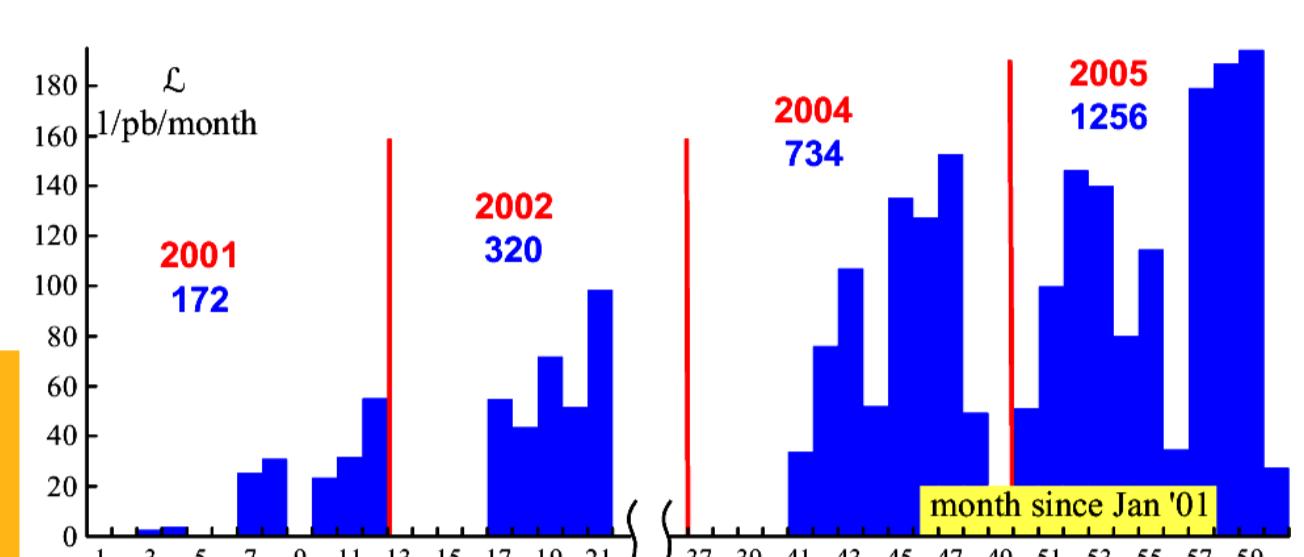
The DAΦNE ϕ -factory



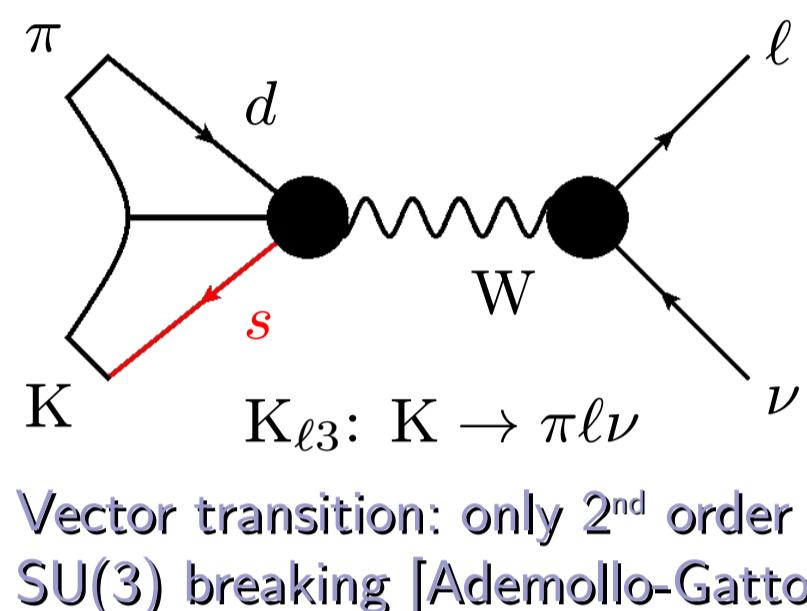
- e⁺e⁻ collider @ $\sqrt{s} = M_\phi = 1019.4$ MeV
- $\sigma_{\text{peak}} \sim 3000$ nb
- Separate e⁺e⁻ rings to reduce beam-beam interaction
- 2 interaction regions
- Beams crossing angle $\pi - 25$ mrad
- Peak luminosity $1.5 \times 10^{32} \text{ cm}^{-2}\text{s}^{-1}$

March 2006 end of data taking.
Integrated luminosity: $\sim 2.5 \text{ fb}^{-1}$ @ ϕ -peak
and $\sim 250 \text{ pb}^{-1}$ off-peak.

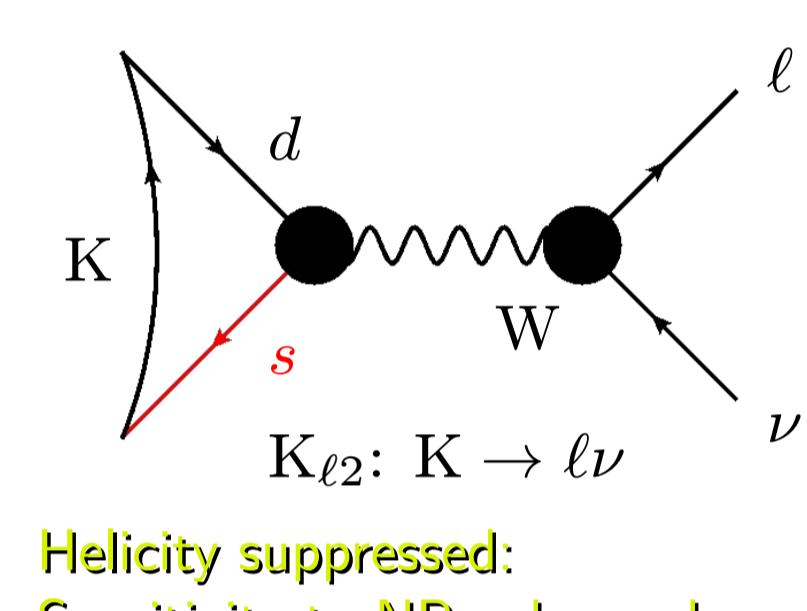
A ϕ -factory offers the possibility to select pure kaon beams: neutral kaons from $\phi \rightarrow K_S K_L$ are in fact produced in pairs and the detection of a K_S (K_L) tags the presence of a K_L (K_S), the same holds for charged kaons.



CKM unitarity and lepton-flavor violation



Precise determination of V_{us}
Test of lepton universality Ke3 vs Kμ3
Most precise test of CKM unitarity
 $|V_{ud}|^2 + |V_{us}|^2 = 1$; $|V_{ub}|^2$ negligible
 $G_F^2 = G_{CKM}^2 = (|V_{ud}|^2 + |V_{us}|^2) G_F^2$
Lepton-Quark universality of weak interaction.



Precise determination of V_{us}/V_{ud}
Test of Physics beyond the SM:
right-handed contributions to charged weak currents
charged Higgs exchange (2 Higgs doublet scenarios)
Lepton Flavor Violation test with $R_K = \Gamma(Ke2)/\Gamma(K\mu 2)$

Helicity suppressed:
Sensitivity to NP enhanced

R_K precision measurement

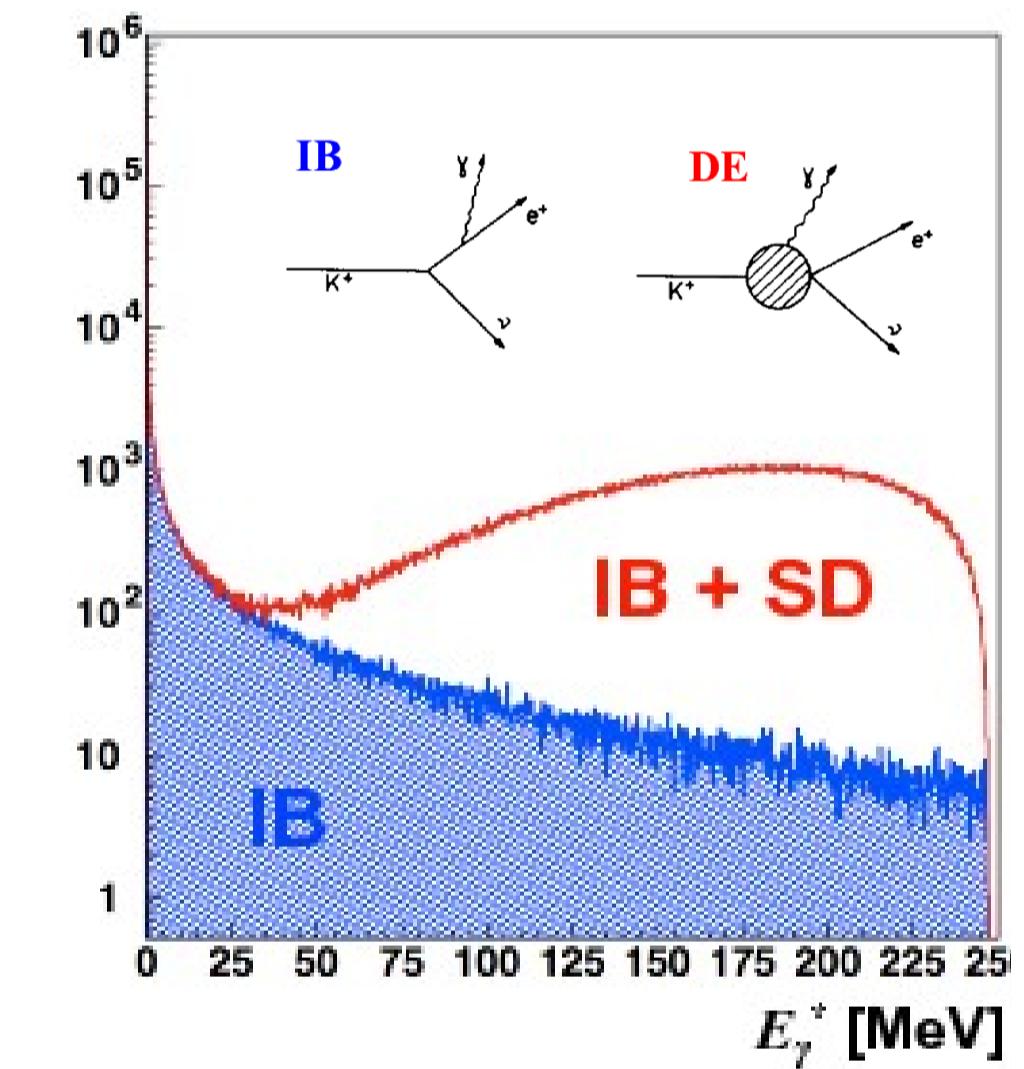
- $R_K = \Gamma(Ke2(\gamma \text{ IB}))/\Gamma(K\mu 2(\gamma \text{ IB}))$ inclusive of IB only
- DE (or SD) ≈ IB presently known with 15% accuracy

To achieve ~1% accuracy on R_K improve knowledge of DE.

- In the SM R_K has been calculated at 0.04% (no hadronic uncertainties)
- Lepton Flavor Violation in the MSSM would enhance R_K up to 1% LFV appears at 1-loop level via an effective $H^+ \ell \nu$, Yukawa interaction dominated by $\ell \nu$.

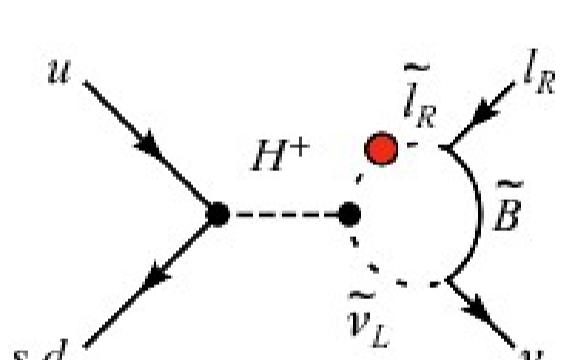
$$R_K^{LFV} \approx R_K^{SM} \left[1 + \left(\frac{m_K^4}{M_{H^\pm}^4} \right) \left(\frac{m_\tau^2}{m_e^2} \right) |\Delta_{13}|^2 \tan^6 \beta \right]$$

[Masiero-Paradisi-Petronzio PRD74 (2006) 011701]



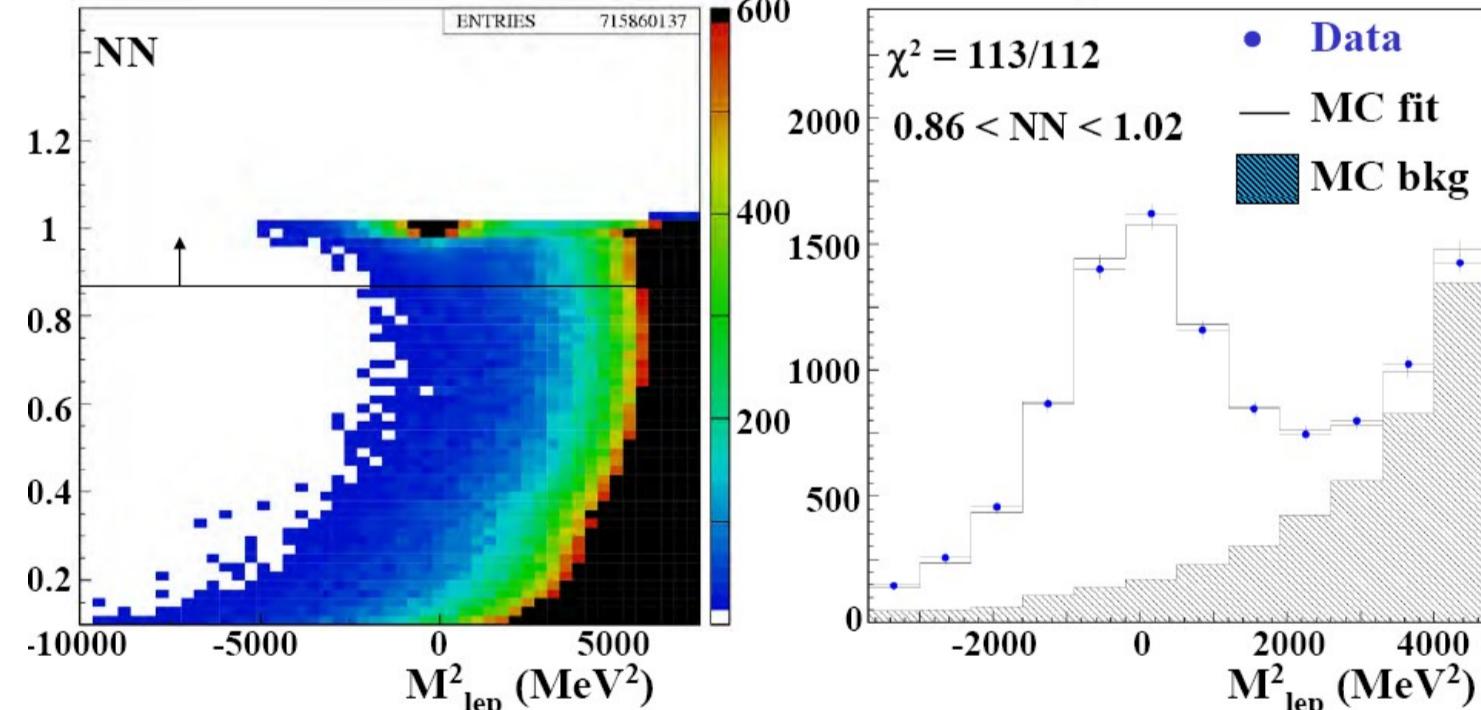
ANALYSIS STRATEGY

- Perform Direct search for Ke2 and Kμ2, no tag: gain $\times 4$ of statistics
- Select 1-prong kinks in DC, K track from IP & secondary P > 180 MeV
- Signal events with $E_\gamma < 10$ MeV (no explicit photon detection)
- Exploit tracking of K and secondary: assuming $m_\nu = 0$ get M_{lep}^2 (S/B ~1/10)
- Particle Identification by Neural Network based on EMC information.



Signal count from fit in NN- M_{lep}^2

Free parameters:
normalization factors for Kμ2 and Ke2(γ) including only IB with $E_\gamma < 10$ MeV (to O(α_{em}) and resummation of leading logs)
Fixed parameter:
 $f_{\text{DE}} = 10.2\%$ (Ke2 contamination from Ke2(γ) with $E_\gamma > 10$ MeV)
But 0.5% systematics on R_K from f_{DE} ($\delta(\text{DE})/\text{DE} = 15\%$)
⇒ dedicated measurement of Ke2(γ) with $E_\gamma > 10$ MeV



- 1-prong selection – NN > 0.98 – 1 photon cluster with $E_\gamma > 20$ MeV in time with K
- Cluster times for photon and electron must be compatible

With this selection we measure Ke2(γ) with:

$$\begin{aligned} E\gamma^* > 10 \text{ MeV} \\ \cos\theta_{e\gamma} > 0.9 \\ p_e^* > 200 \text{ MeV} \end{aligned}$$

The result obtained is:

$$\frac{\Gamma_{SD}(Ke2\gamma)}{\Gamma(K\mu 2(\gamma))} = 1.484(66)_{\text{st}}(16)_{\text{syst}} \times 10^{-5}$$

In agreement with ChPT O(p^4) prediction, 1.447×10^{-5} [Bijnens, Eker, Gasser '93]
Systematic error on R_K from SD = 0.2%.

Using the complete KLOE data set (2.2 fb^{-1}) we obtain:

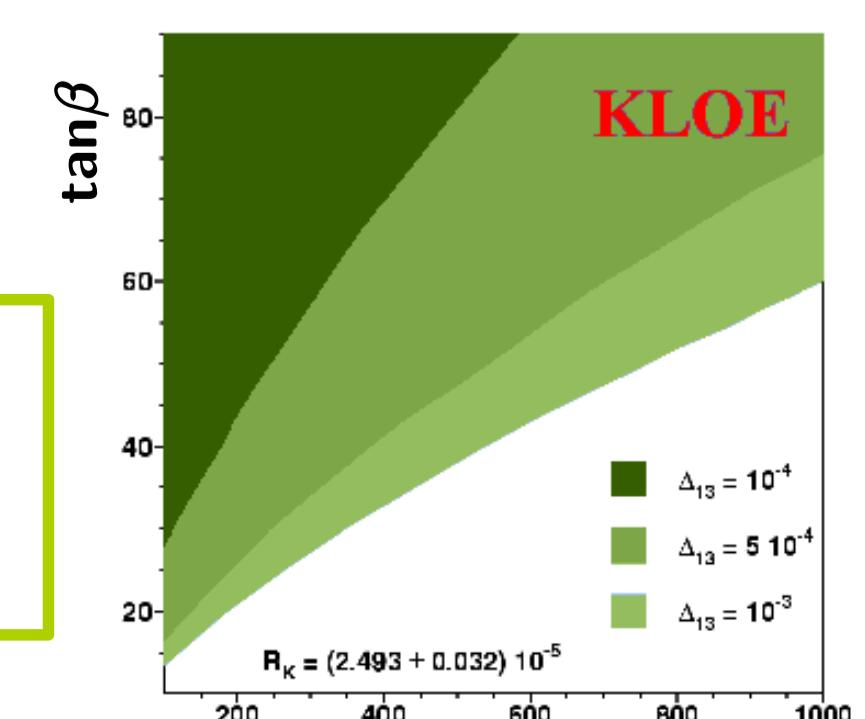
$$R_K = (2.493 \pm 0.025_{\text{stat}} \pm 0.019_{\text{syst}}) \times 10^{-5}$$

$$R_K^{\text{SM}} = (2.477 \pm 0.001) \times 10^{-5}$$

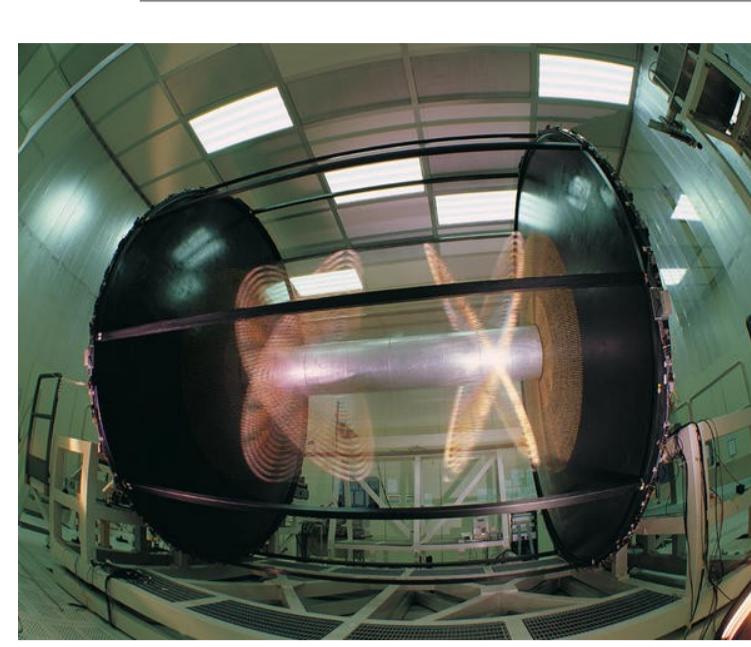
Systematic errors %	stat	syst
Reconstruction	0.4	0.4
Trigger efficiency	0.4	-
Background sub	-	0.3
Ke2(DE) comp.	0.2	-
Clustering	0.2	-
Total	0.6	0.5

Sensitivity shown as 95%-CL excluded regions in the $\tan\beta$ - M_H plane, for fixed values of the 1-3 slepton-mass matrix element, $\Delta_{13} = 10^{-3}, 0.5 \times 10^{-3}, 10^{-4}$

Main contribution to systematic uncertainty from control-sample statistics (0.6%)

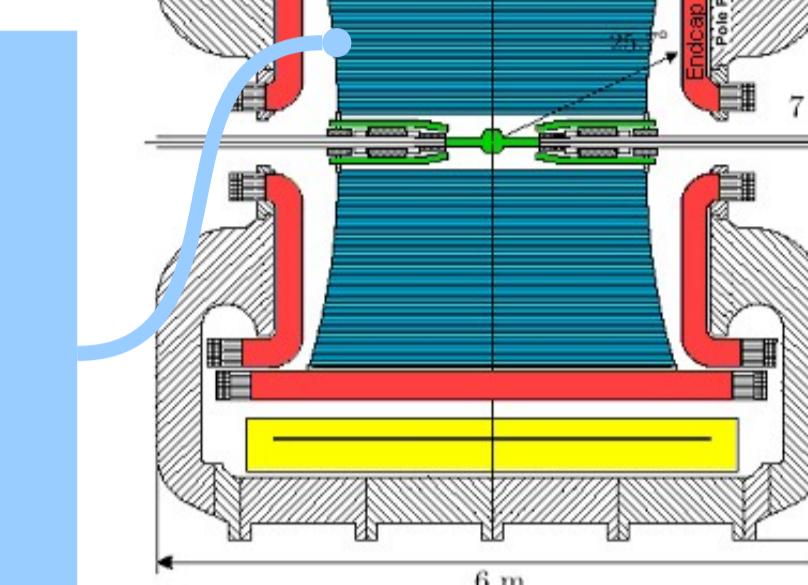


The KLOE detector

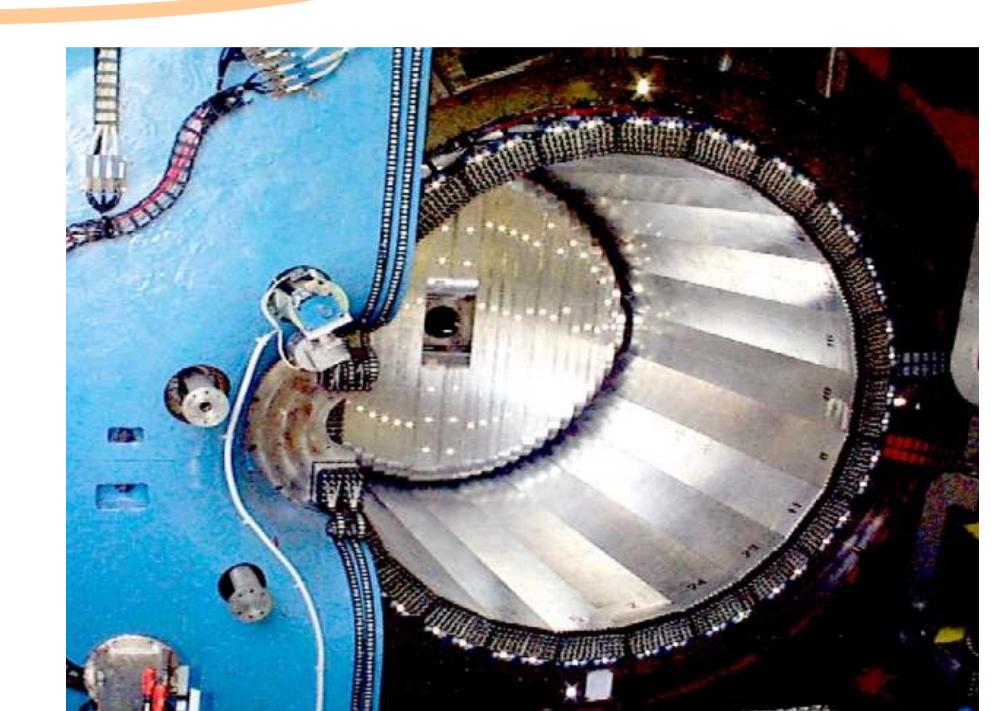


Superconducting coil:

$$\langle B \rangle = 0.52 \text{ T}$$



- $\sigma_E/E = 5.7\% / E(\text{GeV})$
- $\sigma_t = 54 \text{ ps} / E(\text{GeV}) \oplus 100 \text{ ps}$



Ingredients for V_{us} determination

$$\frac{BR(K \rightarrow \pi \ell \nu(\gamma))}{\tau} = \frac{G_F^2 m_K^5 C_K^2 |V_{us}|^2 |f_K^\ell(0)|^2 I_K^\ell S_{ew}[1 + \delta_{SU(2)} + \delta_{em}]}{768\pi^3} \quad (1)$$

Inputs from theory

- Universal short distance EW correction (1.0232)
- Hadronic matrix element at zero momentum transfer ($t=0$)
- Form factor correction for strong SU(2) breaking
- Long distance EM effects

Inputs from experiment

- Branching ratios with well determined treatment of radiative decays, lifetimes
- Phase space integral: λ 's parametrize form factor dependence on t:
Ke3: only λ_s (or $\lambda_u, \lambda_s, \lambda_d$)
Kμ3: need λ_u and λ_d

KLOE has measured all relevant inputs for charged and neutral kaons:
BR's, lifetimes (K_S, K_L), form factors (FFs)

V_{us} , V_{ud} , and V_{us}/V_{ud}

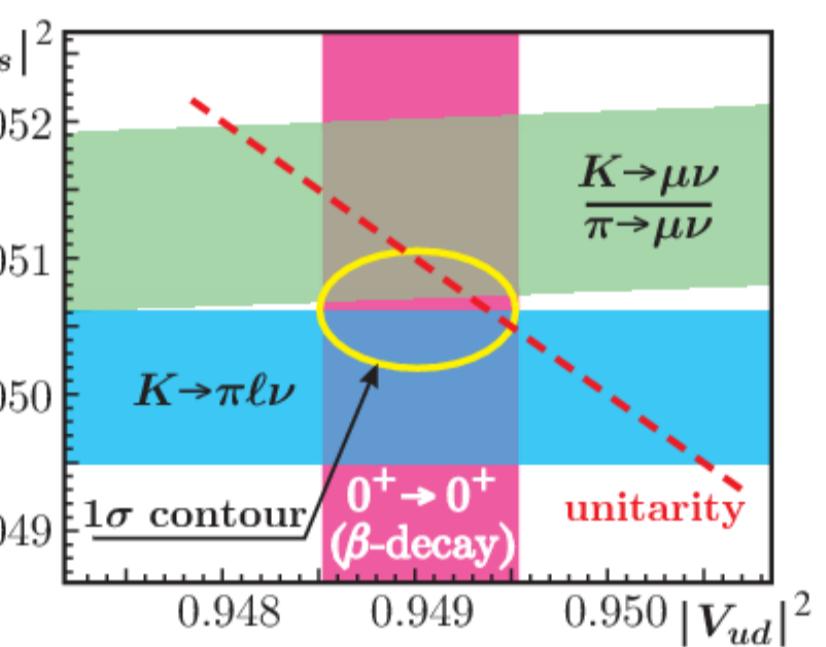
$$|V_{us}/V_{ud}| = 0.2323(15) \quad \left\{ \begin{array}{l} BR(K^\pm \rightarrow \mu^\pm \nu) = 0.6366(17) \\ f_K/f_\pi = 1.189(7) \end{array} \right. \quad \text{PRL 100 (2008)}$$

$$|V_{us}| = 0.2237(13) \text{ from } K/3 \text{ decays}$$

$$|V_{ud}| = 0.97418(26) \quad \text{PRC 77 (2008)}$$

$$\begin{aligned} &\text{Fit to } |V_{ud}|^2, |V_{us}|^2 \text{ and } |V_{us}/V_{ud}|^2 \\ &|V_{ud}|^2 = 0.9490(5) \\ &|V_{us}|^2 = 0.0506(4) \\ &\chi^2 = 2.3/1 (13\%) \end{aligned} \quad \text{JHEP 04 (2008)}$$

- Agreement with unitarity
- $1 - V_{ud}^2 - V_{us}^2 = 4(7) \times 10^{-4}$ @ 0.6 σ
- $G_F = 1.16371(6) \times 10^{-3} \text{ GeV}^2$
- $G_{CKM} = 1.1604(40) \times 10^{-3} \text{ GeV}^2$
- $G_{ew} = 1.1655(12) \times 10^{-5} \text{ GeV}^2$ from EW precision tests



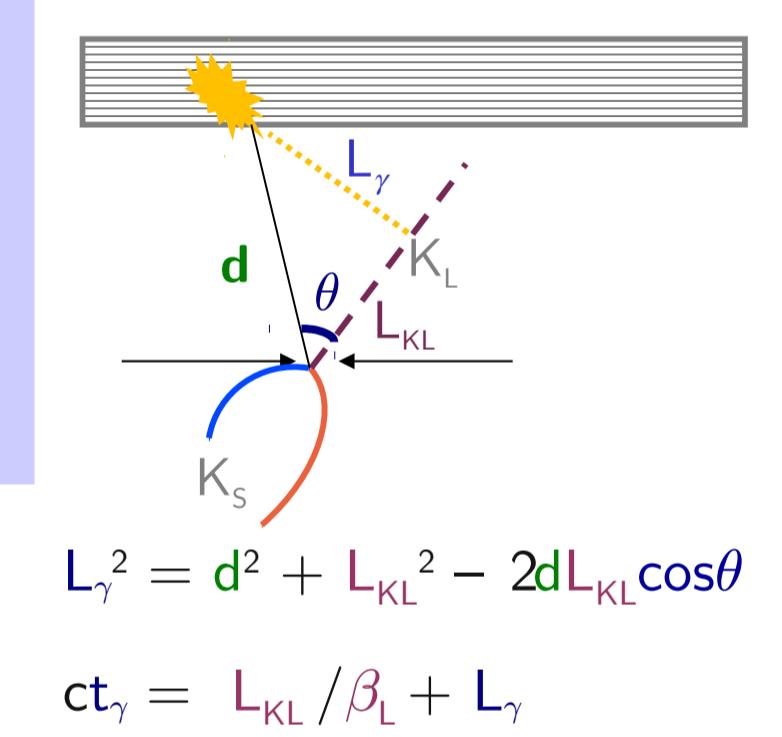
K_L lifetime measurement

The error on τ_L is the main limiting factor on V_{us} accuracy from K_L decays

$$\frac{\delta(V_{us} f_+(0))}{(V_{us} f_+(0))} = 0.1\% \oplus 0.2\% \oplus 0.1\% \oplus 0.1\% \quad \begin{matrix} \text{BR} \\ \tau_L \\ \text{phase space integral} \\ \text{radiative corr.} \end{matrix}$$

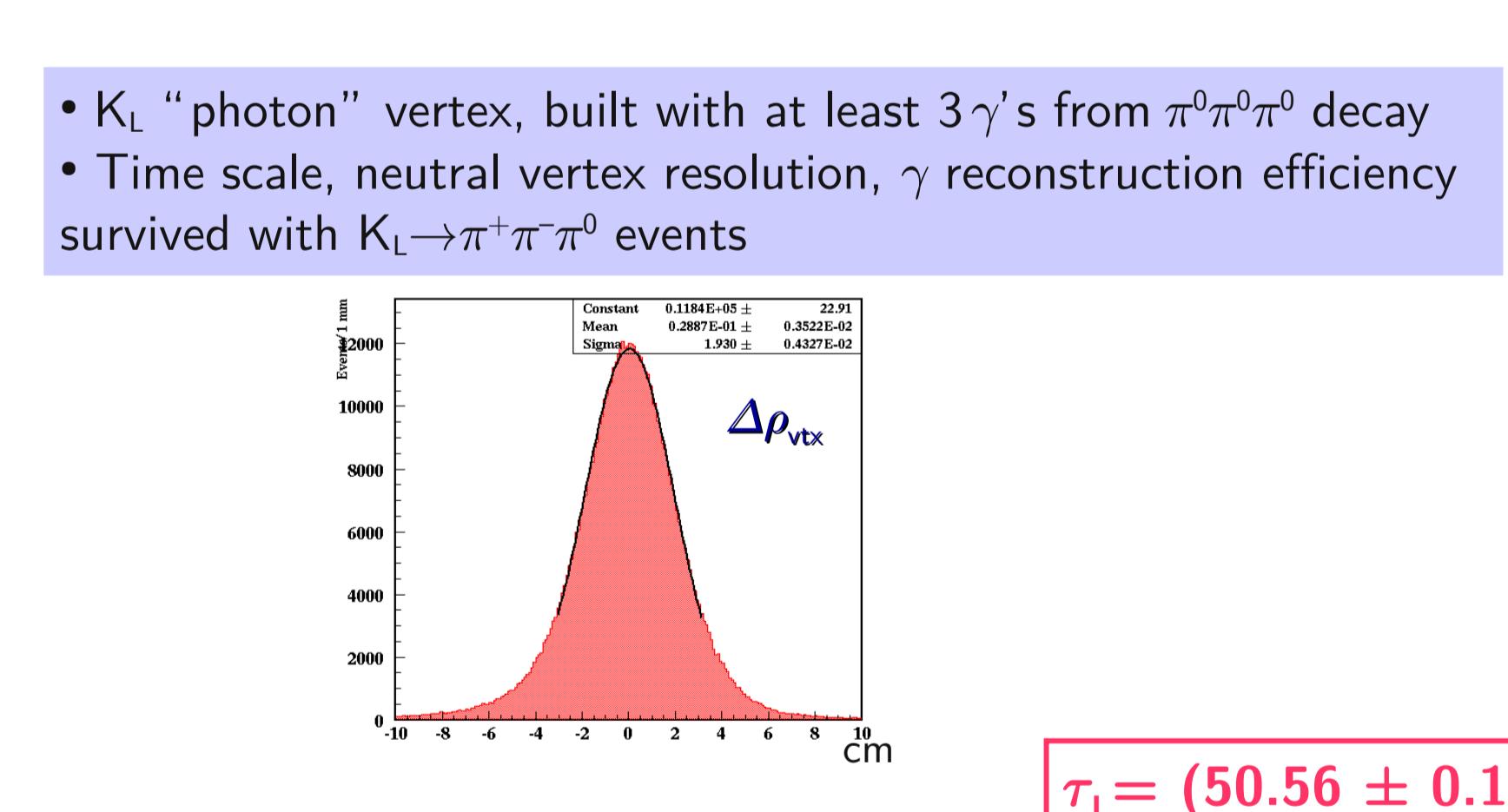
τ_L measurement can be improved (stat.+syst.) with whole KLOE data sample

- K_L tagged with $K_S \rightarrow \pi^+ \pi^-$ vertex at IP
- K_L direction and momentum from DC measurements
- Unique to the KLOE calorimeter: L_{KL} and L_γ by time measurements t_γ



$$L_\gamma^2 = d^2 + L_{KL}^2 - 2dL_{KL}\cos\theta$$

$$ct_\gamma = L_{KL}/\beta_L + L_\gamma$$



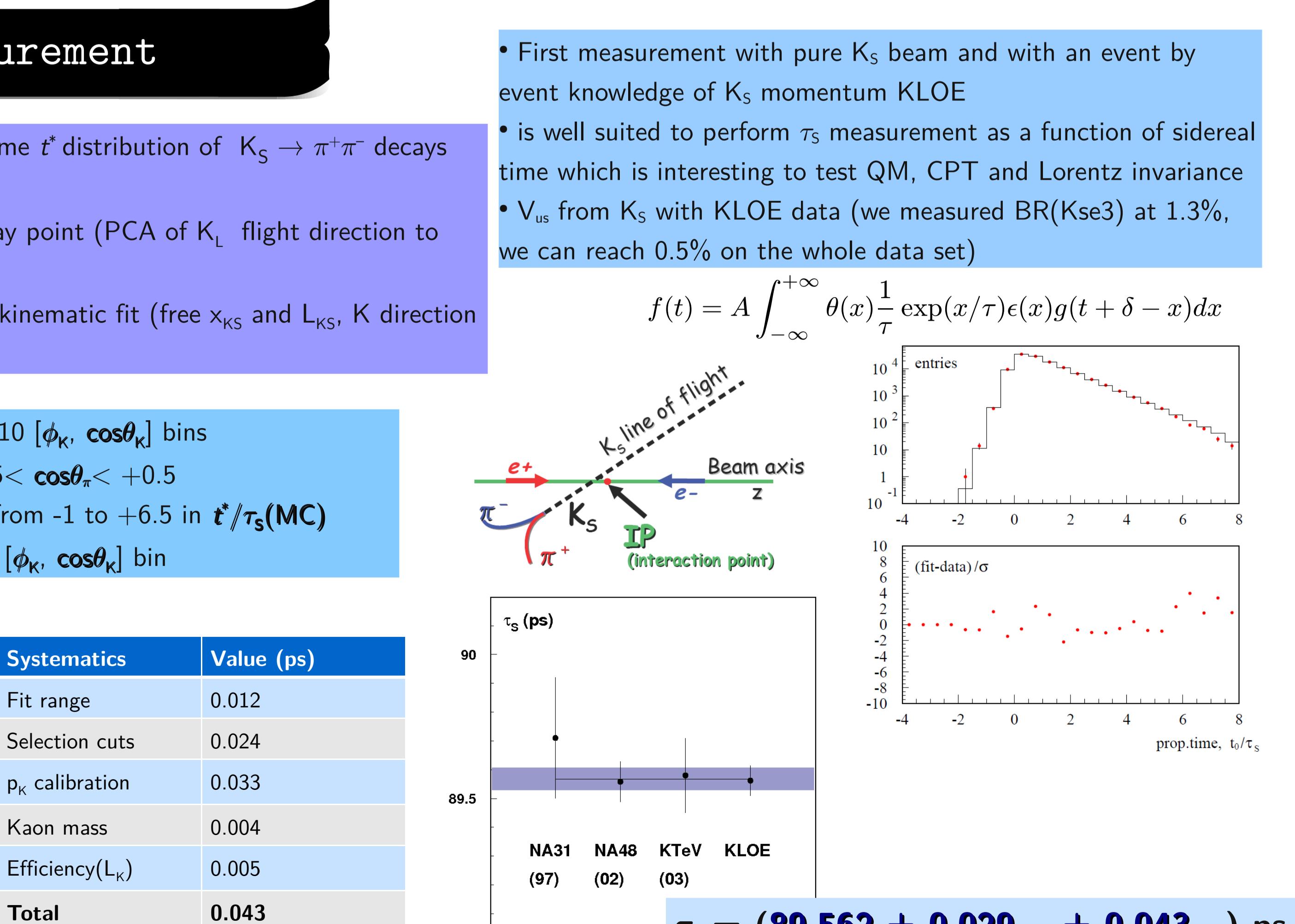
$$\tau_L = 50.92(30) \text{ ns}$$

$$\tau_L = 50.72(36) \text{ ns}$$

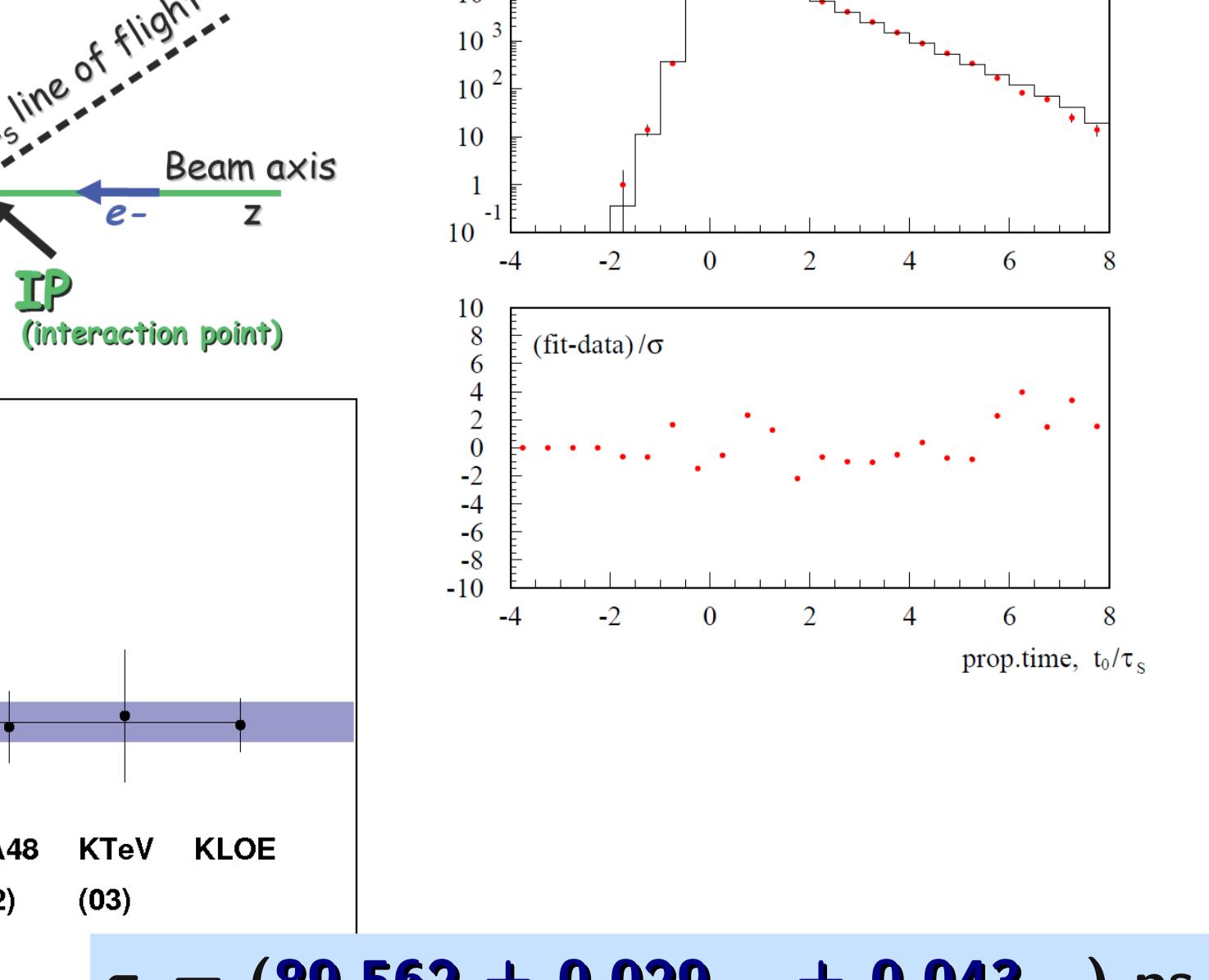
$$\tau_L = (50.56 \pm 0.14_{\text{stat}} \pm 0.21_{\text{syst}}) \text{ ns}$$

Whole data sample: $\sigma_{\text{stat}} \rightarrow 0.11 \text{ ns}$

Work in progress to reduce systematics



$$f(t) = A \int_{-\infty}^{+\infty} \theta(x/\tau) \exp(x/\tau) \epsilon(x) g(t + \delta - x) dx$$



$$\tau_S = (89.562 \pm 0.029_{\text{stat}} \pm 0.043_{\text{syst}}) \text{ ps}$$