

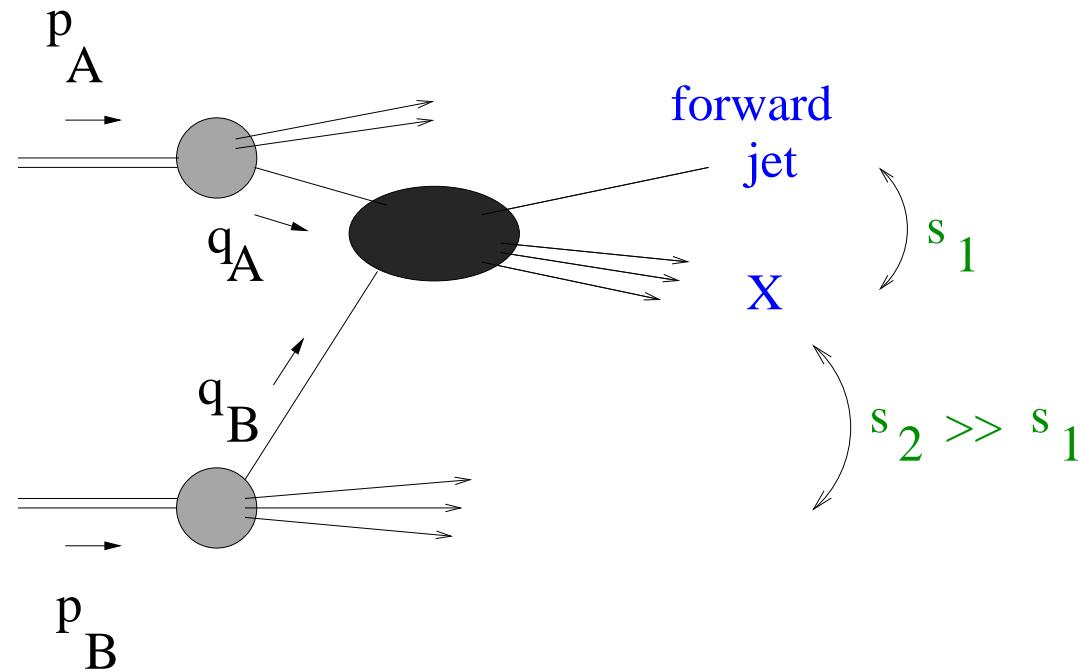
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Forward jets and energy flow in hadronic collisions

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- I. Introduction: high- p_T events in the forward region at the LHC
- II. Theoretical issues in the QCD treatment of forward hard processes
- III. Phenomenology: jet correlations; transverse energy flow

I. High- p_T production in the forward region at the LHC



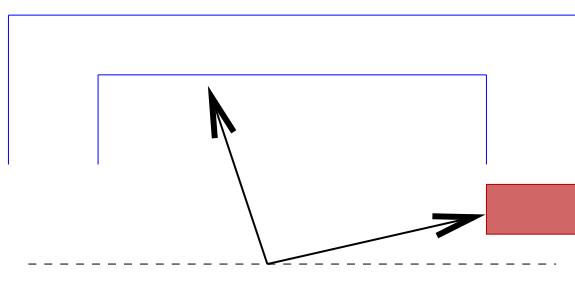
- ▷ phase space opening up for large \sqrt{s}
- ▷ unprecedented coverage of large rapidities (calorimeters+proton taggers)

↓

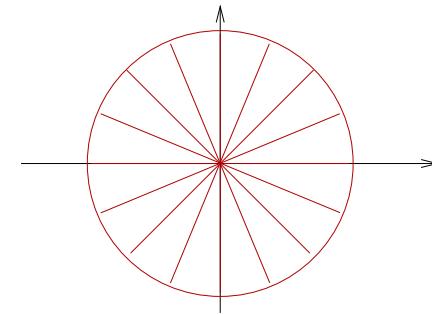
- physics of hard processes with **multiple** hard scales and highly **asymmetric** parton kinematics $q_A \cdot p_B \gg q_B \cdot p_A$

- polar angles small but far enough from beam axis
 - measure azimuthal plane correlations

$$p_T \gtrsim 20 \text{ GeV}, \Delta\eta \gtrsim 4 \div 6$$



central + forward detectors



azimuthal plane

▷ ATLAS, CMS, LHCb
+ CASTOR experiments

[Z. Ajaltouni et al., HERA-LHC Proc. arXiv:0903.3861;
M. Grothe, arXiv:0901.0998; D. d'Enterria, arXiv:0806.0883;
X. Aslanoglou et al., CERN-CMS-NOTE-2008-022 (2008)]

OPEN QUESTIONS

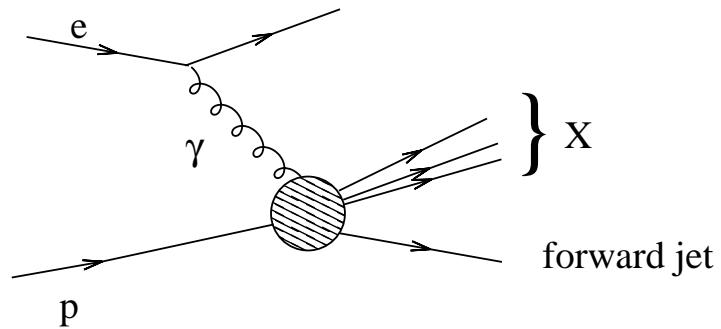
- How well do current Monte Carlo event generators simulate LHC final states in the forward region
- Are fixed-order QCD calculations reliable in the forward region?
Are perturbative resummations to be performed?
- Do multiple parton interactions become non-negligible in hard processes at forward rapidities?

♠ Multi-scale problem ⇒

⇒ all-order summation of high-energy logarithmic corrections
long recognized to be necessary for reliable QCD predictions

Mueller & Navelet, 1987; Del Duca et al., 1993; Stirling, 1994; Colferai et al., arXiv:1002.1365

♠ Note: DIS case ⇒



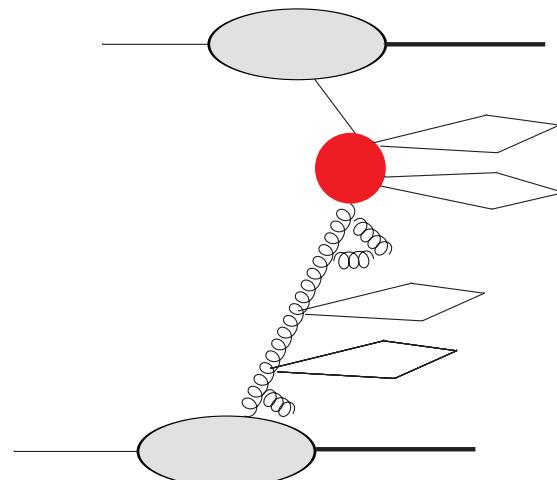
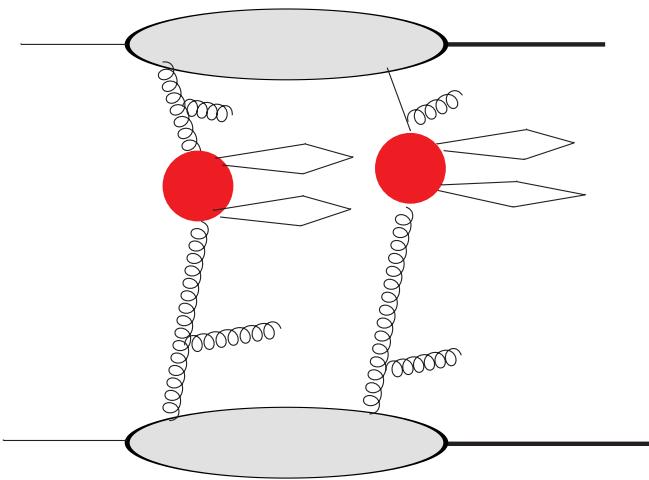
- neither PYTHIA Monte Carlo nor NLO calculations are able to describe forward jet ep data

[A. Knutsson, LUNFD6-NFFL-7225-2007 (2007); L. Jönsson, AIP Conf. Proc. 828 (2006) 175]

♠ Resummation of logarithmic corrections both in the hard scale and in the rapidity interval can be achieved by QCD factorization at fixed transverse momentum

Catani, Ciafaloni & H, 1991

Multiple parton interactions



Multi-jet production by (left) multiple parton chains; (right) single parton chain.

- modeled by shower Monte Carlo generators

Sjöstrand & Skands, 2006; Gieseke et al., 2008

- expected to contribute significantly to forward production

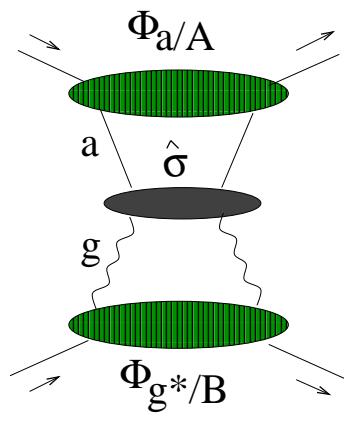
- High-energy factorization at fixed transverse momentum

$$\frac{d\sigma}{dQ_t^2 d\varphi} = \sum_a \int \phi_{a/A} \otimes \frac{d\hat{\sigma}}{dQ_t^2 d\varphi} \otimes \phi_{g^*/B}$$

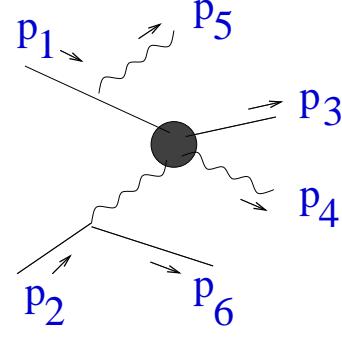
- ▷ needed to resum consistently both logs of rapidity and logs of hard scale

Catani et al., 1991; Ciafaloni, 1998

Deak, Jung, Kutak & H, arXiv:0908.0538



(a)

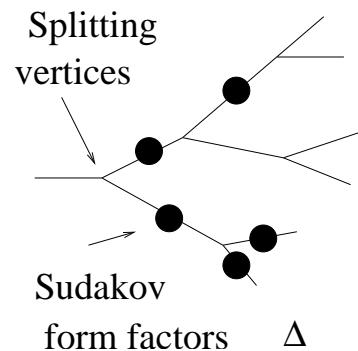


(b)

Figure 1: (a) Factorized structure of the cross section; (b) a typical contribution to the qg channel matrix element.

- ◇ ϕ_a near-collinear, large- x ; ϕ_{g^*} k_\perp -dependent, small- x
- ◇ $\hat{\sigma}$ off-shell continuation of hard-scattering matrix elements

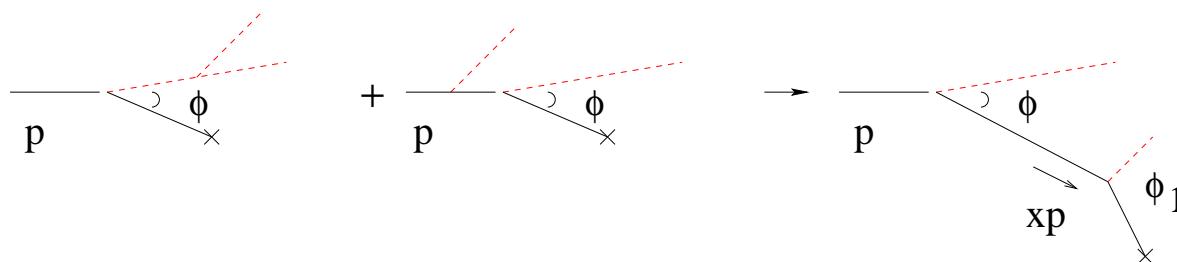
II. QCD EVOLUTION BY PARTON SHOWERING METHODS



$$d\mathcal{P} = \int \frac{dq^2}{q^2} \int dz \alpha_S(q^2) P(z) \Delta(q^2, q_0^2)$$

↪ collinear, incoherent emission

◊ Soft emission → interferences → ordering in decay angles
 ↪ gluon coherence for $x \sim 1$



- ex.: HERWIG, new PYTHIA

◊ Gluon coherence for $x \ll 1 \Rightarrow$ corrections to angular ordering:
 ↪ MC based on k_\perp -dependent unintegrated pdfs and MEs

COHERENCE IN HIGH-ENERGY LIMIT

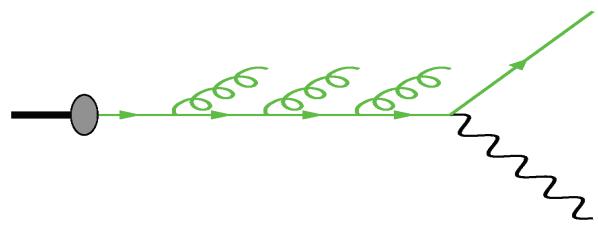
Soft vector-emission current from **external** legs →

- leading IR singularities

[*J.C. Taylor, 1980; Gribov-Low (QED)*]

- fully appropriate in single-scale hard processes

Dokshitzer, Khoze, Mueller and Troian, RMP (1988); Webber, A. Rev. Nucl. Part. (1986)



multi-scale: $s = q_1^2 \gg \dots \gg q_n^2 \gg \Lambda^2$
[e.g.: LHC final states with multi-jets]



- ▷ **internal** emissions non-negligible
- ▷ current also factorizable at high-energy: [Ciafaloni 1998; 1988]

$$\begin{aligned} |M^{(n+1)}(k, p)|^2 &= \left\{ [M^{(n)}(k + q, p)]^\dagger [\mathbf{J}^{(R)}]^2 M^{(n)}(k + q, p) \right. \\ &\quad \left. - [M^{(n)}(k, p)]^\dagger [\mathbf{J}^{(V)}]^2 M^{(n)}(k, p) \right\} . \text{ BUT...} \end{aligned}$$

- ▷ ... • \mathbf{J} depends on total transverse momentum transmitted
 \Rightarrow matrix elements and pdf at fixed k_\perp (“unintegrated”)
- virtual corrections not fully represented by Δ form factor
 \Rightarrow modified branching probability $P(z, k_\perp)$ as well

▷ enhanced terms $\mathcal{O}(\alpha_S^k \ln^m s / p_T^2)$

◇ Note: superleading logs $m > k$ cancel in fully inclusive quantities
e.g: high-energy corrections to anomalous dimensions γ^{ij}
at most single-logarithmic

$$\gamma^{ij}(\alpha_s, \omega) = \frac{\alpha_s}{\omega^p} c_0^{ij} \left[1 + \sum_{n=1}^{\infty} c_n^{ij} \left(\frac{\alpha_s}{\omega} \right)^n + \mathcal{O} \left(\alpha_s \left(\frac{\alpha_s}{\omega} \right)^{n-1} \right) \right]$$

ω - moment conjugate to $\ln s$

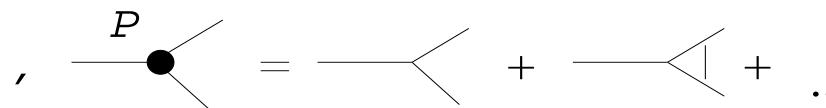
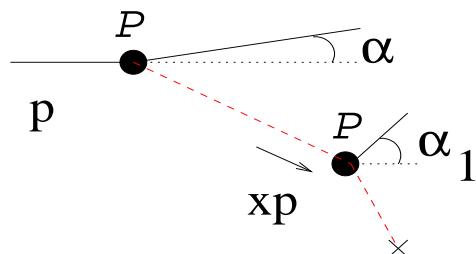
BFKL; Jaroszewicz; Catani et al.

◇ but cancellations do not apply in exclusive final-state correlations

K_\perp -DEPENDENT PARTON BRANCHING

- MC for (almost-)NLO QCD evolution at unintegrated level
proposed in Jadach & Skrzypek, arXiv:0905.1399 [hep-ph]
arXiv:1002.0010 [hep-ph]
- $\{x \rightarrow 0\} \oplus \{x \rightarrow 1\}$ gluon branching eq. (leading-logarithms, all orders in α_s)
CCFM evolution equation [Marchesini et al., 1990's]

$$\begin{aligned}\mathcal{G}(x, k_T, \mu) &= \mathcal{G}_0(x, k_T, \mu) + \int \frac{dz}{z} \int \frac{dq^2}{q^2} \Theta(\mu - zq) \\ &\times \underbrace{\Delta(\mu, zq)}_{\text{Sudakov}} \underbrace{\mathcal{P}(z, q, k_T)}_{\text{unintegr. splitting}} \mathcal{G}\left(\frac{x}{z}, k_T + (1-z)q, q\right)\end{aligned}$$



▷ Monte Carlo implementations CASCADE, LDCMC, ...

- unintegrated quark with k_T -dependent branching
↔ ongoing work

Merging PS and ME

Both PS distributions and hard ME depend on k_\perp

- Merging in high-energy limit can be done using

$$\gamma \frac{1}{k_\perp^2} \left(\frac{k_\perp^2}{\mu^2} \right)^\gamma \stackrel{\gamma \ll 1}{=} \delta(k_\perp^2) + \gamma \left(\frac{1}{k_\perp^2} \right)_R + \gamma^2 \left(\frac{1}{k_\perp^2} \ln \frac{k_\perp^2}{\mu^2} \right)_R + \dots$$

where $\int dk_\perp (G(k_\perp, \mu))_R \varphi(k_\perp) = \int dk_\perp G(k_\perp, \mu) [\varphi(k_\perp) - \Theta(\mu - k_\perp) \varphi(0)]$

Unintegrated quark evolution

[Jung & H, in progress]

- sea: flavor-singlet evolution coupled to gluons at small x via

$$\mathcal{P}_{g \rightarrow q}(z; q, k) = P_{qg, \text{GLAP}}(z) \left(1 + \sum_{n=0}^{\infty} b_n(z) (k^2/q^2)^n \right)$$

all b_n known; $\mathcal{P}_{g \rightarrow q}$ computed in closed form (positive-definite)

[Catani & H, 1994; Ciafaloni et al., 2005-2006]

- valence: independent evolution (dominated by soft gluons $x \rightarrow 1$)

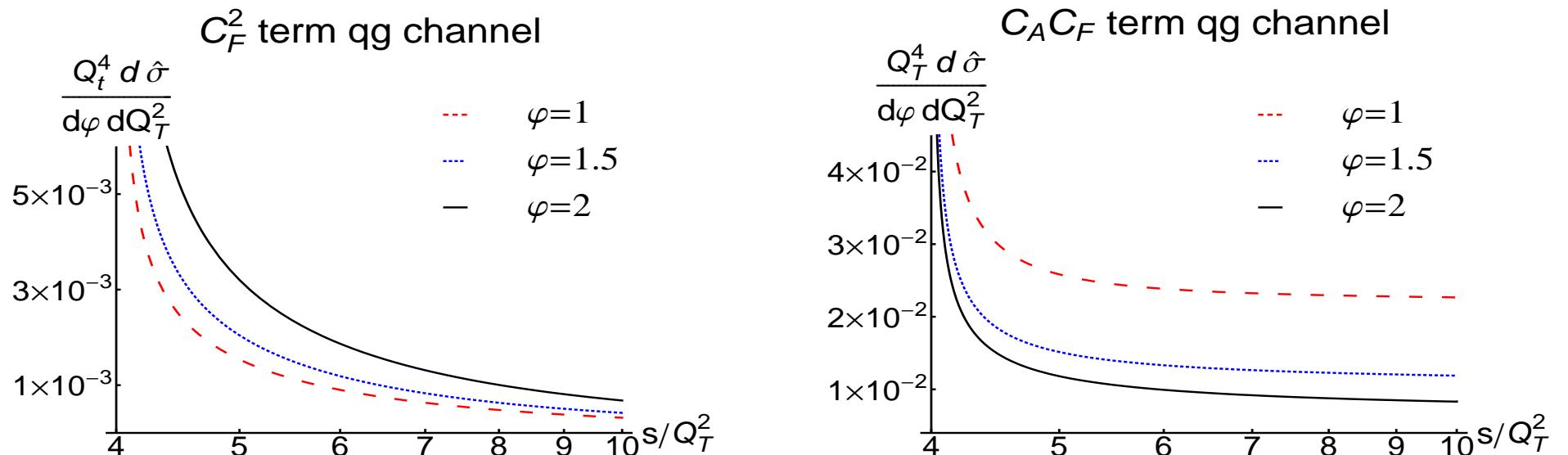
III. FORWARD JET HADRO-PRODUCTION CROSS SECTIONS

- Matrix elements for fully exclusive events with forward jets

[Deak, Jung, Kutak & H, arXiv:0908.1870 [hep-ph]]

- Both quark and gluon channels found to be important for realistic phenomenology

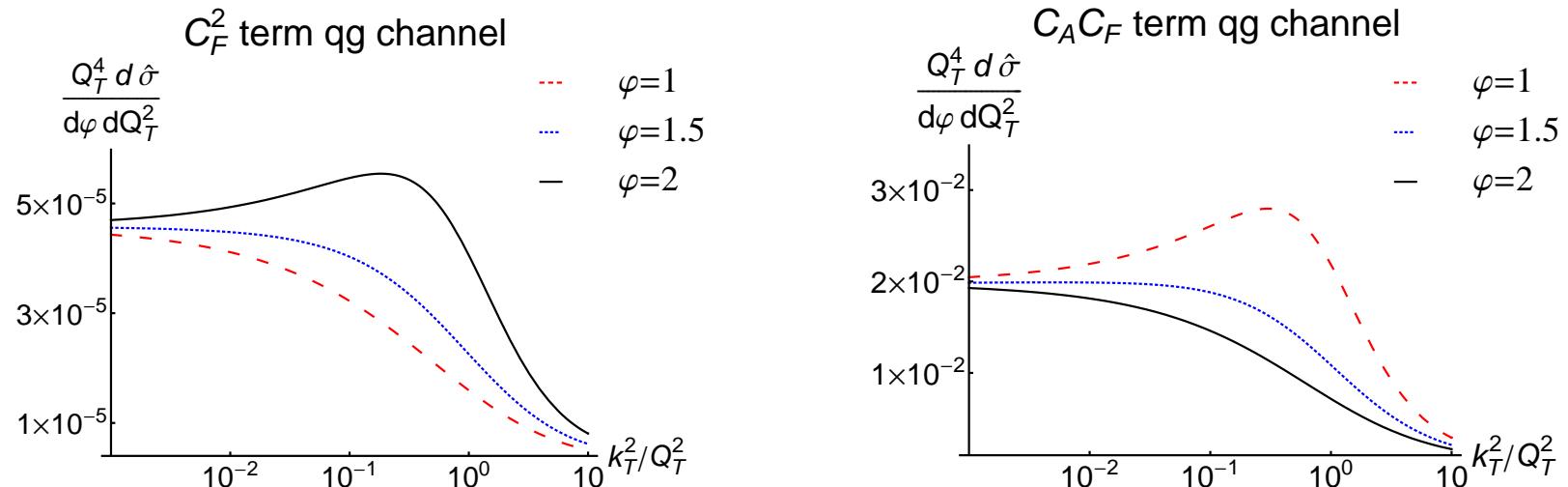
Q_t = final-state transverse energy (in terms of two leading jets p_t 's)



▷ $C_F C_A$ contribution to qg dominates large \hat{s}/Q_t^2 (constant at large energy)

BEHAVIOR AT LARGE K_{\perp}

k_t = transverse momentum carried away by extra jets
 $k_t/Q_t \rightarrow 0$ leading order process



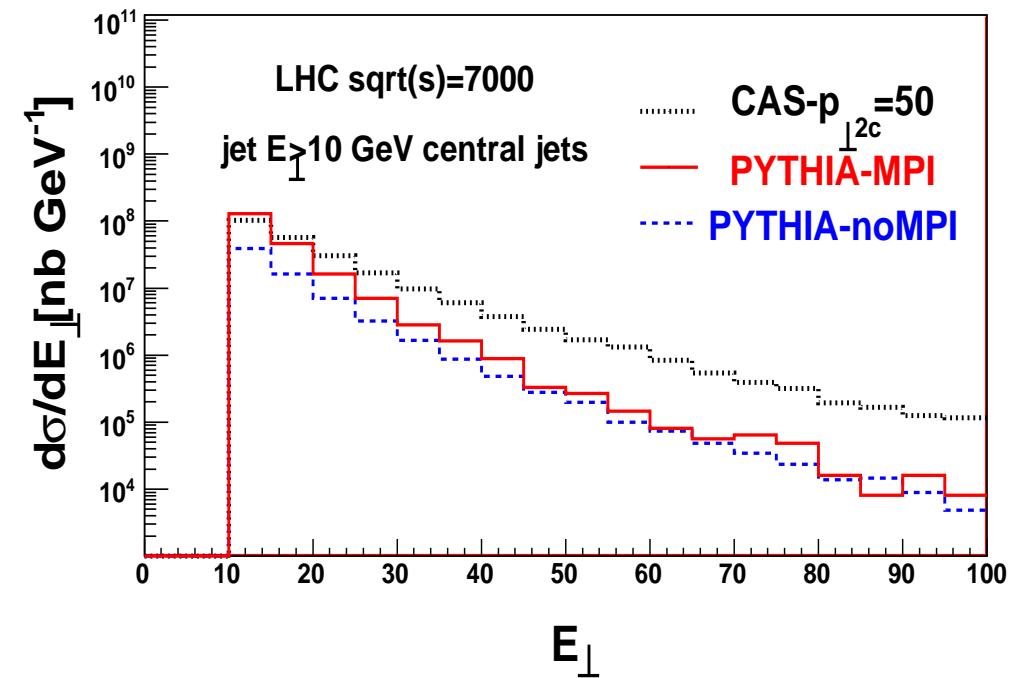
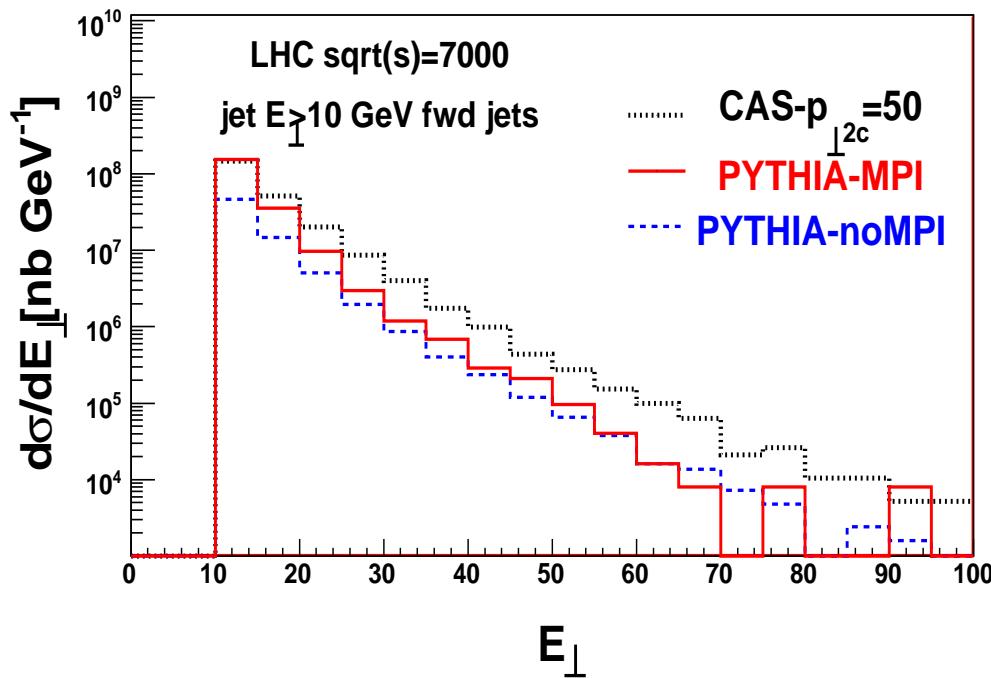
[Deak, Jung, Kutak & H, in progress]

- measures transverse momentum distribution of third jet
- dynamical cut-off at $k_t \sim Q_t$ set by coherence effects
 - non-negligible terms from finite k_t tail

1 central \oplus 1 forward jet

Transverse momentum spectra: k_{\perp} -shower vs. collinear shower

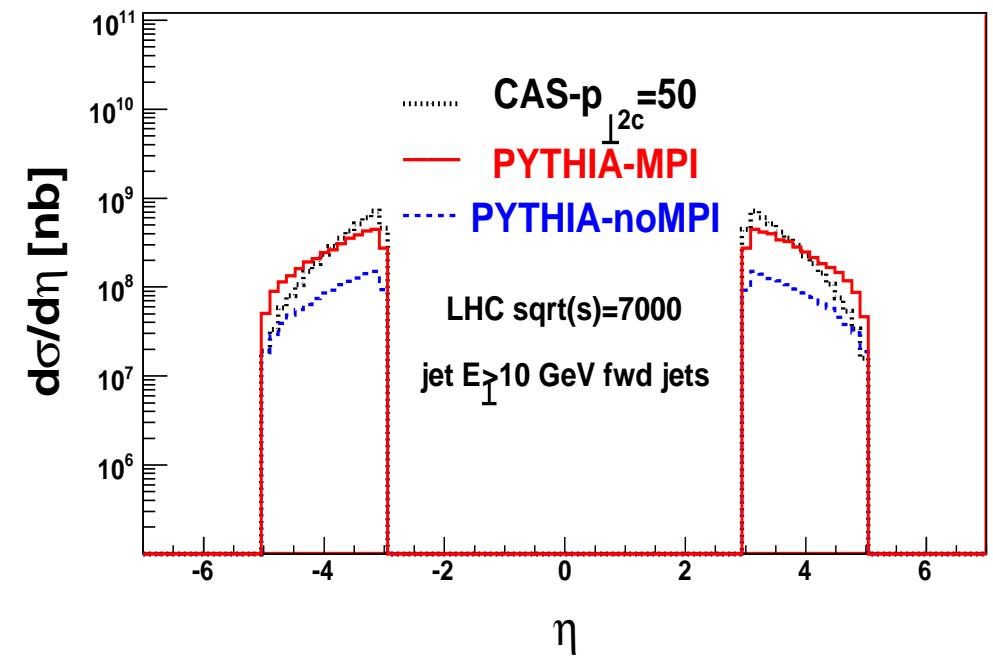
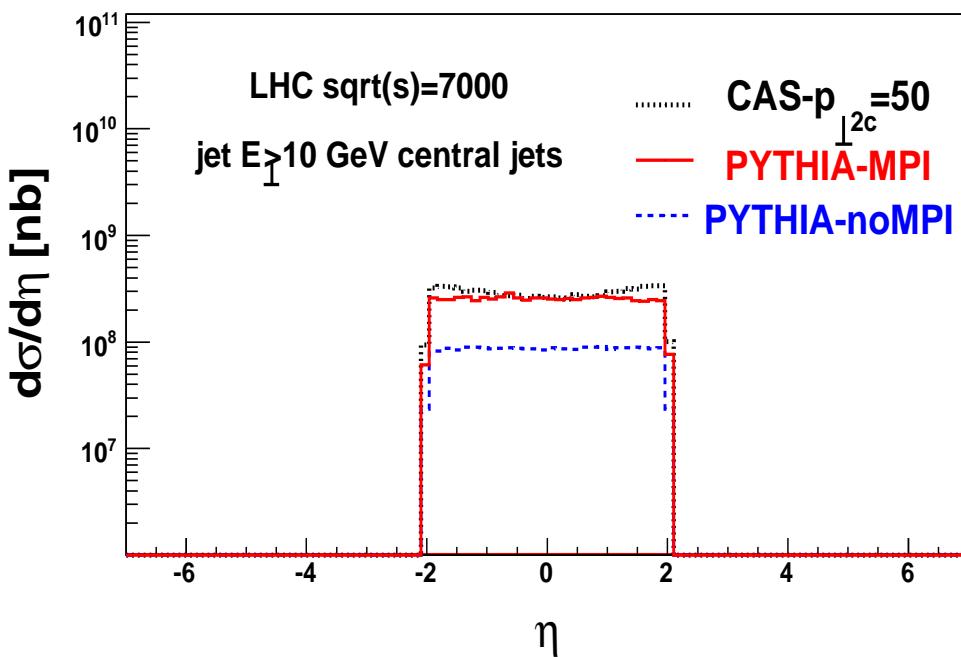
[Deak et al., in progress]



- harder spectrum in central region due to small-x radiation

1 central \oplus 1 forward jet

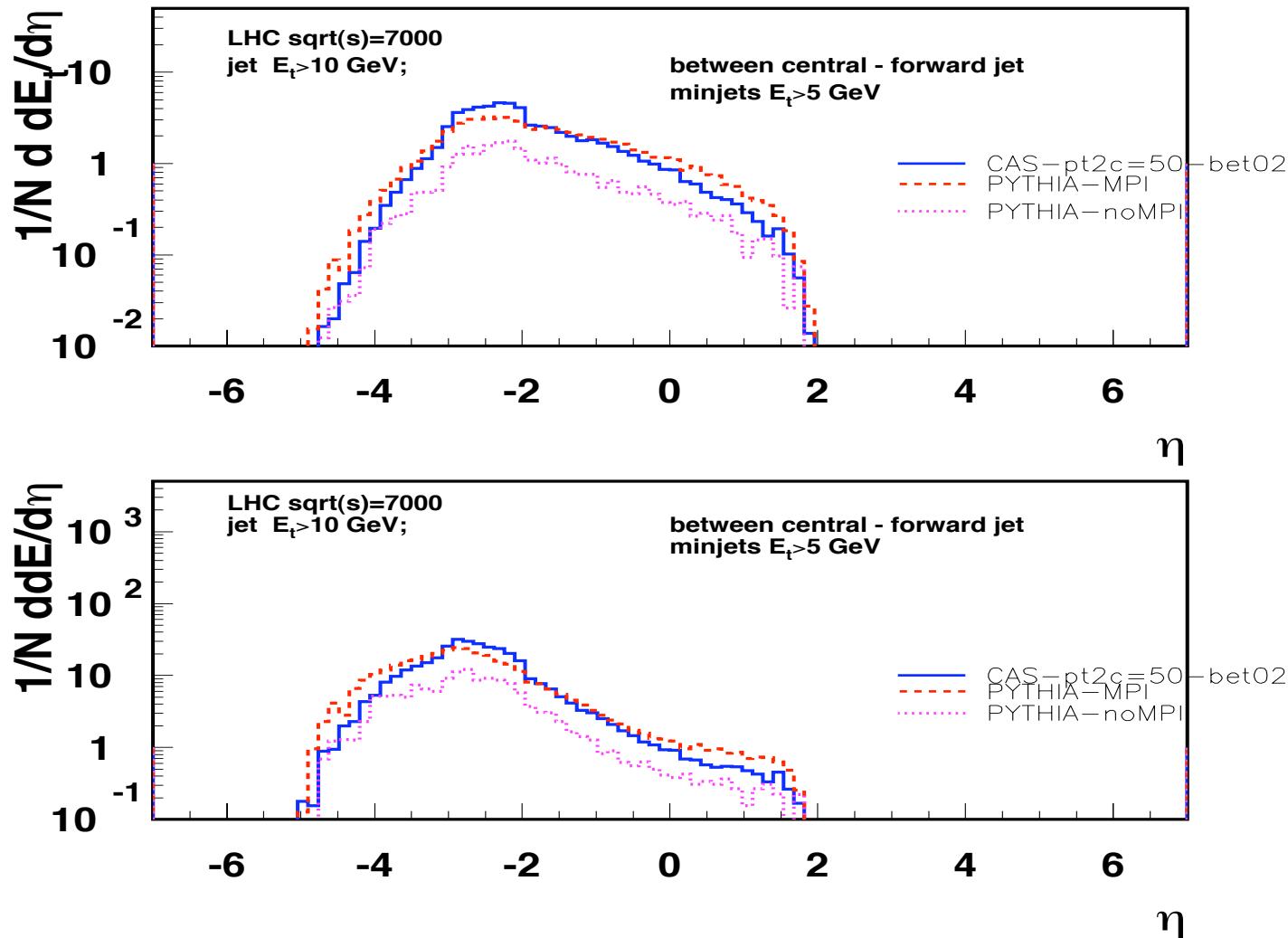
Rapidity spectra of produced jets



- similar results, but a hint of different slopes in forward jet distributions

Transverse energy flow in the inter-jet region

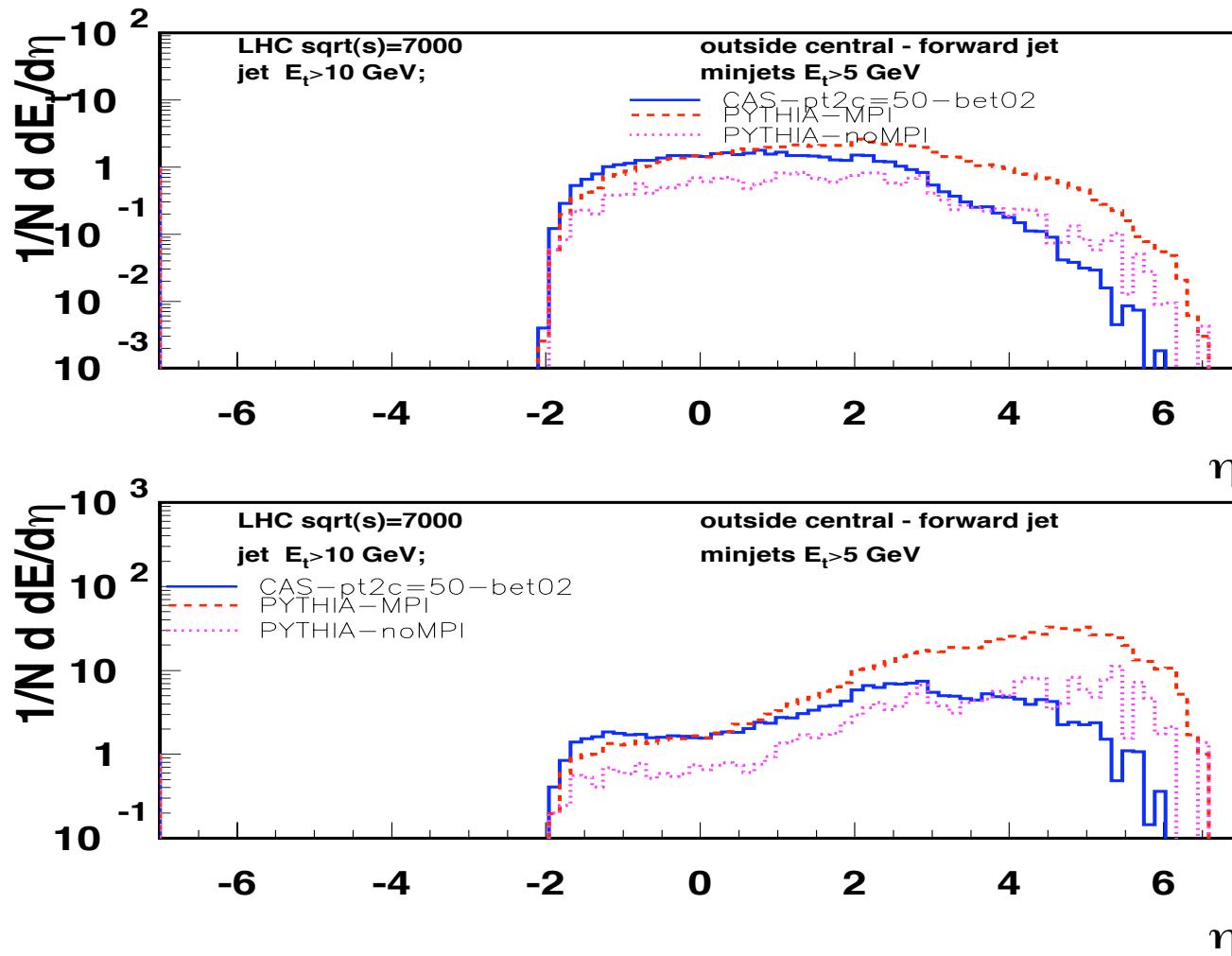
[Deak et al., in progress]



- higher mini-jet activity in the inter-jet region
from corrections to collinear ordering

Transverse energy flow in the outside region

[Deak et al., in progress]



- at large (opposite) rapidities, full branching well approximated by collinear ordering
 - higher energy flow only from multiple interactions

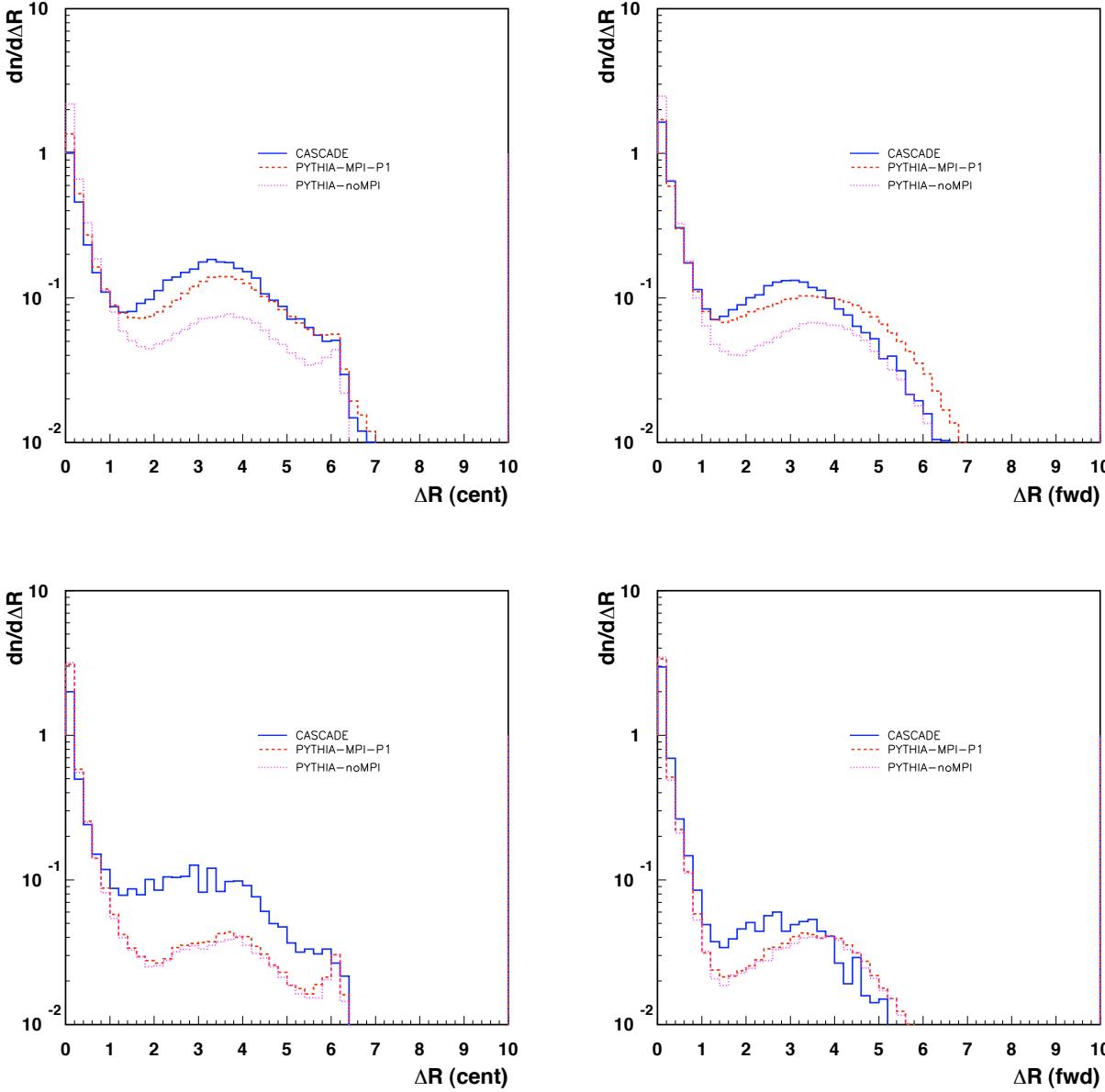
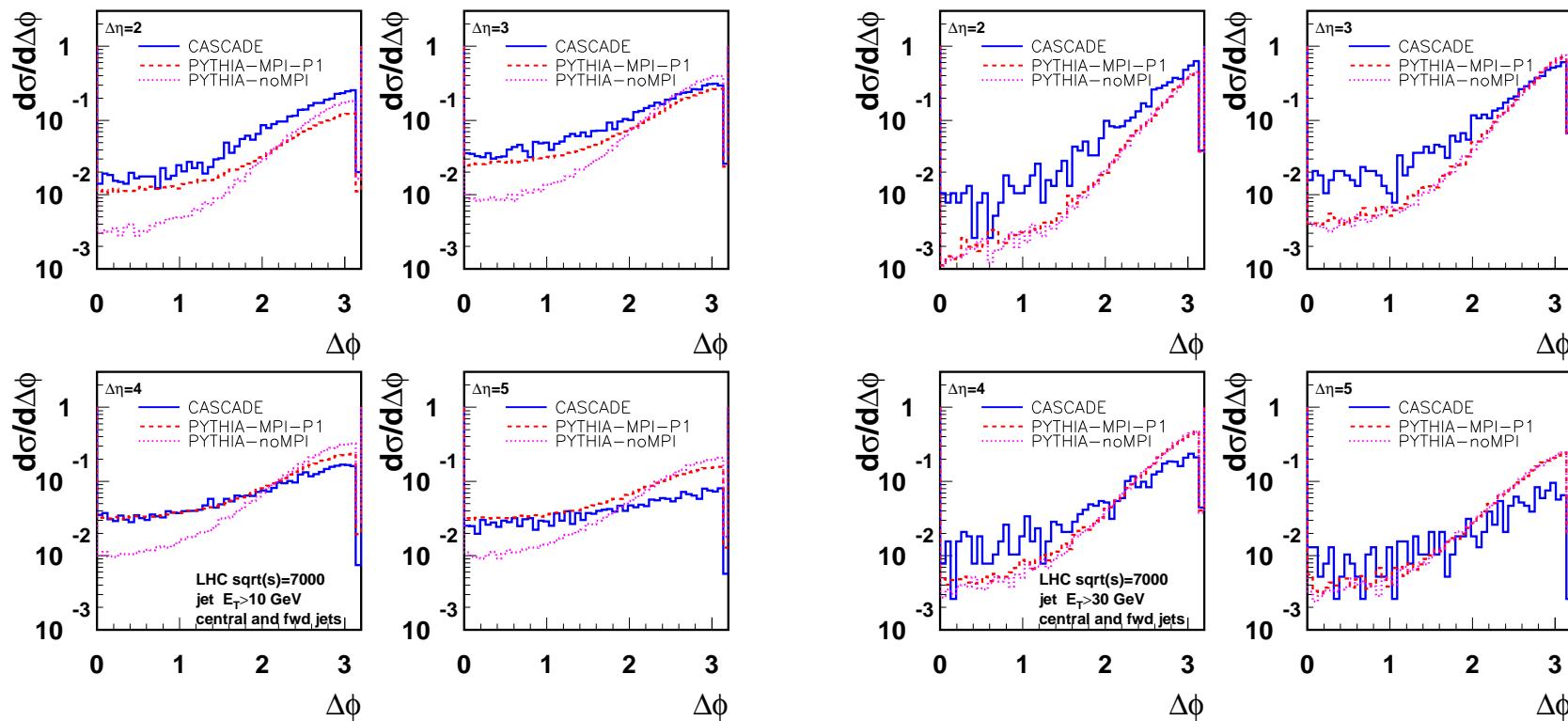


Figure 5: ΔR distribution of the central ($|\eta_c| < 2$, left) and forward jets ($3 < |\eta_f| < 5$, right) for $E_T > 10$ GeV (upper row) and $E_T > 30$ GeV (lower row). The prediction from the k_\perp shower (CASCADING) is shown with the solid blue line; the prediction from the collinear shower (PYTHIA) including multiple interactions and without multiple interactions is shown with the red and purple lines. $\Delta R = \sqrt{(\Delta\phi)^2 + (\Delta\eta)^2}$, where $\Delta\phi = \phi_{jet} - \phi_{part}$, $\Delta\eta = \eta_{jet} - \eta_{part}$

Cross section as a function of the azimuthal difference $\Delta\phi$ between the central and the forward jet for different rapidity separations



CONCLUSIONS

- For the first time at the LHC, correlations of high- p_T probes can be measured across large rapidity intervals via forward + central detectors
 - ▷ QCD methods required to handle potentially large logarithmic corrections to higher orders both in the hard transverse momentum and in the large rapidity interval:
 - resummation techniques for multi-scale processes
 - parton-shower algorithms to be combined with perturbative calculations
 - ▷ investigate possibly new effects from QCD physics
 - ▷ backgrounds to new particle searches:
e.g.: forward jets from vector boson fusion search channels