# Measuring $R_{\kappa}$ at high $q^2$

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## Rare B meson decays

- Decay of **B** meson into a **kaon** and **two leptons** heavily suppressed in the SM
- New physics contributions may alter characteristics of final state particles
- Lepton flavour universality predicts  $BF(B^+ \rightarrow K^+ \mu^+ \mu^-) = BF(B^+ \rightarrow K^+ e^+ e^-)$  with negligible theory uncertainty
- $\Box$  Indirectly search for new physics by measuring  $R_{\kappa}$
- Any significant deviation from unity would hint at new physics



## Why high $q^2$ ?

- Dilepton invariant mass squared ( $q^2$ ) spectrum of **B** $\rightarrow$ **KII** includes resonant peaks  $\rightarrow$  no sensitivity to NP
- □  $R_{\kappa}$  in the resonant free region 1.1 <  $q^2$  < 6.0 GeV<sup>2</sup>/c<sup>4</sup> has previously been measured by LHCb and found to be consistent with SM expectation
- $\Box$  Currently no competitive measurement in the **high**  $q^2$  region above the charmonium resonances



## LHCb experiment

Two final states differ by presence of electrons or muons in final state

#### Muons

- $\Box \qquad \text{Minimum ionising} \rightarrow \text{penetrate through to muon chambers}$
- Good trigger efficiency & resolution

#### Electrons

- Produce EM shower in ECAL
- Radiate bremsstrahlung radiation
  - Poor momentum resolution
  - Poor trigger efficiency



## $B \rightarrow K^+ \Psi(2S)(\rightarrow e^+ e^-)$ background

- □ Incorrect bremsstrahlung recovery leads  $B^+ \rightarrow K^+ \Psi(2S)(\rightarrow e^+e^-)$ to leak upwards in  $q^2$
- □ A cut on  $q_{no brem}^2$  is incredibly efficient at removing  $\Psi(2S)$  leakage backgrounds
- □ Signal efficiency reduced by 50% relative to an equivalent cut on  $q^2$ 
  - Toy studies show that increased signal purity outweighs reduced signal yield



## Measuring $R_{\kappa}$ as a double ratio

- $\Box$  Naive extraction of  $R_{\kappa}$  would use a single ratio
- Efficiency related systematic between electrons and muons do not cancel
- $\square \quad \mathbf{R}_{\mathbf{k}} \text{ far more robust against efficiency related} \\ \text{systematics when measured as a double ratio}$



$$R_{K} = \frac{N(K^{+}\mu^{+}\mu^{-})}{N(K^{+}e^{+}e^{-})} = \frac{n(K^{+}\mu^{+}\mu^{-})}{\epsilon(K^{+}\mu^{+}\mu^{-})} \xrightarrow{\epsilon(K^{+}e^{+}e^{-})} \quad \leftarrow \text{Single ratio}$$
  
Double ratio  $\rightarrow \qquad R_{K} = \frac{N(K^{+}\mu^{+}\mu^{-})}{\epsilon(K^{+}\mu^{+}\mu^{-})} \xrightarrow{\epsilon(K^{+}e^{+}e^{-})}{N(K^{+}e^{+}e^{-})} \xrightarrow{\epsilon(K^{+}J/\psi(\mu^{+}\mu^{-}))}{N(K^{+}J/\psi(\mu^{+}\mu^{-}))} \xrightarrow{\epsilon(K^{+}J/\psi(e^{+}e^{-}))}{\epsilon(K^{+}J/\psi(e^{+}e^{-}))}$ 

## Extracting $B \rightarrow Kee$ yield & toys

- □ Precision of  $R_{\kappa}$  is limited by observed yield of  $B^+ \rightarrow K^+ e^- e^-$  decays
- **Q** Yield is extracted by fit to invariant mass  $m(K^+e^+e^-)$
- Three main backgrounds contribute to the fit
  - Combinatorial (random combination of three tracks)
  - 2. Partially reconstructed decays i.e  $B \rightarrow K^*(K\pi)ee$
  - 3. Hadron→electron mis-ID i.e  $B \rightarrow K\pi\pi$



### **Boosted decision trees**

- □ Two largest backgrounds in  $B^+ \rightarrow K^+ e^+ e^-$  channel are combinatorial and partially reconstructed events
- Train two boosted decision tree classifiers
  targeted to suppress each background type
- Working point of the two BDTs are optimised simultaneously in toys fits



## **Combinatorial shape**

- High *q*<sup>2</sup> requirement imposes phase-space restriction on combinatorial events
  - **Cannot be modelled by simple exponential**
  - Use custom single-parameter model that takes into account phase-space boundary
  - **G** Fold in resolution effects & efficiency dependence of selection cuts
- Validate model by comparing to side band data



## $\textbf{Hadron} \rightarrow \textbf{electron} \ \textbf{misidentified} \ \textbf{background}$

- □ Three sources of mis-identified backgrounds
  - $\Box \qquad B^* \rightarrow K^* \pi^* \pi^-$
  - $\Box \qquad B^+ \rightarrow K^+ K^+ K^-$
  - Residual mis-ID



- Suppress by applying particle identification criteria using information from LHCb sub-detectors
- Model for surviving mis-ID events derived using data-driven method known as pass/fail [Phys. Rev. D 108, 032002]
  - Produce sample enriched in mis-ID by inverting PID criteria
  - Extrapolate inverted PID data into nominal PID region using "transfer weights"

## **Cross-checks using resonant channels**

- Efficiencies derived from simulation may be biased due to mis-modelling
  - □ Double ratio helps make  $R_{\kappa}$  robust against efficiency biases
  - □ Additionally, simulation is corrected using  $B^+ \rightarrow J/\Psi K^+$ control data
- $\Box$  Check control of efficiencies by measuring  $r_{J/\psi}$  single ratio
  - $\label{eq:single-sing$
  - $\Box \quad \mathbf{r}_{J/\Psi} \text{ consistent with unity } \rightarrow \text{ excellent control of efficiencies}$



 $r_{J/\psi} = \frac{\mathcal{B}(B^+ \to K^+ J/\psi(\mu^+ \mu^-))}{\mathcal{B}(B^+ \to K^+ J/\psi(e^+ e^-))}$ 

## Conclusions

- **D** Measuring  $\mathbf{R}_{\kappa}$  at high  $q^2$  is a further test of LFU in rare **B** decays
  - Using full Run 1 & Run 2 LHC data sample
- Selection strategy results in a high signal purity
- **L** Expected statistical + systematic  $R_{\kappa}$  precision of ~8%
- □ Analysis is currently in review
- $\Box$   $R_{\kappa}$  is statistically limited by sample size  $\rightarrow$  Run 3 and beyond data will enhance measurement

Thank you for listening!