Improving Neutrino Energy Reconstruction with Machine Learning







Margot MacMahon





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- Neutrino oscillation measurements
- Neutrino nucleus interactions
- Our network
- Results
- Conclusions





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Normal mass hierarchy











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Normal mass hierarchy







Inverted mass hierarchy

Hyper-Kamiokande



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Normal mass hierarchy

Inverted mass hierarchy

- Will see a large flux of neutrinos from beam at Fermilab, and atmospheric neutrinos.
- No detection of neutral particles.

Neutrino-nucleus interactions

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Dataset and Network

Generate $5 \times 10^5 \nu_{\alpha}(\overline{\nu_{\alpha}})$ events with energies from 0.2 - 6 GeV using NuWro.

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Randomly rotate events if training for atmospherics.

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Combine all particles of the same type into single entity.

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Feed vector sum of particle-groups 4 momenta to fully connected layer regression network

Best resolution from DUNE Technical Design report is ~13%

- 'Calorimetric' method takes the sum of all visible energy in an event as neutrino energy.
- Approximates design reports reasonably well.

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- Having access to full neutron momentum has little impact on network performance.
- DNN has smaller bias than calorimetric method for no neutron case. Both methods perform well when neutron energy is provided.

Results - Atmospherics

Calorimetric gives reasonable energy and angular resolution.

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Neutrino nucleus modelling dependence

- Different event generators use different models \rightarrow discrepancies in final state particles
- Attempt to reduce model dependence of network by grouping particle types.
- Find network still performs well at higher energies, but isn't robust below 1.5 GeV.

Sensitivities (PRELIMINARY)

Sensitivities assuming 624 kt-MW-years of exposure: 6.5 years each of running in neutrino (FHC) and antineutrino (RHC) mode 40-kt fiducial mass far detector, in an 120-GeV, 1.2 MW beam. θ_{12} = 0.58678 ± 0.014 , θ_{13} = 0.149 ± 0.0236 θ_{23} = 0.823795 Δ

$$\Delta m_{12}^2 = 7.4 \text{e-05} \pm 2.1 \text{e-06} \ \Delta m_{13}^2 = 0.002494 \ \delta_{CP} = -\pi/2$$

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Applying Deep Neural Network to final state particle information can significantly improve energy and angular resolution in LArTPCs

Network has some generator dependence due to neutrino interaction modelling differences, but can still make improvements at higher energies.

Greatest gains made on Δm^2_{31}

Could lead to an improvement in δ_{cp} sensitivity at DUNE, and a quicker achievement of a 5σ measurement!

Backups - loss plots

Label events with true neutrino energy

Label events with true neutrino energy and direction

Backups - Energy distributions

Particle	Minimum K.E.	Angular Uncertainty	Energy Uncertainty
Proton	$30 \mathrm{MeV}$	10°	10%
$\operatorname{Pion} \setminus \operatorname{Kaon}$	$30 \mathrm{MeV}$	10°	10%
Neutron	$30 \mathrm{MeV}$	10°	40%
Λ	$30 \mathrm{MeV}$	10°	10%
μ^{\pm}	$5 \mathrm{MeV}$	2°	5%
e^{\pm}	10 MeV	2°	5%

